GOVERNMENT ARTS COLLEGE (Autonomous),

(Re-accredited with 'A' Grade by NAAC and Affiliated to Bharathidasan University, Tiruchirappalli)

KARUR - 639 005.





UG COURSE STRUCTURE

Course Structure under CBCS System

(Applicable to the Candidates admitted from the Academic Year 2021 – 2022 onwards)

B.Sc.,

MATHEMATICS

GOVERNMENT ARTS COLLEGE (Autonomous),

KARUR - 639 005



Course structure under CBCS system

VISION

It is our vision to persuade every mind in this temple of learning to tirelessly seek the truth to face the challenges of the times and honestly participate in the establishment of universal peace, progress and love.

MISSION

It is our mission to create in everyone an honest searching mind to be ready for value-based creative citizenship for regional, national and global peace and progress.

UG AND RESEARCH DEPARTMENT OF MATHEMATICS

ABOUT THE DEPARTMENT

The department of mathematics has been started in the year 1967-68 affiliated to university of Madras. In the year 1981-82 the post graduate course in mathematics was started. From 1984-85 all courses in this department come under Bharathidasan University. In 2009-10 the department upgraded as a research department by admitting M.Phil. and Ph.D. scholars. Currently 10 staff members are working in the department out of which five faculty members with Ph.D. includes Topology, Fuzzy Topology, Algebra, Fuzzy Algebra, Fuzzy Matrix Theory, Operations Research etc., The department organizes workshops and seminars periodically.

VISION

To persuade every one's mind in Search of the real meaning of the infinity through hard work.

MISSION

To create in everyone a honest and creative mathematician for regional, national and global progress.

Programme: B. Sc. Title: Mathematics Medium: Tamil/ English

Programme Learning Objectives

- > To have a comprehension of the instruments required to have the option to quantitatively examine and comprehend the common and social world,
- \succ To be able to take care of issues, think scientifically, and reason quantitatively.
- > To be able to get to and convey Mathematical data.
- To take an interest effectively in Mathematics related occasions in particular Conferences/Seminars/Workshops and Quiz programs.

Programme Outcomes

Area information: Demonstrate information on essential ideas, standards and uses of the particular science discipline.

Logical and Technical Skills: Ability to deal with/utilize suitable apparatuses/strategies/gear with a comprehension of the standard working methods, wellbeing perspectives/impediments.

Basic reasoning and Problem settling: Identify and basically break down appropriate issues in the important order utilizing proper instruments and strategies just as ways to deal with come to feasible end results/arrangements.

Individual and collaboration: Exhibit the possibility to successfully achieve assignments freely and as a part or pioneer in various groups, and in multidisciplinary settings.

Powerful Communication: Communicate successfully in spoken and composed structure just as through electronic media with mainstream researchers just as with society on the loose.

Society: Analyse the effect of logical and innovative advances on nature and society and the requirement for reasonable improvement.

Morals: Commitment to proficient morals and duties.

Deep rooted learning: Ability to participate in long lasting learning with regards to the fast advancements in the control.

Programme Specific outcomes:

- PSO1: Explicate the concepts of pure and applied Mathematics by demonstrating the knowledge and understanding of the mathematical principles in multidisciplinary environments.
- PSO2: Demonstrate a computational ability in solving a wide array of mathematical problems.
- PSO3: Utilize mathematical skills of the logical and scientific approach.
- PSO4: Appreciate the beauty of Mathematics with the attainment of proficiency in problem solving, computational skills, critical thinking, technical and quantitative reasoning.

REGULATIONS

Mathematics is a key to success in the field of science and engineering. Mathematics plays an important role in the context of globalization of Indian economy, modern technology, and computer science and information technology. Today, students need a thorough knowledge of basic principles, methods, results and a clear perception of the power of mathematical ideas and tools to use them effectively in modelling, interpreting and solving the real-world problems. The syllabus of this program is aimed at preparing the students with the latest developments and put them on the right track to fulfil the present requirements.

COMMENCEMENT OF THIS REGULATION

This regulation shall take effect from the academic year 2021 - 2022, i.e, for the students who areadmitted to the first year of the course during the academic year 2021 - 2022 and thereafter.

ELIGIBILITY FOR ADMISSION

A Pass in the Higher Secondary Examination of Tamil Nadu Higher Secondary Board or some other Board accepted by the Syndicate as equivalent thereto with Mathematics (other than Businessmathematics) as one of the subjects.

DEFINITIONS

Programme:Program means a course of study leading to the award of the degree in a discipline.

Course:Course refers to the subject offered under the degree programme.

What is Credit system?

Weightage to a course is given in relation to the hours assigned for the course. The following Table shows the correlation between credits and hours. However, there could be some flexibility because of practical, field visits, tutorials and nature of project work.

For UG courses, a student must earn a minimum of **140** (+4) credits as mentioned in the table below. The total number of minimum courses offered by a department is given in the course pattern.

PART	SEMESTER	SPECIFICATION	NO. OF COURSES	HOURS	CREDITS	TOTAL CREDITS
Ι	I - IV	Part- I	4	22	12	24
II	I - IV	Part II	4	22	12	
	I - VI	Core course theory	13	69	62	
III	I - IV	Allied Course	4	20	12	94
111	1-1V	Allied Course practical	2	11	8	_ 54
	V - VI	Elective Course	3	15	12	
	I - VI	Value Education Environmental Studies Soft Skills Development	3	6	6	
TX 7	I - III	Value Added Course (CLP)	2	4	2	
IV	1 - 111	Extra Credit Course (MOOC'S)	1	-	2	24
	III - IV	Non Core Elective	2	4	4	
	IV-V	Skill Based Elective - Theory	2	4	7	
	IV - V	Skill Based Elective - Practical	1	2	3	
v	VI	Gender Education	1	1	1	2
Extension Activities		1	-	1		
	TOTAL			180	140 (+4)	140 (+4)

UNDER GRADUATE COURSEPATTERN (2021 ONWARDS)

Course Pattern

The Undergraduate degree course consists of five vital components. They are as follows:

Part – I : Language (Tamil)

Part - II: General English

Part - III: Core Course (Theory) Allied, Core Electives)

Part - IV: Value Education, Value Added Course, Extra Credit Course, Environmental Studies, Non Core Elective and Soft Skills Development.

Part - V: Gender Education and Extension Activities (NSS, NCC, Sports and Games, PEC, FAPA, YRC, EE, RRC, RC, LC and CC).

Core Courses

A core course is the course offered by the parent department related to the major subjects, components like theories, practical's, Project work, field visits and etc.

Non Core elective

Non Core elective Core should be shared by the various Departments of college. This course should be opted by all the students belonging to the particular Department. Each department of the respective college should allocate themselves the schedule and the units of the course.

Core Elective

The core elective course is also offered by the parent department. The objective is to provide choice and flexibility within the department. There are THREE core electives. They are offered in different semesters according to the choice of the college.

Extra Credit Courses

In order to facilitate the students gaining extra credits, the extra credit courses are given. There are two extra credit courses - Massive Open Online Courses (MOOC) and Skill-based Course - offered in the IV and V Semesters respectively. According to the guidelines of UGC, the students are encouraged to avail this option of enriching by enrolling themselves in the MOOC provided by various portals such as SWAYAM, NPTEL, etc. Skill based course is offered by the department apart from their regular class hours.

Value Education Courses

There are four courses offered in the first, second, fifth and sixth semesters for the First year and Third year students.

Non-Major Elective / Skill Based Elective

These courses are offered in two perspectives as electives "Within college".

Subject Code Fixation

Year of	UG Code of	Semester	Specification	Running number
Revision	the Dept		of Part	in the part
\downarrow	\downarrow	\downarrow	\downarrow	\downarrow
21	U21	x	x	xx
21	UMM	1	X	1

The following code system (9 characters) is adopted for Under Graduate courses:

For example:

I B.Sc. Mathematics - Differential Calculus

The code of the paper is U21MM1C1.

Thus, the subject code is fixed for other subjects.

EXAMINATION

Continuous Internal Assessment (CIA):

UG - Distribution of CIA Marks						
Passing Minimum: 40 Marks						
THEORY CIA MAXMIMUM = 25	THEORY CIA MINIMUM = 10					
PRACTICAL CIA MAXIMUM = 40	PRACTICAL CIA MINIMUM = 16					

End - Semester Tests

Centralized - Conducted by the office of Controller of Examinations.

Semester Examination

Testing with Objective and Descriptive questions.

Section - A: 10 Questions x 2 Marks = 20 Marks (No Choice - Two questions from each unit)

Section - B: 5 Questions x 5 Marks = 25 Marks (Either... or Type - One pair from each unit)

Section - C: 3 Questions x 10 Marks = 30 Marks (3 Out of 5 - One question from each unit)

Duration of Examination:

3- Hours examination for courses.

Grading System

1. Grading

Once the marks of the CIA and the end-semester examination for each of the courses are available, they will be added. The marks thus obtained, will then be graded as per the scheme provided in Table 1.

From the second semester onwards the total performance within a semester and the continuous performance starting from the first semester are indicated by **Semester Grade Point Average (GPA)** and **Cumulative Grade Point Average (CGPA)**, respectively. These two are calculated by the following formulae

$$GPA = \frac{\sum_{i=1}^{n} C_{i}G_{i}}{\sum_{i=1}^{n} C_{i}} \quad WAM (Weighted Average Marks) = \frac{\sum_{i=1}^{n} C_{i}M_{i}}{\sum_{i=1}^{n} C_{i}}$$

Where, 'C_i' is the Credit earned for the Course - i,

- 'G_i' is the Grade Point obtained by the student for the Course 'i'.
- 'M' is the marks obtained for the course 'i', and
- 'n' is the number of Courses **Passed** in that semester.
- CGPA: Average GPA of all the Courses starting from the first semester to the current semester.

2. Classification of Final Results

- i) For each of the three parts, there shall be separate classification on the basis of the CGPA, as indicated in the following Table 2.
- ii) For the purpose of Classification of Final Results, the Candidates who earn CGPA 9.00 and above shall be declared to have qualified for the Degree as 'Outstanding'. Similarly, the candidates who earn the CGPA between 8.00 8.99, 7.00 7.99, 6.00 6.99 and 5.00 5.99 shall be declared to have qualified for their Degree in the respective programmes as 'Excellent', 'Very Good', 'Good' and 'Above Average' respectively.
- iii) Absence from an examination shall not be taken as an attempt.

Marks Range	Grade Point	Corresponding Grade
90 and above	10	0
80 and above but below 90	9	A+
70 and above but below 80	8	А
60 and above but below 70	7	B+
50 and above but below 60	6	В
40 and above but below 50	5	С
Below 40	0	RA

Table - I - Grading of the Courses

Table – 2 – Final Result

CGPA	Classification of Final Results	Corresponding Grade
9.00 and above	0	Outstanding
8.00 to 8.99	A+	Excellent
7.00 to 7.99	A	Very Good
6.00 to 6.99	B+	Good
5.00 to 5.99	В	Above Average
4.00 to 4.99	С	Average
Below 4.00	RA	Re - Appearance

Credit based weighted Mark System is adopted for individual semesters and cumulative semesters in the column 'Marks Secured' (for 100).

Declaration of Result:

Mr./Ms. _____ has successfully completed the Under Graduate in _____ programme. The candidate's Cumulative Grade Point Average (CGPA) in Part - III is _____ and the class secured is _____ by completing the minimum of 140 credits. The candidate has acquired _____ (if any) extra credits offered by the parent department courses.



GOVERNMENT ARTS COLLEGE (AUTONOMOUS), KARUR – 639 005

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B.Sc. MATHEMATICS COURSE STRUCTURE UNDER CBCS SYSTEM (For the candidates admitted from the year 2021-2022 onwards)

SEMESTER	PART	COURSE	COURSE TITLE		INSTR.HOURS WEEK	CREDIT	EXAM HOURS		ESE	TOTAL
	Ι	Tamil - I	Tamil – I	Tamil – I U21L1T1		3	3	25	75	100
	Π	English – I	English – I	U21L1E1	5	3	3	25	75	100
		Core Course – I Differential Calculus U2		U21MM1C1	5	5	3	25	75	100
Ι	III	Core Course – II	Integral Calculus and Fourier Series	ourier Series		5	3	25	75	100
		First Allied Course – I	Allied Physics – I	U21PH1A1	5	3	3	25	75	100
		First Allied Course - II	Allied Physics – II (Practical)	-	2	-	-	-	-	-
	IV	Value Education	Value Education	U21VE1	2	2	3	25	75	100
	IV	IV Value added Course CLP/SAP (Special Assistance Programme) - SAP Applicable for - B.Sc.(CS) & B.Com(CA) -		-	2					
					30	21				600
	Ι	Tamil – IITamil – IIU21L2T2		U21L2T2	6	3	3	25	75	100
	II	II English – II English – II U21L2E2		U21L2E2	6	3	3	25	75	100
	III	Core Course – III	Classical Algebra	U21MM2C3	6	5	3	25	75	100
		First Allied Course – II	Allied Physics II	U21PH2A2P	3	4	3	40	60	100
Π			(practical)							
		First Allied Course – III	Allied Physics III	U21PH2A3	5	3	3	25	75	100
	IV	Environmental Studies	Environmental Studies	U21ES2	2	2	3	25	75	100
	IV	IV Value added Course CLP/SAP (Special Assistance Programme) SAP Applicable for B.Sc.(CS) & B.Com(CA)			2	2				
					30	20 (2)				600
	Ι	Tamil – III	Tamil- III	U21L3T3	6	3	3	25	75	100
	II	English – III	English – III	U21L3E3	6	3	3	25	75	100
		Core Course – IV	Vector Calculus, Analytical Geometry and Trigonometry	U21MM3C4	6	5	5	25	75	100
III	III	Second Allied Course -I	Mathematical Statistics – I	U21ST3A1	6	3	3	25	75	100
		Second Allied Course -II	Mathematical Statistics Practical Using R	-	4	-	-	-	-	-
	IV	Non Core Elective- I	Fundamentals of information technology	U21CS3N1	2	2	3	25	75	100
	IV	Extra Credit Course	Massive Open Online Course (MOOC)			(2)				
					30	16 (2)				500

	Ι	Tamil – IV	Tamil- IV	U21L4T4	5	3	3	25	75	100
-	II	English – IV	English –IV	U21L4E4	5	3	3	25	75	100
		Core Course – V	Statics	U21MM4C5	5	5	3	25	75	100
	ш	Core Course – VI	Differential Equations and Laplace Transform	U21MM4C6	5	5	3	25	75	100
IV	111	Second Allied Course-II	Mathematical Statistics Practical Using R	U21ST4A2P	2	4	3	40	60	100
		Second Allied Course-III	Mathematical Statistics – II	U21ST4A3	4	3	3	25	75	100
-	IV	Skill Based Elective- I	Mat Lab – A / Quantitative Aptitude- B	U21MM4S1A/B	2	4	3	25	75	100
	IV	Non Core Elective- II	Web Designing	U21CS4N2	2	2	3	25	75	100
				30	29				800	
		Core Course – VII	Algebra – I	U21MM5C7	5	5	3	25	75	100
		Core Course – VIII	Real Analysis – I	U21MM5C8	5	5	3	25	75	100
		Core Course – 1X	Complex Analysis	U21MM5C9	5	4	3	25	75	100
V	III	Core Course – X	Dynamics	U21MM5C10	5	4	3	25	75	100
		Core Elective I	Graph theory- A / Astronomy -B	U21MM5E1A/B	4	4	3	25	75	100
		Skill Based Elective II	Programming in C-A / Introduction to Latex-B	U21MM5S2A/B	2	3	3	25	75	100
	IV	Skill Based Elective III	Programming in 'C' Practicals - A/ Latex Practicals - B	U21MM5S3A/B P	2	3	3	40	60	100
		Soft Skills Development	Soft Skill Development	U21SSD3	2	2	3	25	75	100
-		*			30	30				800
		Core Course – XI	Algebra – II	U21MM6C11	6	5	3	25	75	100
		Core Course – XII	Real Analysis – II	U21MM6C12	6	5	3	25	75	100
		Core Course – XIII	Operation Research	U21MM6C13	6	4	3	25	75	100
VI	III	Core Elective – II	Numerical Methods – A Formal Languages and Automata theory-B	U21MM6E2A/B	5	4	3	25	75	100
		Core Elective – III	Discrete Mathematical Structure - A Fuzzy Mathematics - B	U21MM6E3A/B	6	4	3	25	75	100
	v	Extension Activities	Extension Activities (NSS/ NCC / RRB / YRC / Fine Arts/ Environmental Education / Population, Education Club / Rotract club/ Leo Club /Sports & Games)		1	1	2	25	75	100
			Gender Education	U21EA4	1	1	3	23	13	100
		ΤΟΤΑ	AL		<u>30</u> 180	24 140 (+4)				600 3900

CHAIRMAN BOARD OF STUDIES

Allied Subjects for B.Sc. Mathematics

Any two of the following subjects (Physics / Chemistry / Statistics) can be chosen as allied subjects.

Elective Course: There are 3 Elective Courses offered for B.Sc. Mathematics students. One course from each set should be selected for each elective course. That is, Select one paper from Group –A for Elective Course-I, one paper from Group –B for Elective Course II and one paper from Group - C for Elective Course III.

Name of The Course	Paper Code
Group A	
1. Graph Theory	U21MM5E1A
2. Astronomy	U21MM5E1B
Group B	
1. Numerical Methods	U21MM6E2A
2. Formal Languages and Automata Theory	U21MM6E2B
Group C	
1. Discrete Mathematics	U21MM6E3A
2. Fuzzy Mathematics	U21MM6E3B

Skill Based Elective Course: This course aims to impart advanced and recent developments in the concerned discipline. Select any one set of the skill based Elective course.

Set 1	Set 2
1. Matlab (U21MM4S1A)	1. Quantitative Aptitude(U21MM4S1B)
 Programming in C (U21MM5S2A) Programming in C Practical(U21MM5S3AP) 	 Latex(U21MM5S2B) Latex – Practical (U21MM5S3BP)

Non-Major Course: Irrespective of the discipline the student can select papers that are offered by other disciplines as non-major course. Select any one department for two non-core elective courses from Statistics, Physics, Chemistry, Computer Science, Botany, Zoology, Nutrition and Dietetics

COURSE CODE : U21MM1C1

UNIT - II SU UNIT - II MA UNIT - II MA UNIT - III EN env the UNIT -IV EN cent ord UNIT - V LIN	DIFFERENTIAL CALCULUS CTIVES: Bet exposed to the various concepts of Differential Calculus like n th erivatives, maxima and minima. Apply differentiation to find envelope, curvature and pedal equation of a curve. Develop problem solving skills. CCESSIVE DIFFERENTIATION: The n th derivative –Standard results – conometrical transformation – Formation of equations involving derivatives – onitz formula for the n th derivative of a product – A complete formal proof by action. XIMA AND MINIMA: A geometrical proof of Theorems PARTIAL FERENTIATION, ERRORS AND APPROXIMATIONS: Maxima and Minima unctions of two variables – Working rule – Lagrange's method of undetermined tipliers. VELOPES, CURVATURE OF PLANE CURVES: Method of finding the elopes – Curvature – Circle, radius and centre of curvature – Cartesian formula for radius of curvature. VELOPES, CURVATURE OF PLANE CURVES: The Coordinates of the re of curvature – Radius of curvature when the curve is given in polar co nates – p- r equations; pedal equation of a curve.
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UNIT - IV EN cent ord: UNIT - V LIN case	VELOPES, CURVATURE OF PLANE CURVES: The Coordinates of the re of curvature – Radius of curvature when the curve is given in polar co
UNIT - V LIN case	re of curvature - Radius of curvature when the curve is given in polar co
UNIT - V LIN case	• •
UNIT - V LIN case	nates $-\mathbf{p}$ - r equations: pedal equation of a curve
case	nates p i equations, pedal equation of a carve.
	EAR ASYMPTOTES: Definition-Asymptotes parallel to the axis -Specia
ΤΕΧΤ ΒΟΟΚ·	s – Asymptotes by inspection – Intersection of a curve with its asymptotes.
S.Narayana	n&T.K.Manicavachagom Pillay, Calculus, VolumeI,S.Viswanathan(Printers &
	Pvt., Ltd., 2011, Chennai.
	UnitChapter & SectionIChapter 3: Sections 1.1 to 1.6& 2.1 to 2.2
	II Chapter 5: Sections 1:1 to 1:0cc 2:1 to 2:2
	Chapter 8: Sections 4 to 5
	III Chapter 10: Sections 1.1 to 1.3 & 2.1 to 2.3
	IV Chapter 10: Sections 2.4 & 2.6 to 2.8
	V Chapter 11: Sections 1 to 4 & 6 to 7
DEFEDENCE DA	
REFERENCE BO	
	Sudha, Calculus, First edition (1998), Emerald Publishers, Chennai. Arora& Ramesh Kumar, A Text Book of CALCULUS, First edition (1984),

- PitambarPublishing Company, New Delhi.R.K. Ghosh, K.C.Maity, An Introduction to Analysis, Differential Calculus, Part I, Tenth
- edition(1999),Books andAllied(P)Ltd, Calcutta.
- 4. ShantiNarayanan,P.K.Mittal,Differential Calculus, Tenth Revised Edition(2005),S.Chand&Company, Pvt., Ltd.,New Delhi.
- 5. T. M. Apostal, Calculus, Volume I, Secondedition, WileyPublications, New Delhi.

CHAIRMAN – BOS

Upon successful completion of **Differential Calculus**, Students will be able to

- **CO 1** Compute nth derivatives of algebraic & trigonometric functions. Evaluate nth derivative of product of two functions using Leibnitz formula.
- **CO 2** Find maxima and minima of functions of two independent variables. Use Lagrange's multiplier method to solve constrained optimization problem. Apply PDE to find Jacobian of a given multiple variable.
- CO 3 Demonstrate and compute envelopes, radius and centre of curvature.
- CO 4 Discuss Co-ordinates of centre of curvature, p-r equation and pedal equation of a curve.

CO 5 Explain and evaluate the asymptotes.

Nature of Course

Knowledge and Skill	✓	Employability oriented	~
Skill oriented	√	Entrepreneurship oriented	

MAPPING - COURSE OUTCOME WITH PROGRAMME SPECIFIC OUTCOME

CO/PSO	PSO 1	PSO 2	PSO 3	PSO 4
CO 1	3	3	2	1
CO 2	3	3	2	2
CO 3	3	2	3	1
CO 4	3		1	1
CO 5	3	3	2	

Key: Strongly Correlated – 3 Moderately Correlated – 2 Weakly Correlated – 1 No Correlation – 0

TEACHING METHODOLOGY:

- 1. Lecture (Chalk and Talk OHP LCD)
- 2. Problem Solving Group Discussion
- 3. Quiz Seminar
- 4. Peer Learning

QUESTION PAPER PATTERN – UG

Knowledge level	Section	Word Limit	Marks	Total	Special Instructions if any
K 1	A – 10 x 2 marks	50	20	75	Nil
K 1, K 2	$B-5 \ge 5$ marks (with internal choice)	200	25		
K 2, K 3	C – 3/5 x 10 marks	500	30		

All question papers can be framed in the following cognitive levels

Knowledge Level 1. Recall Knowledge Level 2. Understanding Knowledge Level 3. Application

COURSE DESIGNER: K.KALPANA

CHAIRMAN – BOS

CREDIT: 5

COURSE CODE : U21MM1C2

GOVERNMENT ARTS COLLEGE (AUTONOMOUS), KARUR-639 005.

B.Sc. MATHEMATICS – I SEMESTER - CORE COURSE – II

(For the candidates admitted from the year 2021-2022 onwards)

INTEGRAL CALCULUS AND FOURIER SERIES

COURSE OBJECTIVES:

- 1. Get exposed to the concepts of reduction formulae and Fourier Series
- 2. Apply double and triple integral to find the area and volume.
- 3. Understand the concepts of Beta and Gamma functions and their applications.

UNIT -I	INTEGRATI	ON:			
	Reduction for	mulae – Bernoulli's formula			
UNIT- II	MULTIPLE	INTEGRALS:			
	Definition of t	he Double integral – Evaluation of the double integral.			
UNIT III	MIII TIDI E	INTEGRALS:			
UN11- III	MULTIFLE	INTEGRALS:			
	Triple integra	ls – Application of multiple integrals.			
UNIT -IV	IMPROPER	INTEGRALS: BETA AND GAMMA FUNCTIONS:			
	Definition – C	Convergence of $\Gamma(n)$ – Recurrence formula of Gamma functions –			
		Beta functions – Relation between Beta and Gamma functions.			
	-				
UNIT -V	FOURIER SI	ERIES:			
	Fourier series of periodic functions, Fourier series of odd and even functions.				
	Half range fourier series – change of interval – combination of series.				
TEXT BOO					
	•	n and T. K. ManicavachagomPillay, Calculus II, S. Viswanathan			
		iblishers), Pvt., Ltd., 2010, Chennai.			
2	•	n and T.K. Manicavachagom Pillay, Calculus III,			
	S.Viswanathan(Printers & Publishers), Pvt., Ltd., 2007, Chennai.				
	Unit	Book, Chapter & Section			
	I	Book1, Chapter 1: Sections 13,13.1-13.10,14,15.1			
	II	Book 1, Chapter 5: Sections 2.1 & 2.2			
	III	Book 1, Chapter 5: Sections 4,5.1 to 5.3			
	IV	Book1, Chapter 7: Sections 2.1 to 2.3,3,4			
	V	Book2, Chapter 6: Sections1 to 7			
DEFEDEN	CEBOOKS:				
		y and K. Thilagavathi, Mathematics for B.Sc., Volume II (2004),			
		Company, Ltd, New Delhi.			
2		ol, Calculus II, Fourth edition (1991), John Wiley and Sons,			
	Inc.,NewYor				
3	. S.C.Arora&	Ramesh Kumar, A Text Book of CALCULUS, First edition			
		nbar PublishingCompany,New Delhi.			
4	· / /	van, P.K. Mittal, Integral Calculus, Tenth Revised Edition (2005),			
	S.Chand& C	ompany, Ltd.,New Delhi.			
5		K.C.Maity, An Introduction to Analysis, IntegralCalculus, Part-I,			
	Ninth editior	n(1999),Books and Allied(P) Ltd, Calcutta.			
CILAIDA					
CHAIRM	JIN – ROS	CONTROLLER OF EXAMINATIONS			

Upon successful completion of **Integral Calculus and Fourier series**, Students will be able to

CO 1 Derive reduction formula and thereby evaluate some standard integrals.

CO 2 Apply change of variable method to evaluate double integral.

CO 3 Utilize double and triple integral to compute area and volume of the solid.

- **CO4** Explain the properties of Beta and Gamma function and apply it to compute the integral.
- **CO 5** Identify odd and even function. Use that to determine Fourier series expansion of the given function.

Nature of Course			
Knowledge and Skill	\checkmark	Employability oriented	\checkmark
Skill oriented	√	Entrepreneurship oriented	

MAPPING - COURSE OUTCOME WITH PROGRAMME SPECIFIC OUTCOME

CO/PSO	PSO 1	PSO 2	PSO 3	PSO 4
CO 1	3	2		2
CO 2	3	3	2	1
CO 3	3	2	2	2
CO 4	3	2		3
CO 5	3	2	1	3

Key: Strongly Correlated – 3 Moderately Correlated – 2 Weakly Correlated – 1 No Correlation – 0

TEACHING METHODOLOGY:

- 1. Lecture (Chalk and Talk OHP LCD)
- 2. Problem Solving Group Discussion
- 3. Quiz Seminar
- 4. Peer Learning

QUESTION PAPER PATTERN – UG

Knowledge level	Section	Word Limit	Marks	Total	Special Instructions if any
K 1	A – 10 x 2 marks	50	20		
K 1, K 2	B – 5 x 5 marks	200	25	75	Nil
	(with internal choice)				
K 2, K 3	$C - 3/5 \ge 10 \text{ marks}$	500	30		

All question papers can be framed in the following cognitive levels

Knowledge Level 1. Recall

Knowledge Level 2. Understanding Knowledge Level 3. Application

COURSE DESIGNER: R. AMALA

CHAIRMAN – BOS

CREDIT: 5

COURSE CODE: U21MM2C3

GOVERNMENT ARTS COLLEGE (AUTONOMOUS), KARUR-639 005.

B.Sc. MATHEMATICS – II SEMESTER - CORE COURSE – III

(For the candidates admitted from the year 2021-2022 onwards)

CLASSICAL ALGEBRA

		CLASSICAL ALGEDRA				
	DBJECTIVES: Sum the Serie	s using Rinomial Exponential and Logarithmic series				
		es using Binomial, Exponential and Logarithmic series. inverse of the matrix using Cayley Hamilton Theorem.				
	•	he basic concepts of Theory of Numbers.				
UNIT- I	BINOMIAL	THEOREM: Application of the Binomial Theorem	n to the			
	summation of	f series.				
		TIAL AND LOGARITHMIC SERIES: Summation	– Series			
	which can be	summed up by the logarithmic series.				
UNIT -II	THEORY O	F EQUATIONS: Remainder Theorem –In an equation	with real			
		imaginary roots occur in pairs - In an equation with				
	coefficients irrational roots occur in pairs – Relations between the roots and coefficients of equations – Symmetric function of the roots.					
		r equations – Symmetric function of the foots.				
UNIT - III	THEORY OF EQUATIONS: Transformations of Equations – Reciprocal					
	equation – To increase or decrease the roots – Descartes' Rule of signs –					
	Horner's met	hod.				
UNIT - IV	MATRICES	MATRICES: A Matrix – Scalar Multiplication of a matrix – Equality of				
	matrices – Addition of matrices – Subtraction of matrices – Symmetric matrix –					
	Multiplication of matrices – Inverse matrix – Orthogonal matrix –System of non-homogenous linear equations.					
	non-nomoger	ious inicar equations.				
UNIT- V	THEORY OF NUMBERS: Prime and composite numbers –Divisors of a					
		r N – Euler's function $\Phi(n)$ – The highest power of a				
		n! – The product of r consecutive integers is divisible – Properties of Congruences – Fermat's Theorem –				
	Theorem.	- Properties of Congruences - Fermat's Theorem -	W 115011 5			
TEXT BOO						
		am Pillay, T. Natarajan and K.S.Ganapathy, Algebra	Volume-			
	-	rinters &Publishers),Pvt.,Ltd., 2010, Chennai.				
2. T.K	. Manicavacha	gam Pillay, T. Natarajan and K.S.Ganapathy, Algebra V	/olume –			
II,S.	Viswanathan(F	Printers & Publishers), Pvt., Ltd., 2010, Chennai.				
			1			
	Unit I	Book, Chapter & Section Book 1, Chapter 3: Section 10;				
	1	Book 1, Chapter 4: Section 10, Book 1, Chapter 4: Sections 3 &9				
	II	Book1, Chapter 6: Sections 1 to 12				
	III IV	Book1, Chapter 6: Sections 15 to 17, 24&30 Book 2, Chapter 2: Sections 1 to 8, 9.1,16				
	V	Book 2, Chapter 5: Sections 1,6 to 8,10 to 13,16,17				
REFERENC						
		Ilini,Algebra and Trigonometry(2003),Margam Publishers,Cher Igebra and Trigonometry, Vol I &II (2003), Meenakshi	inai.			
	a.Singaraveiu, A ency,Chennai.	figebra and Trigonometry, Vol I &II (2005), Meenakshi				
3. Dr.	S.Arumugam, Pr	of. A.Thangapandi Isaac, Classical Algebra (2003), New gamm	a			
	lishing House, P	alayamakottai. ena, M.D.Raisingghania, Matrices (1999), S.Chand& Company	y Pyt			
	, New Delhi.	en, m. S. Chandee Company	1 11.,			
		Dr. RimplePundir, Theory of numbers, Third Revised				
edit	ion(2012),Praga	ti Prakashan, Meerut.				

CHAIRMAN –BOS

Upon successful completion of Classical Algebra, Students will be able to

CO1 Sum the series using Binomial, Exponential and Logarithmic expansions.

CO2 Analyse the relation between root and coefficients of a polynomial equation. Form the equations using symmetric roots of a given equation

CO3 Find an approximation of roots of cubic equation by Horner's method.

- **CO4** Compute the inverse of a matrix using Cayley Hamilton Theorem, eigen values and eigen vectors of a matrix.
- **CO5** Analyse and interpret the concept of numbers, divisibility, Congruence, Euler function, Fermat's and Wilson's theorem.

Nature of Course			
Knowledge and Skill	\checkmark	Employability oriented	
Skill oriented	✓	Entrepreneurship oriented	

MAPPINO	MAPPING – COURSE OUTCOME WITH PROGRAMME SPECIFIC OUTCOME					
CO/PSO	PSO 1	PSO 2	PSO 3	PSO 4		
CO 1	3	2	3	3		
CO 2	3	2	1			
CO 4	3	3	2	3		
CO 5	3	2		3		

Key: Strongly Correlated – 3 Moderately Correlated – 2 Weakly Correlated – 1 No Correlation – 0

TEACHING METHODOLOGY:

- 1. Lecture (Chalk and Talk OHP LCD)
- 2. Problem Solving Group Discussion
- 3. Quiz Seminar
- 4. Peer Learning

QUESTION PAPER PATTERN – UG

Knowledge level	Section	Word Limit	Marks	Total	Special Instructions if any
K 1	$A - 10 \ge 2$ marks	50	20		
K 1, K 2	$B-5 \ge 5$ marks	200	25	75	Nil
	(with internal choice)				
K 2, K 3	C – 3/5 x 10 marks	500	30		

All question papers can be framed in the following cognitive levels

Knowledge Level 1. Recall

Knowledge Level 2. Understanding

Knowledge Level 3. Application

COURSE DESIGNER: K.KALPANA

CHAIRMAN - BOS

CREDIT: 5	5 COURSE CODE: U21MM3C4
GO	VERNMENT ARTS COLLEGE (AUTONOMOUS), KARUR - 639 005.
	B.Sc. MATHEMATICS – III SEMESTER - CORE COURSE – IV
	(For the candidates admitted from the year 2021-2022 onwards)
VECT	OR CALCULUS, ANALYTICAL GEOMETRY AND TRIGONOMETRY
COURSE O	BJECTIVES:
1.	Understand the fundamental concepts of vector differentiation.
	Compute line, Surface & volume integral by using Green's, Stokes &
	Gauss Divergence theorem.
	Compute the Fourier Transform of a continuous function. Know the principles and concepts of Trigonometry
UNIT -I	VECTOR DIFFERENTIATION : Gradient, Curl and Divergence - Directional Derivative – Divergence and curl of a vector point function – Vector Identities.
UNIT -II	VECTOR INTEGRATIONS: Evaluation of line integral - Surface integral and
	volume integral - Application of Green's theorem - Gauss-Divergence theorem -
	Stokes' theorem (proofs of theorems not included) -Problems.
UNIT- III	PLANE: First degree equation - Determination of a plane - Plane perpendicular to
0111-111	a given direction – Planes parallel to given lines and through given points –
	Equations $P + \lambda P' = 0$ – Second degree homogeneous equation – Coplanarity of
	the lines through a point - Perpendicular to a plane - Positions of points with
	reference to a plane – Bisector planes of the angles between two given planes –
	Volume of a tetrahedron – Sums.
	STRAIGHT LINES: Equations of a straight line – Conditions for various
	situations of a line – Angle between a plane and a line – Projection of a line –
	Perpendicular drawn to a line – Shortest distance between two skew lines – Line
	intersecting a given line – Lines of intersection of three planes – Equations of two
	given skew lines – Surface generated by a straight line – Sums.
UNIT -IV	SPHERE: Equation of a sphere – Standard equation of a sphere – Results based
	on the properties of a sphere – Tangent plane to a sphere - Radical plane -
	Equations of a circle – Equations $S + \lambda P = 0$ and $S + \lambda S' = 0$ – Sums.
	CONE: Cone – Equation of a cone – Cone whose vertex is at the origin – Quadric
	cone with vertex at the origin General quadric cone - Sums.

UNIT -V	EXPANSIONS: Expansions of $\cos n\theta$ and $\sin n\theta$ – Expansion of $\tan n\theta$ in powers of $\tan \theta$ – Expansion of $\tan \theta$ – Reverse of single and
	powers of $\tan \theta$ – Expansion of $\tan (A + B + C + \cdots)$ – Powers of sines and cosines of θ in terms of functions of multiples of θ – Expansions of $\sin \theta$ and $\cos \theta$
	in a series of ascending powers of θ .
	HYPERBOLIC FUNCTIONS: Hyperbolic functions – Relations between
	hyperbolic functions – Inverse hyperbolic functions.

TEXT BOOKS:

- 1. P. R. Vittal and V. Malini, Vector Analysis, Margham Publications, 1997, Chennai.
- 2. P. Duraipandian, Laxmi Duraipandian and D. Muhilan, Analytical Geometry, Emerald Publishers, 1986, Chennai.
- 3. S. Narayanan and T.K. Manickavachagom Pillay, Trigonometry, S. Viswanathan (Printers & Publishers)Pvt.,Ltd., 2010, Chennai.

Unit	Book, Chapter& Section
Ι	Book1, Chapter 1: Sections All
Π	Book 1, Chapter 2 : Sections All
III	Book 1, Chapter 3, 4 : Sections All
	Book 2, Chapter 5: Sections All
IV	Book 2, Chapter 6: Sections 6.1 to 6.5 & 6.13
	Book 1, Chapter 3: Sections 1 to 5
V	Book 1, Chapter 4: Sections All

REFERENCE BOOKS:

- 1. K.Venkataraman- Engineering Mathematics Part B, National Publishing Company, Chennai.
- 2. B.S.Grewl, Higher Engineering Mathematics (2002), Khanna Publishers, NewDelhi.
- 3. A.Singaravelu, Algebra and Trigonometry Volume I (2003), Meenakshi Agency, Chennai.
- 4. S.L.Loney, Plane Trigonometry PartII (1982), Cambridge University Press London.
- 5. Dr.M.D. Raisinghania, H.C.Saxena, H.K.Dass, Trigonometry (1999), S. Chand & company Pvt Ltd, New Delhi.

CHAIRMAN- BOS

Upon successful completion of **Vector Calculus and Analytical Geometry**, Students will be able to **CO 1** Discuss the Basic concepts of gradient, Scalar Potential, Directional Derivative, Divergence and Curl.

- **CO 2** Evaluate line integral, surface integral and volume integral.
- **CO 3** Apply Green's theorem, Gauss-Divergence theorem, Stokes theorem to evaluate Area and Volume.
- **CO 4** Discuss the geometrical concept of planes, straight line, sphere and cones.
- **CO 5** Determine the hyperbolic functions and inverse hyperbolic function and study the relation between them

Nature of Course			
Knowledge and Skill	~	Employability oriented	
Skill oriented	~	Entrepreneurship oriented	

MAPPING – C	COURSE OUTCO	ME WITH PROGI	RAMME SPECIFI	C OUTCOME
CO/PSO	PSO 1	PSO 2	PSO 3	PSO 4
CO 1	3			
CO 2	3	3	3	3
CO 3	3	3	3	3
CO 4	3		2	1
CO 5	3	3	3	2

Key: Strongly Correlated – 3 Moderately Correlated – 2 Weakly Correlated – 1 No Correlation – 0

TEACHING METHODOLOGY:

- 1. Lecture (Chalk and Talk OHP LCD)
- 2. Problem Solving Group Discussion
- 3. Quiz Seminar
- 4. Peer Learning

QUESTION PAPER PATTERN – UG

Knowledge level	Section	Word Limit	Marks	Total	Special Instructions if any
K 1	$A - 10 \ge 2$ marks	50	20		
K 1, K 2	B – 5 x 5 marks (with internal choice)	200	25	75	Nil
K 2, K 3	$C - 3/5 \ge 10$ marks	500	30		

All question papers can be framed in the following cognitive levels

Knowledge Level 1. Recall Knowledge Level 2. Understanding Knowledge Level 3. Application

COURSE DESIGNER: K.KALPANA

CHAIRMAN-BOS

GOVERNMENT ARTS COLLEGE (AUTONOMOUS), KARUR-639 005. B.Sc. MATHEMATICS – III SEMESTER - SECOND ALLIED COURSE – I

(For the candidates admitted from the year 2021-2022 onwards)

MATHEMATICAL STATISTICS – I

COURSE OBJECTIVES:

The aim of this course is to introduce the concept of discrete and continuous random variables, probability functions, expectations, moment generating functions and some discrete and continuous distributions and should have developed skills to apply them to various real life situations.

UNIT - I	Random variables and Distribution Functions: Two Dimensional Random variables - Two Dimensional or Joint Probability Mass function - Two Dimensional Distribution Function – Marginal Distribution Functions – Joint Density Function – Marginal Density Function – The Conditional Distribution Function and Conditional Probability Density Function – Simple Problems. Mathematical Expectation: Introduction – Mathematical Expectation or Expected Value of Random Variable – Expected Value of Function of a Random Variable – Properties of Expectation.
UNIT -II	 Mathematical Expectation: Properties of Variance – Covariance – Variance of a Linear Combination of Random Variables – Moments of Bivariate Probability Distributions – Conditional Expectation and Conditional Variance – Simple Problems. Moment Generating Functions: Moment Generating Functions- Properties of Moment Generating Functions – Uniqueness Theorem of Moment Generating Functions – Cumulants – Properties of Cumulants (self study) – Simple Problems.
UNIT- III	Moment Generating Functions: Characteristic Function (self study) – Properties of Characteristic Function – Chebychev's inequality – Simple Problems. Special Discrete Probability Distributions: Binomial Distribution – Moments of Binomial Distribution – Recurrence Relation for the Moments of Binomial Distribution – Moment Generating Function of Binomial Distribution – Additive Property of Binomial Distribution – Simple Problems. Poisson Distribution – Moments of Poisson Distribution – Recurrence Relation of Moments of the Poisson Distribution – Moment Generating Function of Poisson Distribution – Characteristic Function of the Poisson Distribution – Cumulants of the Poisson Distribution – Additive or Reproductive Property of Independent Poisson Variates - Simple Problems.
UNIT -IV	Special Continuous Probability Distributions: Normal Distributions – Chief Characteristics of the Normal Distribution – M.G.F. of Normal Distribution – C.G.F. of Normal Distribution – Moments of Normal Distribution – A linear Combination of Independent Normal Variates – Simple Problems. Rectangular Distribution – Moments of Rectangular Distribution – M.G.F. of Rectangular Distribution – Characteristic Function of Rectangular Distribution – Mean Deviation about Mean – Simple Problems.
UNIT- V	Special Continuous Probability Distributions: Gamma Distribution – M.G.F. of Gamma Distribution – C.G.F. of Gamma Distribution – Additive Property of Gamma Distribution – Beta Distributions of first kind – Constants of Beta Distributions of first kind – Beta Distributions of second kind – Constants of Beta Distributions of second kind – Exponential Distribution – M.G.F. of Exponential Distribution – Simple Problems.

TEXT BOOKS:

Gupta S.C. and Kapoor V.K, Fundamentals of Mathematical Statistics, Eleventh Edition S.Chand& Sons, 2009.

Unit	Chapter & Section
Ι	Chapter 5: Sections 5.5, 5.5.1 to 5.5.5 Chapter 6: Sections 6.1 to 6.4
II	Chapter 6: Sections 6.5, 6.6, 6.6.1, 6.8, 6.9. Chapter 7: Sections 7.1, 7.1.2, 7.1.3, 7.2, 7.2.1.
III	Chapter 7: Sections 7.3, 7.3.1, 7.5. Chapter 8: Sections 8.4, 8.4.1, 8.4.2, 8.4.6, 8.4.7, 8.5, 8.5.2, 8.5.4, 8.5.5, 8.5.8.
IV	Chapter 9: Sections 9.2, 9.2.2, 9.2.5, 9.2.6, 9.2.7, 9.2.8, 9.3 to 9.3.4.
V	Chapter 9: Sections 9.5 to 9.5.3, 9.6, 9.6.1, 9.7, 9.7.1, 9.8, 9.8.1.

REFERENCE BOOKS:

- 1. Hogg R.V. and Craigh A.G, Introduction to Mathematical Statistics, Pearson Education publications, 2004.
- 2. Veerarajan.T,Fundamentals of Mathematical Statistics, Yes Dee Publishing Pvt.Ltd, 2017.
- 3. Vital P.R, Mathematical Statistics, Margham Publications, 2004.

CHAIRMAN - BOS

Upon successful completion of Mathematical Statistical-I, Students will be able to

- CO1 Distinguish types of studies and their limitations and strengths.
- CO2 Understand random variables and probability distributions.
- CO3 Know the difference between discrete and continuous random variables.
- CO4 Compute expected value and variance of discrete and continuous random variables.
- **CO5** Acquire the knowledge by using Binomial distribution, Poisson distribution etc.

Nature of Course		
Knowledge and Skill	Employability oriented	✓
Skill oriented	Entrepreneurship oriented	\checkmark

CO/PSO	PSO 1	PSO 2	PSO 3	PSO 4
CO 1	3			2
CO 2	3		2	
CO 3	3		2	2
CO 4	3	3	3	3
CO 5	3		3	2

Key: Strongly Correlated -3 Moderately Correlated -2 Weakly Correlated -1 No Correlation -0

TEACHING METHODOLOGY:

- 1. Lecture (Chalk and Talk OHP LCD)
- 2. Problem Solving Group Discussion
- 3. Quiz Seminar
- 4. Peer Learning

QUESTION PAPER PATTERN – UG

Knowledge level	Section	Word Limit	Marks	Total	Special Instructions if any
K1	$A - 10 \ge 2$ marks	50	20		
K1, K2	B – 5 x 5 marks (with internal choice)	200	25	75	Nil
K2, K3	$C - 3/5 \ge 10$ marks	500	30		

All question papers can be framed in the following cognitive levels

Knowledge Level 1. Recall Knowledge Level 2. Understanding Knowledge Level 3. Application

COURSE DESIGNER : K.KALPANA

CHAIRMAN –BOS

GOVERNMENT ARTS COLLEGE (AUTONOMOUS), KARUR-639 005. B.Sc. MATHEMATICS – IV SEMESTER - CORE COURSE - V

(For the candidates admitted from the year 2021-2022 onwards)

STATICS

COURSE OBJECTIVES:

- 1. Understand the basic concepts of forces and friction acting on a static body.
- 2. Study the equilibrium of a particle and momentum of force acting on a rigid body.
- 3. Get familiarized with the concepts of couple and evaluate mass centre.

UNIT -I Force: Newton's laws of motion – Resultant of two forces on a particle – Equilibrium of a Particle: Equilibrium of a particle – Limiting equilibrium of a particle on an inclined plane.

- UNIT- II Forces on a Rigid Body: Moment of a force General motion of a rigid body – Equivalent Systems of forces – Parallel forces – Forces along the sides of a triangle.
- UNIT -III Forces on a Rigid Body: Couples A Specific Reduction of Forces: Reduction of coplanar forces into a force a couple – Problems involving frictional forces.
- **UNIT- IV** Centre of Mass: Centre of mass Finding mass center.
- **UNIT -V** Hanging Strings: Equilibrium of a uniform homogeneous string Suspension bridge.

TEXT BOOKS:

P. Duraipandian, LaxmiDuraipandian and MuthamizhJayapragasam, Mechanics, 6th Revised Edition, S. Chand and Company Ltd, New Delhi, 2005.

Unit	Chapter& Section
Ι	Chapter 2: Sections All
	Chapter 3: Sections All
II	Chapter 4: Sections 4.1 to 4.5
III	Chapter 4: Section 4.6,
	Chapter 5: Sections All (omit 5.2.1)
IV	Chapter 6: Sections 6.1 & 6.2 (Omit 6.2.3 and 6.2.4)
V	Chapter 9: Sections All

REFERENCE BOOKS:

- 1. A.V. Dharmapadam, Statics, S.Viswanathan Printers & Publishers Ltd, Chennai, (2006).
- 2. K. Viswanath Naik & M.S. Kasi, Statics, Emerald Publishers Chennai, 1987.
- 3. S.G. Venkatachalapathy, Statics, Margham Publications, Chennai, 2005.
- 4. Golden Maths Series, Statics, N.P.Bali, FirewallMedia, An Imprint of laxmi Publications Pvt. Ltd, New Delhi .
- 5. A.R.Vasishtha&R.K.Gupta, Statics, Krishna's Educational Publishers, Meerut.

CHAIRMAN-BOS

- **CO 1** Discuss the fundamental concepts of forces and friction and to find the resultant of two or more forces acting on a particle.
- **CO 2** Apply the concepts of Lami's Theorem to determine the equilibrium of a particle under three or more forces. Discuss the Limiting Equilibrium of a particle on an Inclined Plane.
- **CO 3** Explain the concepts of Forces on a Rigid Body. Investigate the Resultant of Like and unlike parallel forces and Varignon's theorem to find the Moment of a force.
- **CO 4** Discuss the Basic concepts of Hanging strings.

CO 5 Evaluate the Centre of Mass for the Plane area, Circle, Cone, Hemisphere.

Nature of Course			
Knowledge and Skill	\checkmark	Employability oriented	
Skill oriented	\checkmark	Entrepreneurship oriented	

MAPPING – COURSE OUTCOME WITH PROGRAMME SPECIFIC OUTCOME

CO/PSO	PSO 1	PSO 2	PSO 3	PSO 4
CO 1	3			
CO 2	3	3		3
CO 3	3	2	3	3
CO 4	3	2		3
CO 5	3	3	3	3

Key: Strongly Correlated – 3 Moderately Correlated – 2 Weakly Correlated – 1 No Correlation – 0

TEACHING METHODOLOGY:

- 1. Lecture (Chalk and Talk OHP LCD)
- 2. Problem Solving Group Discussion
- 3. Quiz Seminar
- 4. Peer Learning

QUESTION PAPER PATTERN – UG

Knowledge level	Section	Word Limit	Marks	Total	Special Instructions if any
K 1	A – 10 x 2 marks	50	20		
K 1, K 2	$B-5 \ge 5$ marks	200	25	75	Nil
	(with internal choice)				
K 2, K 3	$C - 3/5 \ge 10 \text{ marks}$	500	30		

All question papers can be framed in the following cognitive levels

Knowledge Level 1. Recall Knowledge Level 2. Understanding Knowledge Level 3. Application

COURSE DESIGNER: S.MURUGAMBIGAI

CHAIRMAN - BOS

CREDIT: 5		COURSE CODE: U21MM4C6
GC		ARTS COLLEGE (AUTONOMOUS), KARUR-639 005.
		EMATICS – IV SEMESTER - CORE COURSE - VI
	(For the ca	andidates admitted from the year 2021-2022 onwards)
	DIFFERENT	IAL EQUATIONS AND LAPLACE TRANSFORM
COURSE OBJ		
2	 Solve second Determine the 	rdinary differential equations from partial differential equations. order differential equations. e solution of exact differential equation using Integrating factor. e Transform to solve differential equations
:]	separable– Homo EQUATIONS	OF THE FIRST ORDER AND OF THE FIRST DEGREE: Variable ogeneous equations - Bernoulli's equation. OF FIRST ORDER, BUT OF HIGHER DEGREE: Equations Equations solvable for y – Equations solvable for x –Clairaut's form.
	operator D – Co Particular Integr	ATION WITH CONSTANT COEFFICIENTS : Definitions – The mplementary function of a linear equation with constant coefficients – al. LINEAR EQUATION WITH VARIABLE COEFFICIENTS : with variable coefficients, Variation of Parameters.
	differential equ Solutions of DIFFERENTIA	DF THE FIRST ORDER AND OF THE FIRST DEGREE: Exact tations. SIMULTANEOUS DIFFERENTIAL EQUATIONS: $\frac{dx}{p} = \frac{dy}{Q} = \frac{dz}{R}$ Methods for solving $\frac{dx}{p} = \frac{dy}{Q} = \frac{dz}{R}$. TOTAL L EQUATIONS: Rule for integrating $Pdx + Qdy + Rdz = 0$ – can be worked easily by a judicious grouping of the terms.
	Classification of method of solvin	FFERENTIAL EQUATIONS OF THE FIRST ORDER: integrals – Derivation of partial differential equations – Lagrange's og the linear equation. Special methods; Standard forms – Standard I – ndard III – Standard IV; Clairaut's form.
	conditions for th Application of 1 differential equat	E TRANSFORMS: Definitions. Piecewise continuity – Sufficient e existence of the Laplace Transform. Inverse Transform, Properties – Laplace Transform to solution of the first and second order linear tions (with constant coefficients).
Revised 2. S. Naray	anan &T.K. Mar Ninth Edition (1	nickavachagamPillay, Differential Equations and its Applications, 985), S.Viswanathan (Printers & Publishers),Pvt., Ltd., 2006, Chennai. Ianickavachagom Pillay, Calculus Volume III, S.Viswanathan(Printers 2007, Chennai
	Unit	Chapter & Section
	Ι	Book 1, Chapter2: Sections1,2,5; Chapter 4: Sections1 to 3
	II	Book 1, Chapter 5: Sections 1 to 5; Chapter 8: Section 4
	III	Book 1, Chapter 2: Section 6 Chapter 6: Section 3& 4
		Chapter 11: Section 1.3&1.4
	IV V	Book 1, Chapter 12: Sections 1 to 4,5.1 to 5.4
	V	Book 2, Chapter 5: Sections All
REFERENCE B 1.P.R.Vittal Chennai.		ations and Laplace transformations, First edition (2004), Margham Publications,
New Delh	ni.	ations and their applications, Second edition (2006), Prentice Hall of India Pvt., Ltd.,
Education	n, NewYork.	Costa, Differential Equations, Third edition (2000), Schaum's Outlines, McGraw Hill
Company	Ltd., New Delhi.	ary and Partial Differential Equations, Revised Ninth edition (2005), S.Chand &
J. M.K.Ven	kataraman, Higher I	Engineering Mathematics, III-B (1998), National Publishing Co., Chennai
CHAIRMAN	– BOS	CONTROLLER OF EXAMINATIONS

Upon successful completion of Differential Equations, Students will be able to

- **CO 1** Analyze and solve the first order differential equation.
- **CO 2** Compute Complementary function and Particular integral for the Linear equation with constant Co-efficients.
- **CO 3** Compute Complementary function and Particular integral for the Linear equation with variable Co-efficients. Discuss the method of variation of Parameters.
- CO 4 Evaluate the solution of exact equations, Total Differential Equations, Lagrange's Equation.
- **CO 5** Compute the Laplace Transforms and Inverse Laplace Transforms of various basic mathematical functions

Nature of Course		
Knowledge and Skill	Employability oriented	✓
Skill oriented	Entrepreneurship oriented	√

MAPPING – COURSE OUTCOME WITH PROGRAMME SPECIFIC OUTCOME

CO/PSO	PSO 1	PSO 2	PSO 3	PSO 4
CO 1	3	3		
CO 2	3	3	3	3
CO 3	3	3	3	3
CO 4	3	3	3	3
CO 5	3	3	3	3

 $\textbf{Key: Strongly Correlated} - 3 \ \textbf{Moderately Correlated} - 2 \ \textbf{Weakly Correlated} - 1 \ \textbf{No Correlation} - 0$

TEACHING METHODOLOGY:

- 1. Lecture (Chalk and Talk OHP LCD)
- 2. Problem Solving Group Discussion
- 3. Quiz Seminar
- 4. Peer Learning

QUESTION PAPER PATTERN – UG

Knowledge level	Section	Word Limit	Marks	Total	Special Instructions if any
K 1	$A - 10 \ge 2$ marks	50	20		
K 1, K 2	B – 5 x 5 marks (with internal choice)	200	25	75	Nil
K 2, K 3	$C - 3/5 \ge 10$ marks	500	30		

All question papers can be framed in the following cognitive levels

Knowledge Level 1. Recall

Knowledge Level 2. Understanding

Knowledge Level 3. Application

COURSE DESIGNER: K.KALPANA

CHAIRMAN – BOS

CREDIT: 4

GOVERNMENT ARTS COLLEGE (AUTONOMOUS), KARUR - 639 005. B.Sc. MATHEMATICS – IV SEMESTER - SECOND ALLIED COURSE - II

(For the candidates admitted from the year 2021-2022 onwards)

MATHEMATICAL STATISTICS PRACTICAL USING R

COURSE OBJECTIVES:

To enable students to be equipped with the knowledge of R- Programming and apply it to compute statistical measures.

- 1. Diagrammatic representation of data by subdivided and multiple Bar diagram, pie chart.
- 2. Graphical representation of frequency data Rod & Spike graph, frequency polygon. Less than and more than O gives.
- 3. Correlation and rank correlation between two variables.
- 4. Regression lines of X on Y and Y on X.
- 5. Measures of central tendency: Mean, Median& Mode.
- 6. Measures of central tendency: Skewness and Kurtosis.
- 7. Fitting of distribution Binomial, Poisson and Normal.
- 8. Chi-Square test of Goodness of fit.
- 9. Test of Significant difference between two means and two proportions.
- 10. Paired t- test.

TEXT BOOK:

Sudha G. Purohit, Sharad D. Gore and Shailaja R. Deshmukh, Statistics using R , Second Edition (2015), Narosa Publishing House, New Delhi.

REFERENCE BOOKS:

- 1 Gupta S.C.and KapoorV.K.: Fundamendals of Mathematical Statistics–Sultan Chand & Sons.
- 2 R.S.N. Pillaiand Bagavathi, Practical statistics, Second edition(2013)

CHAIRMAN - BOS

Upon successful completion of **Mathematical Statistics Practical Using R Software**, Students will be able to Effectively use 'R' software

CO 1Critically evaluate the underlying assumptions of analysis tools.

CO 2Discuss critically the uses and limitations of statistical analysis PO.

CO 3Solve a range of problems using the techniques covered.

CO 4 Derive at statistical inferences from various distributions.

CO 5Understand and critically discuss the issues surrounding sampling and significance

Nature of Course			
Knowledge and Skill	\checkmark	Employability oriented	
Skill oriented	\checkmark	Entrepreneurship oriented	

MAPPING - COURSE OUTCOME WITH PROGRAMME SPECIFIC OUTCOME

CO/PSO	PSO 1	PSO 2	PSO 3	PSO 4
CO 1	3	3	3	3
CO 2	3		3	
CO 3	3	3	3	3
CO 4	3	3	3	3
CO 5	3		3	

Key: Strongly Correlated – 3 Moderately Correlated – 2 Weakly Correlated – 1 No Correlation – 0

TEACHING METHODOLOGY:

- 1. Lecture (Chalk and Talk OHP LCD)
- 2. Problem Solving Group Discussion
- 3. Quiz Seminar
- 4. Peer Learning

QUESTION PAPER PATTERN – UG

Knowledge level	Section	Word Limit	Marks	Total	Special Instructions if any
K 1, K 2, K 3	3 /5 x1 5 marks (with internal choice)	500	45	60	
	Record		15		

All question papers can be framed in the following cognitive levels

Knowledge Level 1. Recall

Knowledge Level 2. Understanding

Knowledge Level 3. Application

COURSE DESIGNER: Dr. A. VADIVEL

CHAIRMAN - BOS

GOVERNMENT ARTS COLLEGE (AUTONOMOUS), KARUR - 639 005. B.Sc. MATHEMATICS – IV SEMESTER - SECOND ALLIED COURSE - III (For the candidates admitted from the year 2021-2022 onwards)

MATHEMATICAL STATISTICS – II

COURSE OBJECTIVES:

The objective of this paper is to introduce the concepts about correlation, regression, sample theory, sampling distributions and theory of estimation.

- UNIT-I Correlation: Introduction Meaning of Correlations Scatter Diagram Karl Pearson's Coefficient of Correlation Limits for Correlation Coefficient Calculation of the Correlation Coefficient for a Bivariate Frequency Distribution Rank Correlation Spearman's Rank Correlation Coefficient Problems Only (no derivations).
 Linear Regression: Introduction Linear Regression Regression Coefficients
 - Properties of Regression Coefficients Angle Between Two Lines of Regression (self study) Simple Problems.
- UNIT- II Large Sample Theory: Introduction Types of Sampling Purposive Sampling Random Sampling – Simple Sampling – Stratified Sampling – Parameter and Statistic – Sampling Distribution of a Statistic – Standard Error – Tests of Significance – Null and Alternative Hypothesis – Errors in Sampling – Critical Region and Level of Significance – One –tailed and Two – tailed tests – Critical Values or Significant Values – Procedure for testing of Hypothesis – Tests of Significance for Large Samples – Sampling of Attributes – Test of Significance for Single Proportion – Test of Significance for Difference of Proportions – Simple Problems.
- UNIT -III Large Sample Theory: Sampling of Variables Test of Significance for Single Mean Test of Significance for Difference of Means (self study) Simple Problems.
 Chi Square Distribution: Applications of Chi Square Distribution Inferences about a Population Variance Goodness of Fit Test Test of Independence of Attributes Contingency Tables Simple Problems.
- **UNIT -IV t, F, z Distributions:** Applications of t-Distribution, t-test for Single Mean t-test for Difference of Means t-test for Testing the Significance of an Observed Sample Correlation Coefficient Applications of F-distribution F-test for Equality of Two Population Variances Simple Problems.
- UNIT -V Theory of Estimation: Introduction Characteristic of Estimators Unbiasedness Consistency – Efficient Estimators – Sufficiency – Cramer – Rao inequality – Simple Problems – Methods of Estimation – Method of Maximum Likelihood Estimation – Properties of Maximum Likelihood Estimators – Method of Moments – Simple Problems.

TEXT BOOKS:

Gupta S.C. and Kapoor V.K, Fundamentals of Mathematical Statistics, Eleventh Edition, S.Chand& Sons, 2009.

50113, 2007.

Unit	Chapter & Section
Ι	Chapter 10: Sections 10.1, 10.2, 10.3, 10.4, 10.4, 10.4, 10.5, 10.7, 10.7, 1.
	Chapter 11: Sections 11.1, 11.2, 11.2.1, 11.2.2, 11.2.3.
Π	Chapter 14: Sections 14.1, 14.2, 14.2.1, 14.2.2, 14.2.3, 14.2.4, 14.3, 14.3.1,
	14.3.2, 14.4, 14.4.1 – 14.4.5, 14.5, 14.6, 14.7, 14.7.1, 14.7.2.
III	Chapter 14: Sections 14.8, 14.8.3, 14.8.4.
	Chapter 15: Sections 15.6, 15.6.1, 15.6.2, 15.6.3.
IV	Chapter 16: Sections 16.3, 16.3.1, 16.3.2, 16.3.4, 16.6, 16.6.1.
V	Chapter 17: Sections 17.1, 17.2, 17.2.1, 17.2.2, 17.2.3, 17.2.4, 17.3, 17.6,
	17.6.1, 17.6.3.

REFERENCE BOOKS:

1. Hogg R.V. and Craigh A.G, Introduction to Mathematical Statistics, Pearson Education publications, 2004.

2. Veerarajan. T, Fundamentals of Mathematical Statistics, Yes Dee Publishing Pvt., Ltd, 2017.

3. Vital P.R, Mathematical Statistics, Margham Publications, 2004.

CHAIRMAN - BOS

Upon successful completion of Mathematical Statistical-II, Students will be able to

- **CO1** Understand the meaning of correlation, regression and its properties.
- **CO2** Analyse the concepts of sampling techniques and procedure for testing of hypothesis for large samples.
- CO3 Demonstrate the use of chi-square distribution
- **CO4** Apply the concepts of t, F, z-distributions and its applications.
- **CO5** Describe important theoretical results and understand how they can be applied to answer statistical questions.

Nature of Course		
Knowledge and Skill	Employability oriented	✓
Skill oriented	Entrepreneurship oriented	~

MAPPING - COURSE OUTCOME WITH PROGRAMME SPECIFIC OUTCOME

CO/PSO	PSO 1	PSO 2	PSO 3	PSO 4
CO 1	3		3	3
CO 2	3	3	2	
CO 3	3			
CO 4	3	3	3	3
CO 5	3		2	3

Key: Strongly Correlated - 3 Moderately Correlated - 2 Weakly Correlated - 1 No Correlation - 0

TEACHING METHODOLOGY:

- 1. Lecture (Chalk and Talk OHP LCD)
- 2. Problem Solving Group Discussion
- 3. Quiz Seminar
- 4. Peer Learning

QUESTION PAPER PATTERN – UG

Knowledge level	Section	Word Limit	Marks	Total	Special Instructions if any
K 1	A – 10 x 2 marks	50	20		
K 1, K 2	$B-5 \ge 5$ marks	200	25	75	Nil
	(with internal choice)				
K 2, K 3	$C - 3/5 \ge 10 \text{ marks}$	500	30		

All question papers can be framed in the following cognitive levels

Knowledge Level 1. Recall Knowledge Level 2. Understanding Knowledge Level 3. Application

COURSE DESIGNER: R.AMALA

CHAIRMAN -BOS

CREDIT: 4

COURSE CODE: U21MM4S1A

GOVERNMENT ARTS COLLEGE (AUTONOMOUS), KARUR-639 005. B.Sc. MATHEMATICS - IV SEMESTER - SKILL BASED ELECTIVE - I (For the candidates admitted from the year 2021-2022 onwards) MATLAB **COURSE OBJECTIVES:** 1. Use Matlab for interactive computations. 2. Familiar with memory and file management in Matlab. 3. Generate plots and export this for use in reports and presentations. 4. To program scripts and functions using the Matlab development environment. UNIT - I Mathematical Modeling, Numerical Methods, and Problem Solving: A simple Mathematical Model – Conservation laws in Engineering and Science - Numerical Methods. UNIT - II MATLAB Fundamentals: The MATLAB Environment - Assignment -Mathematical operations – Use of Built – In Functions – Graphics – Other Resources – Case study – Exploratory Data Analysis. UNIT -III Programming with MATLAB: M-Files – Input – Output – Structured Programming – Nesting and Indentation. **UNIT - IV Programming with MATLAB:** Passing Functions To M - Files – CaseStudy : Bungee Jumper Velocity. **UNIT - V** Roundoff and Truncation Errors: Errors – Round Off Errors – Truncation Errors – Total Numerical Error –Blunders – Model Errors – Data Uncertainty problems.

TEXT BOOK:

Steven C. Chapra, Applied Numerical Methods with MATLAB for Engineers AndScientists, TATAMcGraw -Hill Publishing company Ltd., 2007.

Unit	Chapters& Section
Ι	Chapter 1: Sections All
Π	Chapter 2:Sections All
III	Chapter 3: Sections 3.1 to 3.4
IV	Chapter 3: Sections 3.5 to 3.6
V	Chapter 4: Sections All

REFERENCE BOOKS:

- 1. Stanley, Technical Analysis and applications with Matlab, Printed and bounded in India by Barkhanath printers, Delhi, I indian Reprint 2007.
- Brian -R.Hunt, Ronald l.LipsmanJonathan, M. Rosenberg, Aguide to MatlabForBeginnners and Experienced users, Printed in India at Raplika press PvtLtd., Kundly, CambridgeUniversity press, Reprint 2005.

CHAIRMAN -BOS

Upon successful completion of MATLAB, Students will be able to

- **CO 1** Understand the need for simulation/implementation for the verification of mathematical functions.
- **CO 2** Understand the main features of the MATLAB program development environment to enable their usage in the higher learning.
- **CO 3** Implement simple mathematical functions/equations in numerical computing environment such as MATLAB.
- **CO 4** Interpret and visualize simple mathematical functions and operations thereon using plots/display.
- **CO 5** Analyze the program for correctness and determine/estimate/predict the output and verify it under simulation environment using MATLAB tools.

Nature of Course

Knowledge and Skill	✓	Employability oriented	
Skill oriented	✓	Entrepreneurship oriented	

MAPPING - COURSE OUTCOME WITH PROGRAMME SPECIFIC OUTCOME

CO/PSO	PSO 1	PSO 2	PSO 3	PSO 4
CO 1	3		2	
CO 2	3		2	
CO 3	3	3		3
CO 4	3		2	
CO 5	3	3		3

 $\textbf{Key: Strongly Correlated} - 3 \ \textbf{Moderately Correlated} - 2 \ \textbf{Weakly Correlated} - 1 \ \textbf{No Correlation} - 0$

TEACHING METHODOLOGY:

- 1. Lecture (Chalk and Talk OHP LCD)
- 2. Problem Solving Group Discussion
- 3. Quiz Seminar
- 4. Peer Learning

QUESTION PAPER PATTERN – UG

Knowledg level	ge Section	Word Limit	Marks	Total	Special Instructions if any
K 1	A – 10 x 2 mar	ks 50	20		
K 1, K 2			25	75	Nil
	(with internal cho	pice)			
K 2, K 3	$C - 3/5 \ge 10 \text{ ma}$	rks 500	30		

All question papers can be framed in the following cognitive levels

Knowledge Level 1. Recall Knowledge Level 2. Understanding Knowledge Level 3. Application

COURSE DESIGNER: K.SUDHA

CHAIRMAN - BOS

CREDIT: 4

COURSE CODE: U21MM4S1B

GOVERNMENT ARTS COLLEGE (AUTONOMOUS), KARUR-639 005. B.Sc. MATHEMATICS – IV SEMESTER - SKILL BASED ELECTIVE – I

(For the candidates admitted from the year 2021-2022 onwards)

QUANTITATIVE APTITUDE

COURSE OBJECTIVES:

- 1. To enhance the problem solving skills and to improve the basic mathematical skills.
- 2. To help students who are preparing for any type of competitive examinations

UNIT -I	Numbers – HCF and LCM – Decimal Fractions -Simplification -Average -
	Problems on numbers.
UNIT -II	Problems on Ages- Surds and Indices – Percentage – Profit and Loss - Ratio and
	Proportion – Partnership.
UNIT- III	Chain Rule - Time and Work – Pipes and Cistern – Time and Distance.
UNIT- IV	Problems on trains – Boats and Streams - Simple Interest – Compound Interest –
	Logarithm.
UNIT -V	Area – Volume and Surface Areas – Data Interpretation : Tabulation – Bar
	Graphs – Pie Charts – Line Graph.
TEXT BOO	K.

TEXT BOOK:

R. S. Aggarwal, "Quantitative Aptitude", S. Chand & Company Ltd., Ram Nagar, New Delhi, 2011.

UNITS	CHAPTERS
Unit I	Chap 1, 2, 3, 4, 6 & 7
Unit II	Chap 8, 9, 10, 11,12 &13
Unit III	Chap 14, 15, 16& 17
Unit IV	Chap 18, 19, 21, 22 & 23.
Unit V	Chap 24, 25, 36, 37, 38 & 39

REFERENCE BOOK:

1. Abhijit Guha, **"Quantitative Aptitude for Competitive Examinations"**, Tata McGraw Hill Publishing Company Ltd., New Delhi, 2008.

CHAIRMAN - BOS

On successful completion of the course, the students will be able to

- CO 1 Remembering the numbers.
- **CO 2** Define surds and indices. Recalling the various areas that is problems on ages, percentage, profit and loss and ratio and proportion.
- CO 3 Solve the problems on time and distance, work and wages, pipes and cisterns.
- CO 4 Recalling simple interest, compound interest and logarithm.

CO 5 To improve the problem solving skill on areas, volumes and data interpretation.

Nature of Course			
Knowledge and Skill	√	Employability oriented	
Skill oriented	√	Entrepreneurship oriented	

MAPPING – COURSE OUTCOME WITH PROGRAMME SPECIFIC OUTCOME

CO/PSO	PSO 1	PSO 2	PSO 3	PSO 4
CO 1	3			
CO 2	3		2	3
CO 3	3	3	3	3
CO 4	3	2	2	2
CO 5	3	3	2	3

 $\textbf{Key: Strongly Correlated} - 3 \ \textbf{Moderately Correlated} - 2 \ \textbf{Weakly Correlated} - 1 \ \textbf{No Correlation} - 0$

TEACHING METHODOLOGY:

- 1. Lecture (Chalk and Talk OHP LCD)
- 2. Problem Solving Group Discussion
- 3. Quiz Seminar
- 4. Peer Learning

QUESTION PAPER PATTERN – UG

Knowledge level	Section	Word Limit	Marks	Total	Special Instructions if any
K 1	A – 10 x 2 marks	50	20		
K 1, K 2	$B-5 \times 5$ marks (with internal choice)	200	25	75	Nil
K 2, K 3	C – 3/5 x 10 marks	500	30		

All question papers can be framed in the following cognitive levels

Knowledge Level 1. Recall Knowledge Level 2. Understanding Knowledge Level 3. Application

COURSE DESIGNER: K.SUDHA

CHAIRMAN - BOS

CREDIT:	5 COURSE CODE: U21MM5C7		
	ERNMENT ARTS COLLEGE (AUTONOMOUS), KARUR - 639 005. B.Sc. MATHEMATICS – V SEMESTER - CORE COURSE - VII (For the candidates admitted from the year 2021-2022 onwards)		
	ALGEBRA – I		
1. To introc	OBJECTIVES: luce the concept of Algebra from the basic set theory and Functions, etc. luce the concept of Group theory and Rings.		
UNIT -I	PRELIMINARY NOTIONS: Mappings – The integers. GROUP THEORY: Definition of a group – Some examples of groups – Some preliminary lemmas.		
UNIT -II	GROUP THEORY: Subgroups –A counting principle – Normal subgroups and Quotient groups – Homomorphisms.		
UNIT -III	GROUP THEORY: Automorphisms – Cayley's Theorem – Permutation groups.		
UNIT -IV	RING THEORY: Definition and examples of rings – Some special classes of rings –Homomorphisms – Ideals and quotient rings.		
UNIT- V	RING THEORY: More ideals and quotient rings – The field of quotients of an integral domain –Euclidean Rings –The particular Euclidean ring.		
TEXT BOC I.N.J	PK: Herstein,Topicsin Algebra, 2 nd Edition, John Wiley& Sons, 1975.		
	Unit Chapter & Section		
	L Chapter 1: Sections 1.2& 1.3		
	Chapter 2: Sections 2.1 to 2.3		
	IIIChapter 2: Sections 2.8 to 2.10IVChapter 3: Sections 3.1 to 3.4		
	V Chapter 3: Sections 3.5 to 3.8		
	ICE BOOKS: Santiago, Modern Algebra, McGraw Hill Education India Pvt Ltd.		
	rumugam and others, Modern Algebra, New Gamma publishing House,		
	iyamkottai.		
	nvanathan Nayak, Modern Algebra, Emerald Publishers, Reprint 1992.		
CHAIRM	AN - BOS CONTROLLER OF EXAMINATIONS		

Upon successful completion of Algebra-I, Students will be able to

CO 1 Acquire knowledge about the concepts of Sets, Groups and Rings.

CO2Analyze and demonstrate examples of subgroups, normal subgroups and quotient groups

CO3Prove Cayley's theorem and understand its applications

CO4Understand homomorphism, inner automorphism and their properties

CO5Understand Quotient Rings, Ideals and their existence with examples

Nature of Course			
Knowledge and Skill	√	Employability oriented	
Skill oriented	√	Entrepreneurship oriented	

MAPPING – COURSE OUTCOME WITH PROGRAMME SPECIFIC OUTCOME

CO/PSO	PSO 1	PSO 2	PSO 3	PSO 4
CO 1	3			2
CO 2	3	3	3	3
CO 3	3	3	3	3
CO 4	3	3		
CO 5	3	3	2	2

Key: Strongly Correlated – 3 Moderately Correlated – 2 Weakly Correlated – 1 No Correlation – 0

TEACHING METHODOLOGY:

- 1. Lecture (Chalk and Talk OHP LCD)
- 2. Problem Solving Group Discussion
- 3. Quiz Seminar
- 4. Peer Learning

QUESTION PAPER PATTERN – UG

Knowledge level	Section	Word Limit	Marks	Total	Special Instructions if any
K 1	A – 10 x 2 marks	50	20		
K 1, K 2	$B-5 \ge 5$ marks (with internal choice)	200	25	75	Nil
K 2, K 3	C – 3/5 x 10 marks	500	30		

All question papers can be framed in the following cognitive levels

Knowledge Level 1. Recall Knowledge Level 2. Understanding Knowledge Level 3. Application

COURSE DESIGNER: K.SUDHA

CHAIRMAN - BOS

CREDIT: 5

COURSE CODE: U21MM5C8

GOVERNMENT ARTS COLLEGE (AUTONOMOUS), KARUR-639 005.

B.Sc. MATHEMATICS – V SEMESTER - CORE COURSE - VIII

(For the candidates admitted from the year 2021-2022 onwards)

REAL ANALYSIS - I

COURSE OBJECTIVES:

- 1. Get acquainted with analytic approach of real numbers.
- 2. Explore sequence and series, the various limiting processes viz. continuity,
- differentiability and integrability.
- 3. Understand the topological properties of a metric space.

UNIT- I	Sets an	d Function	ns: Sets and elen	nents – Operat	ions	s on se	ts –Functio	ons	-Real-
	valued	functions	-Equivalence.	Countability	_	Real	numbers	_	Least
	upperbo	ounds.							

UNIT -II Sequences of Real Numbers: Definition of sequence and subsequence – Limit of a sequence – Convergent sequences – Divergent sequences – Bounded sequences –Monotone sequences.

- **UNIT -III Operations of Sequences:** Operations on convergent sequences Operations on divergent sequences –Limit superior and limit inferior –Cauchy sequences.
- **UNIT -IV** Series of Real Numbers: Convergence and divergence –Series with nonnegative terms – Alternating series – Conditional convergence and absolute convergence – Rearrangements of series – Tests for absolute convergence – Series whose terms form a non-increasing sequence – The classl².
- UNIT -V Limits and Metric Spaces: Limit of a function on a real line Metric spaces Limits in metric spaces - Continuous Functions on Metric Spaces: Functions continuous at a point on the real line-Reformulation –Functions continuous on a metric space.

TEXT BOOKS:

Richard R. Goldberg, Methods of Real Analysis, Oxford&IBHPublishingC. Pvt. Ltd, Kolkata, 1970.

Unit	Chapter & Section
Ι	Chapter 1: Sections 1 to 7
II	Chapter 2:Sections 2.1 to 2.6
III	Chapter 2: Sections 2.7 to 2.10
IV	Chapter 3: Sections 3.1 to 3.7 & 3.10
v	Chapter 4: Sections All,
v	Chapter 5: Section 5.1 to 5.3

REFERENCE BOOKS:

- 1. WalterRudin, Principles of Mathematical Analysis, TataMcGrawHill.
- 2. TomMApostol, MathematicalAnalysis, NarosaPublishing House.

CHAIRMAN - BOS

Upon successful completion of Real Analysis-I, Students will be able to

CO 1 Understand the basic properties of Real Analysis.

CO 2 Apply the concept of limit to sequences, series and functions.

CO 3 Apply the concepts of continuity, and metric spaces

CO 4 Apply the limit to various functions.

CO 5 Reverse Triangle Inequalities for the Euclidean distance function on Rⁿ

Nature of Course			
Knowledge and Skill	\checkmark	Employability oriented	
Skill oriented	✓	Entrepreneurship oriented	

MAPPING - COURSE OUTCOME WITH PROGRAMME SPECIFIC OUTCOME

CO/PSO	PSO 1	PSO 2	PSO 3	PSO 4
CO 1	3			
CO 2	3	2	3	3
CO 3	3	2	3	3
CO 4	3	3	3	3
CO 5	3			3

 $\textbf{Key: Strongly Correlated} - 3 \ \textbf{Moderately Correlated} - 2 \ \textbf{Weakly Correlated} - 1 \ \textbf{No Correlation} - 0$

TEACHING METHODOLOGY:

- 1. Lecture (Chalk and Talk OHP LCD)
- 2. Problem Solving Group Discussion
- 3. Quiz Seminar
- 4. Peer Learning

QUESTION PAPER PATTERN – UG

Knowledge level	Section	Word Limit	Marks	Total	Special Instructions if any
K 1	$A - 10 \ge 2$ marks	50	20		
K 1, K 2	$B-5 \times 5$ marks (with internal choice)	200	25	75	Nil
K 2, K 3	$C - 3/5 \ge 10$ marks	500	30		

All question papers can be framed in the following cognitive levels

Knowledge Level 1. Recall Knowledge Level 2. Understanding Knowledge Level 3. Application

COURSE DESIGNER: Dr. A. VADIVEL

CHAIRMAN - BOS

CREDIT: 4		COURSE CODE: U2	1MM5C9
B.Sc. MA	ATHEMA	TS COLLEGE (AUTONOMOUS), KARUR-639 ATICS – V SEMSESTER - CORE COURSE - LY didates admitted from the year 2021-2022 onwards)	
		COMPLEX ANALYSIS	
COURSE OBJEC			
		analytic functions. function using Taylor & Laurent Series.	
*		integrals using residues	
by the e the poir Cauchy-	exponentia at infin Riemann	ns: Functions of complex variable – Mappings – Il function– Limits – Theorems on limits – Limit ity – Continuity – Derivatives – Differentiation equations – Sufficient conditions for differentiabi lytic functions – Examples – Harmonic functions	s involving formulas –
Contour contour (stateme formula	rs – Cont integrals ent only) - – Deriva	tives of functions w(t) – Definite integrals of func our integrals – Examples – Upper bounds for – Antiderivatives – Examples – Cauchy-Gours - Simply and multiply connected domains – Cauc tives of Analytic functions – Liouville's theory rem of Algebra – Maximum modulus principle	moduli of sat theorem chy Integral
Poles: I three ty	Residues - pes of iso	ries – Examples – Laurent series – Examples – Re - Cauchy's residue theorem – Using a single res lated singular points – Residues at poles – Examp ons – Zeroes and Poles.	sidue – The
Imprope	er integrals	Residues: Evaluation of Improper integrals – s from Fourier analysis – Jordan's lemma – Defin d cosines – Argument principle – Rouche's theore	ite integrals
transfor An imp w= sin	mation w licit form	Rementary Functions: Linear transformation $=1/z$ – Mappings by $1/z$ – Linear fractional transformation – Mappings of the upper half plane – The transpoint by z^2 and branches of $z^{1/2}$ – Conformation transformation of the second s	ormations – nsformation
TEXT BOOKS: James Ward Brown a Graw Hill Higher Edu		Churchill, Complex variables and applications, 7 th edit w York, 2003.	ion, Mc
]	Unit	Chapter & Section	
ļ	Ι	Chapter 2: Sections 11 to 25	
ŀ	II	Chapter 4:Sections 36 to 44, 46 to 50 Chapter 5:Sections 53 to 56	
	III	Chapter 5: Sections 53 to 56 Chapter 6: Sections 62 to 69	
	IV	Chapter 7: Sections 71 to 74, 78 to 80	
	V	Chapter8: Sections 83 to 90, Chapter9: Section 94	
 S. Ponusamy, Fo B.S.Tyagi, Func Meerut. S.Arumugam, Publications, Ch P. Duraipandiar Chennai. 	ntroduction oundation of tions of a A.Thangap ennai.	n to Complex Analysis, 2 nd Edition (2006), Oxford India of Complex Analysis (2000), Narosa Publishing House, Complex Variable (2018), Kedar Nath and Ram Nath andi Isaac, A. Somasundaram, Complex Variab ni Duraipandian, Complex Analysis (1976), Emerald alysis, 3 rd Edition (2000), McGraw Hill Publishing Co	New Delhi. 1 Publishers, 1 Publishers, 1 Publishers,
CHAIRMAN - BO	S	CONTROLLER OF EXAMIN	NATIONS

- Upon successful completion of **Complex Analysis**, Students will be able to
- **CO 1** Represent complex numbers algebraically and geometrically, define and analyse the concept of analyticity and apply it to derive Cauchy-Riemann equations.
- **CO 2** Define conformal mapping and find the mapping that maps three distinct points on the zplane to three distinct points on the w-plane by applying bilinear transformation.
- **CO 3** Evaluate complex integrals directly by using Cauchy-Goursat theorem and study the various applications of Cauchy's Integral formula.
- **CO 4** Represent functions as Taylor and Laurent series, classify singularities and poles, find residues and evaluate complex integrals using Residue theorem.
- **CO 5** Evaluate complex contour integrals by applying Cauchy –integral formula and its various versions.

Nature of Course		
Knowledge and Skill	\checkmark	Employability oriented
Skill oriented	\checkmark	Entrepreneurship oriented

MAPPING – COURSE OUTCOME WITH PROGRAMME SPECIFIC OUTCOME

CO/PSO	PSO 1	PSO 2	PSO 3	PSO 4
CO 1	3	3	3	3
CO 2	3	3	3	3
CO 3	3	3	3	3
CO 4	3	3	2	3
CO 5	3	3	2	3

Key: Strongly Correlated – 3 Moderately Correlated – 2 Weakly Correlated – 1 No Correlation – 0

TEACHING METHODOLOGY:

- 1. Lecture (Chalk and Talk OHP LCD)
- 2. Problem Solving Group Discussion
- 3. Quiz Seminar
- 4. Peer Learning.

QUESTION PAPER PATTERN – UG

Knowledge level	Section	Word Limit	Marks	Total	Special Instructions if any
K 1	$A - 10 \ge 2$ marks	50	20		
K 1, K 2	$B-5 \times 5$ marks (with internal choice)	200	25	75	Nil
K 2, K 3	$C - 3/5 \ge 10$ marks	500	30		

All question papers can be framed in the following cognitive levels

Knowledge Level 1. Recall Knowledge Level 2. Understanding Knowledge Level 3. Application

COURSE DESIGNER: Dr. A. VADIVEL

CHAIRMAN - BOS

GOVERNMENT ARTS COLLEGE (AUTONOMOUS), KARUR-639 005. B.Sc. MATHEMATICS – V SEMESTER - CORE COURSE - X

(For the candidates admitted from the year 2021-2022 onwards)

DYNAMICS

COURSE OBJECTIVES:

- 1. Understand the fundamental concepts of velocity and acceleration.
- 2. Understand the Work done in stretching an elastic string Simple Harmonic motion.
- 3. Study the motion of Projectiles, Impact of Spheres and Central Orbits.

UNIT- I	Kinematics: Basic units – Velocity – Acceleration – Coplanar motion - Work, Energy and Power: Work – Conservative field of force – Power.
UNIT -II	Rectilinear Motion under Varying Force: Simple harmonic motion – Projectiles: Forces on a projectile – Projectile projected on an inclined plane.
UNIT -III	Impact: Impulsive force – Impact of sphere – Impact of two smooth spheres – Impact of a smooth sphere on a plane – Oblique impact of two smooth spheres.
UNIT -IV	Central Orbits: General orbits – Central orbit.
UNIT -V	Moment of Inertia: Moment of inertia – Cases – Perpendicular axis theorem – Parallel axis theorem – Problems.

TEXT BOOKS:

P. Duraipandian, LaxmiDuraipandian and MuthamizhJayapragasam, Mechanics, 6th Revised Edition, S. Chand and Company Ltd, New Delhi, 2005.

Unit	Chapter & Section
Ι	Chapter 1: Sections All Chapter 11: Section All
II	Chapter 11: Section An Chapter 12: Sections 12.1
	Chapter 13: Sections 13.1 & 13.2
III	Chapter 14: Section All
IV	Chapter 16: Sections 16.1 & 16.2
V	Chapter 17: Sections All

REFERENCE BOOKS:

- 1. A.V. Dharmapadam, Dynamics, Fifth edition (1996), S.Viswanathan Printers & Publishers Pvt Ltd.
- 2. Dr.Viswanath Naik, K & M.S. Kasi, Dynamics, First edition (1987), Emerald Publishers Chennai.
- 3. S.G. Venkatachalapathy, Dynamics, (2005), Margham Publications, Chennai-17.
- 4. Golden Maths Series, Dynamics, N.P.Bali, Firewall Media, An Imprint of laxmi Publications Pvt. Ltd, New Delhi.
- 5. A.R.Vasishtha&R.K.Gupta, Dynamics, Krishna's Educational Publisher, Meerut.

CHAIRMAN - BOS

- Upon successful completion of **Dynamics**, Students will be able to
- **CO 1**Acquire knowledge about the basic concepts of Kinematics and determine Speed and Shortest distance between the particles.
- **CO 2** Apply the fundamental concepts of Work, Energy and Power to Calculate Work done, frictional resistance and Kinetic energy. Discuss Simple Harmonic Motion to find period and Amplitude.
- **CO 3** Analyze the motion of Projectiles and their results. Discuss the Direct Impact and Oblique impact of two Spheres.
- **CO 4** Critique the Concepts of Central Orbits, Differential equation of a central Orbit and Kepler's law of planetary motion.
- **CO 5** Determine Moment of Inertia for various geometrical shapes by using Parallel and Perpendicular axis theorem.

Nature of Course

Knowledge and Skill	\checkmark	Employability oriented	
Skill oriented	~	Entrepreneurship oriented	

MAPPING – COURSE OUTCOME WITH PROGRAMME SPECIFIC OUTCOME

CO/PSO	PSO 1	PSO 2	PSO 3	PSO 4
CO 1	3	3		2
CO 2	3	3	3	3
CO 3	3	3	3	3
CO 4	3	3	3	3
CO 5	3			3

Key: Strongly Correlated – 3 Moderately Correlated – 2 Weakly Correlated – 1 No Correlation – 0

TEACHING METHODOLOGY:

- 1. Lecture (Chalk and Talk OHP LCD)
- 2. Problem Solving Group Discussion
- 3. Quiz Seminar
- 4. Peer Learning

QUESTION PAPER PATTERN – UG

Knowledge level	Section	Word Limit	Marks	Total	Special Instructions if any
K 1	$A - 10 \ge 2$ marks	50	20		
K 1, K 2	$B-5 \times 5$ marks (with internal choice)	200	25	75	Nil
K 2, K 3	C – 3/5 x 10 marks	500	30		

All question papers can be framed in the following cognitive levels

Knowledge Level 1. Recall Knowledge Level 2. Understanding Knowledge Level 3. Application

COURSE DESIGNER: Dr. A. VADIVEL

CHAIRMAN - BOS

CREDIT: 4

COURSE CODE: U21MM5E1A

GOVERNMENT ARTS COLLEGE (AUTONOMOUS), KARUR-639 005. B.Sc. MATHEMATICS - V SEMESTER - ELECTIVE COURSE – I

(For the candidates admitted from the year 2021-2022 onwards)

GRAPH THEORY

COURSE OBJECTIVES:

This course helps the students to have an in-depth knowledge of various advanced methods in numerical analysis. The students to use numerical techniques to get numerical solutions of equations like transcendental and non linear differential equations when ordinary analytical methods fail.

UNIT - I	Introduction - Paths and Circuits: Isomorphism – Subgraphs – A puzzle with
	multicolored cubes.
UNIT - II	Paths and Circuits: Walk, Paths and Circuits – Connected graphs,
	Disconnected graphs and Components – Euler graphs – Operations on graphs –
	More on Euler graphs – Hamiltonian paths and circuits – The traveling
	salesman problem.
UNIT -III	*
	and centers in a tree – Rooted and binary trees – On counting trees – Spanning
	trees.
UNIT -IV	Fundamental Circuits: Fundamental circuits – Finding all spanning trees of a
	graph – Spanning trees in a weighted graph.
	Cut-sets and Cut-vertices: Cut-sets – Some properties of a Cut-set – All Cut-
	sets in a graph.
	sets in a Sraph.
UNIT -V	Cut-sets and Cut-vertices: Fundamental circuits and cut-sets – Connectivity
	and Separability.
	Planar and Dual Graphs: Combinatorial Vs Geometric graphs – Planar graphs
	– Kuratowski's two graphs – Different Representations of a planar graph.

TEXT BOOK:

Narsingh Deo, "Graph theory with applications to engineering and computer science", Prentice – Hall, Inc., Englewood Cliffs, N. J, 1974.

Unit	Chapter & Section
Ι	Chapter 1: All
	Chapter 2: Sections 2.1 to 2.3
II	Chapter 2:Sections 2.4 to 2.10
III	Chapter 3:Sections 3.1 to 3.7
IV	Chapter 3: Sections 3.8 to 3.10
	Chapter 4: Sections 4.1 to 4.3
V	Chapter 4: Sections 4.4, 4.5
	Chapter 5: Sections 5.1 to 5.4

REFERENCEBOOKS:

- 1. R. Balakrishnan and K. Ranganathan, Ä Text Book of Graph Theory, Springer Verlag, New York, 2012.
- 2. G. Chartrand and L. Lesneik Foster, Graphs and Digraphs, CRC Press, 4th edition, BocaRaton, 2006.
- 3. F. Harary, Graph Theory, Narosa Publishing House, New Delhi, 2001.

CHAIRMAN - BOS

Upon successful completion of Graph Theory, Students will be able to

- CO 1 Solve problems using basic graph theory
- CO 2 Identify induced subgraphs, cliques, matchings, covers in graphs
- **CO 3** Determine whether graphs are Hamiltonian and/or Eulerian
- **CO 4** Solve problems involving vertex and edge connectivity, planarity and crossing numbers

Nature of Course			
Knowledge and Skill	\checkmark	Employability oriented	
Skill oriented	~	Entrepreneurship oriented	

MAPPING - COURSE OUTCOME WITH PROGRAMME SPECIFIC OUTCOME

CO/PSO	PSO 1	PSO 2	PSO 3	PSO 4
CO 1	3	3	3	3
CO 2	3		3	
CO 3	3	3	3	3
CO 4	3	3	3	3
CO 5	3		3	

 $\textbf{Key: Strongly Correlated} - 3 \ \textbf{Moderately Correlated} - 2 \ \textbf{Weakly Correlated} - 1 \ \textbf{No Correlation} - 0$

TEACHING METHODOLOGY:

1.Lecture (Chalk and Talk – OHP – LCD)

2. Problem Solving – Group Discussion

3.Quiz – Seminar

4.Peer Learning

QUESTION PAPER PATTERN – UG

Knowledge level	Section	Word Limit	Marks	Total	Special Instructions if
K 1	A – 10 x 2 marks	50	20		any
K 1, K 2	$B-5 \times 5$ marks (with internal choice)	200	25	75	Nil
K 2, K 3	$C - 3/5 \times 10$ marks	500	30		

All question papers can be framed in the following cognitive levels

Knowledge Level 1. Recall Knowledge Level 2. Understanding

Knowledge Level 3. Application

COURSE DESIGNER: S.MURUGAMBIGAI

CHAIRMAN - BOS

GOVERNMENT ARTS COLLEGE (AUTONOMOUS), KARUR-639 005. B.Sc. MATHEMATICS – V SEMESTER – ELECTIVE COURSE – I

(For the candidates admitted from the year 2021-2022 onwards)

ASTRONOMY

COURSE OBJECTIVES:

- 1. To introduce the exciting world of astronomy to the students.
- 2. To help the students to study spherical trigonometry in the field of astronomy.
- 3. To understand the movements of the celestial objects.

UNIT -I	Relevant properties of sphere and formulae in spherical trigonometry (no proof, no problems) - Celestial sphere and diurnal motion - Celestial coordinates-sidereal time.
UNIT -II	Morning and evening stars -circumpolar stars- diagram of the celestial sphere - zones of earth -perpetual day-dip of horizon-twilight.
UNIT-III	Refraction - laws of refraction -tangent formula-Cassini's formula - horizontal refraction- geocentric parallax -horizontal parallax.
UNIT-IV	Kepler's laws - verification of 1st and 2nd laws in the case of earth - Anomalies -Kepler's equation - Seasons -causes -kinds of years.
UNIT -V	Moon-sidereal and synodic months - elongation - phase of moon - eclipses- umbra and penumbra - lunar and solar eclipses - ecliptic limits - maximum and minimum number of eclipses near a node and in a year - Saros.

TEXT BOOK:

S. Kumaravel, and SusheelaKumaravel, Astronomy, 8th Edition, SKV Publications, 2004.

Unit	Section
Ι	Sections39to 79
II	Sections80to90, 106 to 116
III	Sections 117 to 144
IV	Sections 146 to 162, 173 to 178
V	Sections 229 to 241, 256 to 275

REFERENCE BOOK:

G. V. Ramachandran, Text Book of Astronomy, Mission Press, Palayamkottai, 1965.

CHAIRMAN - BOS

Upon successful completion of Astronomy, Students will be able to

CO 1 Describe the classification of stars, stellar evolution, interstellar matter, galaxies etc.

CO 2 Explain practical application of observational techniques,

CO 3 Solve problems with scientific reasoning and critical thinking skills.

CO 4 Understand the impact of astronomical bodies and formations on earth and climate.

CO 5 Communicate astronomical concepts and theories effectively.

Nature of Course						
Knowledge and Skill ✓ Employability oriented						
Skill oriented	Skill oriented Image: Constraint of the second se					

MAPPING – COURSE OUTCOME WITH PROGRAMME SPECIFIC OUTCOME

CO/PSO	PSO 1	PSO 2	PSO 3	PSO 4
CO 1	3		3	
CO 2	3	2	3	3
CO 3	3	3		3
CO 4	3	2	2	2
CO 5	3	2	2	

Key: Strongly Correlated – 3 Moderately Correlated – 2 Weakly Correlated – 1 No Correlation – 0

TEACHING METHODOLOGY:

1.Lecture (Chalk and Talk – OHP – LCD)

2.Problem Solving – Group Discussion

3.Quiz – Seminar

4.Peer Learning

QUESTION PAPER PATTERN – UG

Knowledge level	Section	Word Limit	Marks	Total	Special Instructions if any
K 1	$A - 10 \ge 2$ marks	50	20		
K 1, K 2	$B-5 \ge 5$ marks	200	25	75	Nil
	(with internal choice)				
K 2, K 3	$C - 3/5 \ge 10$ marks	500	30		

All question papers can be framed in the following cognitive levels

Knowledge Level 1. Recall

Knowledge Level 2. Understanding Knowledge Level 3. Application

COURSE DESIGNER: S.MURUGAMBIGAI

CHAIRMAN - BOS

	3	COURSE CODE: U21MM5S2A		
	MATHEMATIC	CS COLLEGE (AUTONOMOUS), KARUR-639 005. S – V SEMESTER - SKILL BASED ELECTIVE – II lates admitted from the year 2021-2022 onwards)		
		PROGRAMMING IN 'C'		
COURSE (OBJECTIVES:			
2. Unders		ill in 'C' language. cepts of Operators and expressions in C – Language. concepts of arrays and functions in C- programming.		
UNIT -I	tokens – Keywor Declaration of var	ables, and Data Types : Introduction– Character set – Cords and identifiers –Constants – Variables – Data types riables – Declaration of storage class – Assigning values to ng symbolic constants – Declaring a variable as constant.		
UNIT -II	Operators and Expressions: Introduction – Arithmetic operators – Relational operators – Logical operators – Assignment operators – Increment and decrement operators – Conditional operator – Bitwise operators – Special operators – Arithmetic expressions – Evaluation of expressions – Precedence of Arithmetic operators – Some computational problems – Type conversions in expressions.			
UNIT -III	statement – Simp	and Branching: Introduction – Decision making with II le IF statement – The IFELSE statement – Nesting o ent – The ELSE IF ladder – The switch statement – The ? TO statement.		
UNIT- IV	DO statement – expressions – Arr of one-dimension	and Looping: Introduction – The WHILE statement – The The FOR statement – Jumps in loops – Concise test rays: Introduction – One-dimensional arrays – Declaration al arrays – Two-dimensional arrays – Initializing two- s – Multi-dimensional arrays.		
		s and Strings: Introduction – declaring and initializing		
UNIT- V		Reading strings from terminals – Writing strings to screen –		
TEXT BO E. Balaguru	string variables – I Arithmetic operati OK: samy, Programming	Reading strings from terminals – Writing strings to screen –		
TEXT BO E. Balaguru	string variables – I Arithmetic operati OK: samy, Programming	Reading strings from terminals – Writing strings to screen – ons on characters.		
TEXT BO E. Balaguru	string variables – I Arithmetic operati OK: samy, Programming	Reading strings from terminals – Writing strings to screen – ons on characters. in ANSI C, 4 th Edition, McGraw Hill Education IndiaPrivate Chapter & Section		
TEXT BO E. Balaguru	string variables – I Arithmetic operati OK: samy, Programming 07.	Reading strings from terminals – Writing strings to screen – ons on characters. in ANSI C, 4 th Edition, McGraw Hill Education IndiaPrivate Chapter & Section Chapter2:Sections2.1to2.12		
TEXT BO E. Balaguru	string variables – I Arithmetic operati OK: samy, Programming 07. Unit I	Reading strings from terminals – Writing strings to screen – ons on characters. in ANSI C, 4 th Edition, McGraw Hill Education IndiaPrivate Chapter & Section Chapter2:Sections2.1to2.12 Chapter3:Sections3.1to3.14		
TEXT BO E. Balaguru	string variables – I Arithmetic operati OK: samy, Programming 07. Unit I II	Reading strings from terminals – Writing strings to screen – ons on characters. in ANSI C, 4 th Edition, McGraw Hill Education IndiaPrivate Chapter & Section Chapter 2:Sections2.1to2.12 Chapter 3:Sections3.1to3.14 Chapter5:SectionsAll		
TEXT BO E. Balaguru	string variables – I Arithmetic operati OK: samy, Programming 07. Unit I	Reading strings from terminals – Writing strings to screen – ons on characters. in ANSI C, 4 th Edition, McGraw Hill Education IndiaPrivate Chapter & Section Chapter2:Sections2.1to2.12 Chapter3:Sections3.1to3.14 Chapter 6: Sections All		
TEXT BO E. Balaguru	string variables – I Arithmetic operati OK: samy, Programming 07. Unit I II III IV	Reading strings from terminals – Writing strings to screen – ons on characters. in ANSI C, 4 th Edition, McGraw Hill Education IndiaPrivate Chapter & Section Chapter2:Sections2.1to2.12 Chapter5:Sections3.1to3.14 Chapter 6: Sections All Chapter 7: Sections 7.1 to 7.7		
TEXT BO E. Balaguru	string variables – I Arithmetic operati OK: samy, Programming 07. Unit I II	Reading strings from terminals – Writing strings to screen – ons on characters. in ANSI C, 4 th Edition, McGraw Hill Education IndiaPrivate Chapter & Section Chapter2:Sections2.1to2.12 Chapter3:Sections3.1to3.14 Chapter 6: Sections All		
TEXT BO E. Balaguru Limited, 20	string variables – I Arithmetic operati OK: samy, Programming 07. Unit I II III IV V CE BOOKS:	Reading strings from terminals – Writing strings to screen – ons on characters. in ANSI C, 4 th Edition, McGraw Hill Education IndiaPrivate Chapter & Section Chapter2:Sections2.1to2.12 Chapter3:Sections3.1to3.14 Chapter5:SectionsAll Chapter 6: Sections All Chapter 7: Sections 7.1 to 7.7 Chapter 8: Sections 8.1 to 8.5		
TEXT BO E. Balaguru Limited, 20 REFEREN 1. Ve	string variables – I Arithmetic operati OK: samy, Programming 07. Unit I II III IV V CE BOOKS: nugopal Programm	Reading strings from terminals – Writing strings to screen – ons on characters. in ANSI C, 4 th Edition, McGraw Hill Education IndiaPrivate Chapter & Section Chapter 2:Sections2.1to2.12 Chapter 3:Sections3.1to3.14 Chapter 5:Sections All Chapter 6: Sections All Chapter 7: Sections 7.1 to 7.7 Chapter 8: Sections 8.1 to 8.5		
TEXT BO E. Balaguru Limited, 200 REFEREN 1. Ve 2. B.S	string variables – I Arithmetic operati OK: samy, Programming 07. Unit I II III IV V CE BOOKS: nugopal Programm S Gottfied, Program	Reading strings from terminals – Writing strings to screen – ons on characters. in ANSI C, 4 th Edition, McGraw Hill Education IndiaPrivate Chapter & Section Chapter 2:Sections2.1to2.12 Chapter 3:Sections3.1to3.14 Chapter 5:Sections All Chapter 6: Sections All Chapter 7: Sections 7.1 to 7.7 Chapter 8: Sections 8.1 to 8.5		
TEXT BO E. Balaguru Limited, 20 REFEREN 1. Ve 2. B.S 3. Ya	string variables – I Arithmetic operati OK: samy, Programming 07. Unit I II III IV V CE BOOKS: nugopal Programm S Gottfied, Program shvant Kanitkar, Le	Reading strings from terminals – Writing strings to screen – ons on characters. in ANSI C, 4 th Edition, McGraw Hill Education IndiaPrivate Chapter & Section Chapter 2:Sections2.1to2.12 Chapter 3:Sections3.1to3.14 Chapter 5:Sections All Chapter 6: Sections All Chapter 7: Sections 7.1 to 7.7 Chapter 8: Sections 8.1 to 8.5		

CHAIRMAN – BOS

Upon successful completion of $\ensuremath{\text{Programming in C}}$, Students will be able to

CO 1Demonstrate the fundamental structures of C programming.

CO 2 Discuss conditional and iterative statements to develop C programs.

CO 3 Critique the arrays of complex objects.

CO 4 Analyze the loops and decision making statements, user defined function to solve the problems.

CO 5 Utilize the concepts of Data types and operators.

Nature of Course					
Knowledge and Skill	Knowledge and Skill✓Employability oriented✓				
Skill oriented	~	Entrepreneurship oriented	✓		

MAPPING – COURSE OUTCOME WITH PROGRAMME SPECIFIC OUTCOME

CO/PSO	PSO 1	PSO 2	PSO 3	PSO 4
CO 1	3		3	2
CO 2	3		2	
CO 3	3		2	
CO 4	3	3	3	3
CO 5	3		3	

Key: Strongly Correlated – 3 Moderately Correlated – 2 Weakly Correlated – 1 No Correlation – 0

TEACHING METHODOLOGY:

Lecture (Chalk and Talk – OHP – LCD)
 Problem Solving – Group Discussion
 Quiz – Seminar
 Peer Learning

QUESTION PAPER PATTERN – UG

Knowledge level	Section	Word Limit	Marks	Total	Special Instructions if any
K 1	$A - 10 \ge 2$ marks	50	20		
K 1, K 2	$B-5 \ge 5$ marks	200	25	75	Nil
	(with internal choice)				
K 2, K 3	$C - 3/5 \ge 10$ marks	500	30		

All question papers can be framed in the following cognitive levels

Knowledge Level 1. Recall Knowledge Level 2. Understanding Knowledge Level 3. Application

COURSE DESIGNER: K.SUDHA

CHAIRMAN – BOS

CREDIT: 3

COURSE CODE: U21MM5S2B

GOVERNMENT ARTS COLLEGE (AUTONOMOUS), KARUR-639 005. B.Sc. MATHEMATICS – V SEMESTER - SKILL BASED ELECTIVE - II (For the candidates admitted from the year 2021-2022 onwards)

INTRODUCTION TO LATEX

COURSE O	DBJECTIVES: To create understanding of the LaTeX
UNIT -I	Basic LaTex – Sample document and Key Concepts – type style – environments – Lists – Contering –tables – verbatim – vertical and horizontal spacing.
UNIT- II	Typesetting Mathematics – Examples – Equation environments – Fonts, hats and underlining – braces –arrays and matrices – Customized commands – theorems like environments.
UNIT - III	Math miscellaxy – Math Styles – Bold Math – Symbols for number sets – binomial coefficient.
UNIT- IV	Further essential LaTex – Document classes and the overall structure – titles for documents – Sectioning commands.
UNIT -V	Miscellaneous extras – Spacing – Accented characters – Dashes and hyphens – quotation marks – troubleshooting – Pinpointing the error – common errors – warning messages.

TEXT BOOK:

David F Griffiths and Desmond J. Higham, Learning LaTex, SIAM (Society for Industrial and AppliedMathematics) Publishers, PhidelPhia, 1996.

Unit	Chapter & Section
Ι	Chapter 2: Sections 2.1 to 2.4
II	Chapter 3:Sections 3.1 to 3.7
III	Chapter 3: Sections 3.8 to 3.12
IV	Chapter 4: Sections 4.1 to 4.3
V	Chapter 4: Sections 4.4 to 4.5

REFERENCE BOOKS:

1. Martin J. Erickson and Donald Bindner, A Student's Guide to the Study, Practice, and Tools of Modern Mathematics, CRC Press, Boca Raton, FL, 2011.

2. L. Lamport. LATEX: A Document Preparation System, User's Guide and Reference Manual. Addison-Wesley, New York, second edition, 1994

CHAIRMAN -BOS

By the end of this course the students will have the ability to:

CO 1 Download and install a comprehensive LATEX distribution.

CO 2 Create basic types of LATEX documents (article, report, letter, book).

- **CO 3** Format words, lines, and paragraphs, design pages, create lists, tables, references, and figures in LATEX.
- **CO 4** Typeset complicated mathematics: beginning with basic formulas (inline) and centered and numbered equations (display math) and aligning multi-line equations. In particular, you will learn how to typeset mathematics symbols such as roots, arrows, Greek letters, and a wide variety of mathematical operators. Furthermore, you will learn how to build complex math structures such as fractions, stacked expressions, and matrices.
- **CO 5** Import graphics, as well as: building diagrams, enhancing figures, and plotting functions, using the graphics packages :pstricks, and PGF/tikZ.

Nature of Course						
Knowledge and SkillImage: Complexity of the second sec						
Skill oriented	Skill oriented					

MAPPING - COURSE OUTCOME WITH PROGRAMME SPECIFIC OUTCOME

CO/PSO	PSO 1	PSO 2	PSO 3	PSO 4
CO 1	3			
CO 2	3		2	2
CO 3	3		3	2
CO 4	3		3	
CO 5	3		2	

Key: Strongly Correlated – 3 Moderately Correlated – 2 Weakly Correlated – 1 No Correlation – 0

TEACHING METHODOLOGY:

1.Lecture (Chalk and Talk - OHP - LCD)

- 2.Problem Solving Group Discussion
- 3.Quiz Seminar
- 4.Peer Learning

QUESTION PAPER PATTERN - UG

Knowledge level	Section	Word Limit	Marks	Total	Special Instructions if any
K 1	$A - 10 \ge 2$ marks	50	20		
K 1, K 2	$B - 5 \times 5$ marks (with internal choice)	200	25	75	Nil
	```				
K 2, K 3	$C - 3/5 \ge 10 \text{ marks}$	500	30		

All question papers can be framed in the following cognitive levels

Knowledge Level 1. Recall Knowledge Level 2. Understanding Knowledge Level 3. Application

# **COURSE DESIGNER: K.SUDHA**

CHAIRMAN – BOS

#### **CREDIT: 3**

#### COURSE CODE: U21MM5S3AP

# GOVERNMENT ARTS COLLEGE (AUTONOMOUS), KARUR-639 005.

B.Sc. MATHEMATICS – V SEMESTER - SKILL BASED ELECTIVE - III

(For the candidates admitted from the year 2021-2022 onwards)

# **PROGRAMMING IN 'C' PRACTICALS**

# **COURSE OBJECTIVE:**

To provide a practical exposure to the students on 'C' language.

Writing 'C' programs for the following:

- 1. Program to find roots of a quadratic equation.
- 2. Program to reverse the digits of a number and also to find their sum.
- 3. Program to generate prime numbers between any two given numbers.
- 4. Program to find the GCD & LCM of two numbers.
- 5. Program to find integer power of a number.
- 6. Program to evaluate  $1 + x + x^2 + x^3 + ... + x^n$ .
- 7. Program to read the cost price and selling price and calculate the Profit or loss and also the loss percentage or profit percentage.
- 8. Program to print election result after checking the eligibility of age.
- 9. Program to calculate mean and standard deviation of a given set of numbers using arrays.
- 10. Program to sort a given set of numbers in ascending order by interchange sort.
- 11. Program to find the transpose and trace of a matrix.
- 12. Program to find matrix addition and subtraction.
- 13. Program to find multiplication of matrices.
- 14. Program to assign grade to the average mark obtained by a student.
- 15. Program to accept a line of text and to count the number of vowels, consonants and special characters and number of words in the text.
- 16. Program to get a string and check it for a Palindrome using string handling function and without string handling function.
- 17. Program to get two strings and concatenate the strings and get the length of the strings.
- 18. Program using function sub- program, ternary operator and recursive function to find the factorial of a given number.
- 19. Program using function, to find the binomial co-efficient for a given n and r.
- 20. Program using function, to generate Fibonacci series.

# **TEXT BOOK:**

E. Balagurusamy, Programming in ANSI C, 4thEdition, McGraw Hill Education India Private Limited, 2007.

# **REFERENCE BOOKS:**

- 1. Venugopal Programming in C.
- 2. B.S Gottfied, Programming with C, Schaum'soutlineseries, TMH 2001.
- 3. Yashvant Kanitkar, Letus'C', BPB Publications.
- 4. R.S.Bichkar, Programming with C, Universities Press(INDIA)Pvt., Ltd.

CHAIRMAN – BOS

On completion of the course, the students will be able to

CO1 Build the logic and develop a solution for a problem statement in C-language.

**CO2** Design algorithms for difficult problems

CO3 Implement the algorithms in practice

CO4 Understanding a functional hierarchical code organization

CO5 Define and manage data structures based on problem subject domain

#### MAPPING – COURSE OUTCOME WITH PROGRAMME SPECIFIC OUTCOME

CO/PSO	PSO 1	PSO 2	PSO 3	PSO 4
CO 1	3		3	2
CO 2	3		3	2
CO 3	3		3	3
CO 4	3		3	
CO 5	3		3	

**Key:** Strongly Correlated – 3 Moderately Correlated – 2 Weakly Correlated – 1 No Correlation – 0

#### **TEACHING METHODOLOGY:**

- 1. Lecture (Chalk and Talk OHP LCD)
- 2. Problem Solving Group Discussion
- 3. Quiz Seminar
- 4. Peer Learning

# **QUESTION PAPER PATTERN – UG**

Knowledge level	Section	Word Limit	Marks	Total	Special Instructions if any
K 1, K 2, K 3	3 /5 x1 5 marks (with internal choice)	500	45	60	
	Record		15		

#### All question papers can be framed in the following cognitive levels

Knowledge Level 1. Recall

Knowledge Level 2. Understanding

Knowledge Level 3. Application

# **COURSE DESIGNER: K.SUDHA**

# CHAIRMAN – BOS

CREDIT: 3

# SUBJECT CODE: U21MM5S3BP

# GOVERNMENT ARTS COLLEGE (AUTONOMOUS), KARUR-639 005. B.Sc. MATHEMATICS – V SEMESTER - SKILL BASED ELECTIVE - III

(For the candidates admitted from the year 2021-2022 onwards)

# LATEX PRACTICALS

#### **COURSE OBJECTIVE:**

# To provide a practical exposure to the students on LATEX.

# LIST OF PRACTICALS

# Write Latex program for the following

- 1. Type a Document in different alignments (Left, Right, Center, Justify).
- 2. Type a Letter for applying a job.
- 3. Type your own Bio Data.
- 4. Draw a Table structure.
- 5. Type a given Mathematical expression using Differentiation, Integration and Trigonometry.
- 6. Type a given Mathematical expression using all expression.
- 7. Type a given expression using all inequalities.
- 8. Type of given Article.
- 9. Draw any picture and insert in LateX file.
- 10. Type a given Question paper
- 11. Convert one LateX file into power point presentation.

# **TEXT BOOKS:**

David F Griffiths and Desmond J. Higham, Learning LaTex, SIAM (Society for Industrial and Applied Mathematics) Publishers, PhidelPhia, 1996.

# **REFERENCE BOOKS:**

- 1. Martin J. Erickson and Donald Bindner, A Student's Guide to the Study, Practice, and Tools of Modern Mathematics, CRC Press, Boca Raton, FL, 2011.
- 2. L. Lamport. LATEX: A Document Preparation System, User's Guide and Reference Manual. Addison- Wesley, New York, second edition, 1994.

CHAIRMAN – BOS

On completion of the course, the students will be able to

**CO 1** Build the logic and develop a document in LATEX.

CO 2 Design documents for books.

CO 3 Draw figures in LATEX.

CO 4 Explains how to obtain LaTeX.

#### **CO 5 Lists** LaTeX **compatible operating systems.**

#### MAPPING – COURSE OUTCOME WITH PROGRAMME SPECIFIC OUTCOME

CO/PSO	PSO 1	PSO 2	PSO 3	PSO 4
CO 1	3		3	3
CO 2	3		3	2
CO 3	3			2
CO 4	3		3	3
CO 5	3			2

**Key:** Strongly Correlated – 3 Moderately Correlated – 2 Weakly Correlated – 1 No Correlation – 0

# **TEACHING METHODOLOGY:**

1.Lecture (Chalk and Talk – OHP – LCD)

- 2.Problem Solving Group Discussion
- 3. Quiz-Seminar
- 4.Peer Learning

#### **QUESTION PAPER PATTERN – UG**

Knowledge level	Section	Word Limit	Marks	Total	Special Instructions if any
K 1, K 2, K 3	3 /5 x1 5 marks (with internal choice)	500	45	60	
	Record		15		

#### All question papers can be framed in the following cognitive levels

Knowledge Level 1. Recall

Knowledge Level 2. Understanding

Knowledge Level 3. Application

# **COURSE DESIGNER: K.SUDHA**

# CHAIRMAN – BOS

**CREDIT: 5** 

# GOVERNMENT ARTS COLLEGE (AUTONOMOUS), KARUR-639 005. B.Sc. MATHEMATICS – VI SEMESTER - CORE COURSE - XI

(For the candidates admitted from the year 2021-2022 onwards)

#### ALGEBRA – II

# **COURSE OBJECTIVES:**

Students will acquire knowledge about the Vector Spaces, Dual spaces, Inner product spaces, linear transformations and finite fields.

UNIT - I	<b>Vector Spaces and Modules:</b> Elementary basic concepts – Linear independence and bases.
UNIT - II	Vector Spaces and Modules: Dual spaces - Inner Product Space.
UNIT -III	Vector Spaces and Modules: Modules. Linear Transformations: The Algebra of linear transformations.
UNIT- IV	Linear Transformations: Characteristic roots – Matrices.
UNIT -V	Selected Topics: Finite Fields.

#### **TEXT BOOKS:**

I.N.Herstein, Topics in Algebra, 2nd Edition, John Wiley& Sons, 1975.

Unit	Chapter & Section
Ι	Chapter 4:Sections4.1 to 4.2
II	Chapter 4:Sections 4.3to 4.4
III	Chapter 4:Section 4.5
	Chapter 6:Section 6.1
IV	Chapter 6:Section 6.2 to 6.3
V	Chapter 7: Sections 7.1

#### **REFERENCE BOOKS:**

1. N.S.Gopalakrishnan, UniversityAlgebra, NewAgeInternationalPublications, Wiley EasternLtd.

2. JohnB.Fraleigh, First courseinAlgebra, AddisonWesley.

3. R.Balakrishnaand N.Ramabadran, Text Book of Algebra, VikasPublishingCo.

4. S.Arumugam, Algebra, NewGammaPublishing House, Palayamkottai.

#### **CHAIRMAN – BOS**

Upon successful completion of Algebra-II, Students will be able to

**CO 1** Explain the concept of dimension of a vector space.

CO 2 Express vector spaces in different dimensions.

CO 3 Understand base concept of a vector space and properties of vectors on the base.

CO 4 Find the matrix representing a linear transformation.

**CO 5** Discuss all possible finite fields with important properties.

Nature of Course			
Knowledge and Skill	$\checkmark$	Employability oriented	
Skill oriented	~	Entrepreneurship oriented	

MAPPING – COURSE OUTCOME WITH PROGRAMME SPECIFIC OUTCOME

CO/PSO	PSO 1	PSO 2	PSO 3	PSO 4
CO 1	3		3	2
CO 2	3	3	3	3
CO 3	3		3	
CO 4	3	3		3
CO 5	3	3	3	3

Key: Strongly Correlated – 3 Moderately Correlated – 2 Weakly Correlated – 1 No Correlation – 0

# **TEACHING METHODOLOGY:**

1.Lecture (Chalk and Talk – OHP – LCD)

2.Problem Solving – Group Discussion

3.Quiz – Seminar

4.Peer Learning

#### **QUESTION PAPER PATTERN – UG**

~~						
	Knowledge level	Section	Word Limit	Marks	Total	Special Instructions if any
Γ	K 1	A – 10 x 2 marks	50	20		
	K 1, K 2	B – 5 x 5 marks	200	25	75	Nil
		(with internal choice)				
	K 2, K 3	$C - 3/5 \ge 10 \text{ marks}$	500	30		

All question papers can be framed in the following cognitive levels

Knowledge Level 1. Recall Knowledge Level 2. Understanding Knowledge Level 3. Application

# **COURSE DESIGNER: K.SUDHA**

# CHAIRMAN – BOS

# GOVERNMENT ARTS COLLEGE (AUTONOMOUS), KARUR - 639 005. B.Sc. MATHEMATICS – VI SEMESTER – CORE COURSE - XII

(For the candidates admitted from the year 2021-2022 onwards)

# REAL ANALYSIS – II

COURSE OBJECTIVES: Students will gain knowledge about

- 1. The Real Numbers and the Analytic Properties of Real-Valued Functions.
  - 2. The Analytic concepts of Connectedness, Compactness, Completeness and Calculus.
- UNIT -IContinuous Functions on Metric Spaces: Open sets -Closed sets -<br/>Discontinuous function on R1 Connectedness, Completeness and<br/>Compactness: More about open sets -Connected sets.
- UNIT -II Connectedness, Completeness and Compactness: Bounded sets and totally bounded sets Complete metric spaces Compact metric spaces Continuous functions on a compact metric spaces Continuity of inverse functions Uniform continuity.
- UNIT-III Riemann integral: Sets of measure zero Definition of the Riemann integral Existence of the Riemann integral –Properties of Riemann integral – Derivatives.
- **UNIT-IV** Calculus: Rolle's theorem –The law of mean Fundamental theorems of calculus Improper integrals Improper integrals (continued).
- **UNIT -V** Sequences and Series of Functions: Point wise convergence of sequences of functions Uniform convergence of sequences of functions.

# **TEXT BOOKS:**

RichardR. Goldberg, Methods of Real Analysis, Oxford & IBH Publishing C. Pvt. Ltd, Kolkata, 1970.

Unit	Chapter & Section			
Ι	Chapter5:Sections5.4to5.6, Chapter6:Sections6.1			
	to 6.2			
II	Chapter6:Sections6.3to6.8			
III	Chapter7:Section7.1to7.5			
IV	Chapter 7: Sections 7.6 to 7.10			
V	Chapter 9: Sections 9.1 to 9.2			

#### **REFERENCE BOOKS:**

- 1. Walter Rudin, Principles of Mathematical Analysis, Tata Mc Graw Hill.
- 2. Tom M Apostol, Mathematical Analysis, NarosaPublishing House.

CHAIRMAN – BOS

Upon successful completion of Real Analysis-II, Students will be able to

CO 1 Understand the concepts of continuous functions on metric spaces,

connectedness, completeness and compactness

CO 2 Acquire knowledge about the basic concepts of sets of measure zero.

CO 3 Analyze the Riemann integral in detail.

- **CO 4** Define the basic definitions of sequences and series of functions.
- **CO 5** Demonstrate an understanding of the theory of sequences and series, continuity, differentiation and integration.

Nature of Course		
Knowledge and Skill	✓	Employability oriented
Skill oriented	$\checkmark$	Entrepreneurship oriented

# MAPPING – COURSE OUTCOME WITH PROGRAMME SPECIFIC OUTCOME

CO/PSO	PSO 1	PSO 2	PSO 3	PSO 4
CO 1	3		3	
CO 2	3	3	3	3
CO 3	3	3	3	3
CO 4	3			
CO 5	3	3	3	3

Key: Strongly Correlated -3 Moderately Correlated -2 Weakly Correlated -1 No Correlation -0

#### **TEACHING METHODOLOGY:**

- 1. Lecture (Chalk and Talk OHP LCD)
- 2. Problem Solving Group Discussion
- 3. Quiz Seminar
- 4. Peer Learning

#### **QUESTION PAPER PATTERN – UG**

Knowledge level	Section	Word Limit	Marks	Total	Special Instructions if any
K 1	$A - 10 \ge 2$ marks	50	20		
K 1, K 2	$B-5 \ge 5$ marks	200	25	75	Nil
	(with internal choice)				
K 2, K 3	$C - 3/5 \ge 10 \text{ marks}$	500	30		

All question papers can be framed in the following cognitive levels

Knowledge Level 1. Recall

Knowledge Level 2. Understanding Knowledge Level 3. Application

# **COURSE DESIGNER: Dr. A. VADIVEL**

# CHAIRMAN – BOS

COURSE CODE: U21MM6C13

CREDIT	: 4 COURSE CODE: U21MM6C13
G	OVERNMENT ARTS COLLEGE (AUTONOMOUS), KARUR-639 005.
B	.Sc. MATHEMATICS – VI SEMESTER - CORE COURSE – XIII
	(For the candidates admitted from the year 2021-2022 onwards)
	OPERATIONS RESEARCH
	COBJECTIVES:
	o introduce certain OR techniques such as LPP, Transportation problems,
	ssignment problems, game theory and networking models.
	o help the students to develop logical reasoning for applying mathematical tools to
m	nanagerial and real-life oriented problems.
UNIT -I	<b>Linear Programming Problem:</b> Mathematical formulation – Graphical solution – Simplex Method - Artificial variable technique – Concept of Duality – Primal and Dual Problems – Duality – Dua Simplex Method.
UNIT -II	<b>Transportation Problem:</b> Introduction – General transportation problem
	- The transportation table – Duality in transportation problem – Loops in
	transportation tables LP formulation of the transportation problem -
	Solution of a transportation problem – Finding an initial basic feasible
	solution – Test for optimality – Degeneracy in transportation problem -
	Transportation algorithm (MODI Method).
UNIT-III	Assignment Problem: Introduction – Mathematical formulation of the
	problem – The assignment method – Special cases in assignment
	problems – A typical assignment problem – The travelling salesman problem.
UNIT-IV	Games and Strategies: Introduction – Two-Person Zero-Sum Games
	– Some basic terms – The Maximin - Minimax Principle – Games without Saddle Points-Mixed Strategies – Graphical Solution of 2xr
	and mx2 games – Dominance Property.
UNIT- V	Network Scheduling by PERT / CPM: Introduction – Network and
	basic components - Logical sequencing - Rules of Network
	Construction – Critical path analysis – Probability considerations in
	PERT – Distinction between PERT and CPM.
TEXT BO	
	arup, P.K.Gupta and Manmohan, Operations Research, Sultan Chand &
	edition, 2001.
50115, 5	
	Unit Chapter & Section
	I Chapters 2, 3, 4 & 5 (Omit sections 5.5, 5.6 & 5.8)
	IIChapter 10: Sections 10.1 to 10.11IIIChapter 11: Section All
	IIIChapter 11: Section AllIVChapter 17: Sections 17.1 to 17.7
	V     Chapter 17: Sections 17:1 to 17:7       V     Chapter 21: Sections All
REFEREN	CE BOOKS:
	ota.P.K. and D.S.Hira, Operations Research, S.ChandandCompany.
	khtarS. Bazaraa, JohnJ.Jarvis and Hanif D.Sherali, Linear
	gramming and Network Flows, 2 nd Ed., John Wiley and Sons, India,
200 3. Hill	14. lier, F.S. and G.J.Lieberman, Introductionto Operations Research,
	d.,Tata McGraw Hill, Singapore,2009.
	ndyA.Taha, Operations Research, An Introduction, 8 th Ed., Prentice Hall
Ind	lia,2006.
5. Had	lley, G. Linear Programming, Narosa Publishing House, New Delhi, 2002.

CHAIRMAN – BOS

On successful completion of the course, the students will able to

- **CO 1** Solve linear programming problem using Simplex Method
- **CO 2** Apply the notions of linear programming in solving transportation problems
- CO 3 Acquire knowledge in formulating Assignment problem
- CO 4 Understand the theory of games for solving simple games.
- CO 5 Know distinction between PERT & CPM

Nature of Course			
Knowledge and Skill	$\checkmark$	Employability oriented	
Skill oriented	√	Entrepreneurship oriented	

CO/PSO	PSO 1	PSO 2	PSO 3	PSO 4
CO 1	3	3		3
CO 2	3	3	3	3
CO 3	3		3	2
CO 4	3	3	3	3
CO 5	3		3	2

Key: Strongly Correlated – 3 Moderately Correlated – 2 Weakly Correlated – 1 No Correlation – 0

#### **TEACHING METHODOLOGY:**

1.Lecture (Chalk and Talk – OHP – LCD)

- 2.Problem Solving Group Discussion
- 3.Quiz Seminar
- 4.Peer Learning

#### **QUESTION PAPER PATTERN – UG**

Knowledge level	Section	Word Limit	Marks	Total	Special Instructions if any
K 1	$A - 10 \ge 2$ marks	50	20		
K 1, K 2	$B-5 \ge 5$ marks	200	25	75	Nil
	(with internal choice)				
K 2, K 3	$C - 3/5 \ge 10$ marks	500	30		

All question papers can be framed in the following cognitive levels Knowledge Level 1. Recall

#### Knowledge Level 2. Understanding

Knowledge Level 3. Application

#### COURSE DESIGNER: R.VIJAYALAKSHMI

#### CHAIRMAN – BOS

CREDIT: 4	4 COURSE CODE: U21MM6E2A
	VERNMENT ARTS COLLEGE (AUTONOMOUS), KARUR-639 005.
B.	Sc. MATHEMATICS – VI SEMESTER - ELECTIVE COURSE – II (For the candidates admitted from the year 2021-2022 onwards)
	NUMERICAL METHODS
COURSE O	BJECTIVES:
	To have an in-depth knowledge of various advanced methods in numerical
2.	analysis. To use numerical techniques to get numerical solutions of equations like transcendental and non linear differential equations when ordinary analytical methods fail.
UNIT -I	The Solution of Numerical Algebraic and Transcendental Equations:
	The bisection method - Iteration method - Regula Falsi method - Newton's
	Raphson method.
	Solution of simultaneous linear algebraic equations direct methods: Gauss
	Elimination method –Jacobi method – Gauss Seidel method of iteration.
UNIT -II	<b>Finite Differences:</b> First differences – Express any value of y in terms of $y_n$ and
	the backward differences of $y_n$ – Differences of a polynomial – Factorial
	polynomial – Error propagation in a difference table – Finite integration –
	Summation of series.
UNIT- III	<b>Interpolation (For equal intervals):</b> Introduction – Gregory - Newton's forward
	interpolation formula - Gregory - Newton's backward interpolation formula
	<b>Central Difference Interpolation Formula (For equal intervals):</b> Central
	difference and central difference table – Central difference Interpolation formula
	– Gauss's forward interpolation formula – Gauss's backward interpolation
	formula –Stirling's formula – Bessel's formula.
	Interpolation with unequal intervals: Introduction – Divided differences –
	Properties of divided differences – Relation between divided differences and
	forward differences – Newton's divided difference formula – Lagrange's
	interpolation formula –Different form of Lagrange's interpolation formula.
UNIT-IV	Numerical Differentiation and Integration: Introduction – Newton's forward
0111-11	difference formula to get the derivative – Newton's backward difference formula
	to compute the derivative – Derivative using Stirling's formula – Newton-Cote's
	formula – Trapezoidal rule – Geometrical interpretation – Truncation error in
	Trapezoidal rule - Simpson's one-third rule –Simpson's three-eighths rule– Weddle's rule.
UNIT-V	<b>Difference Equations:</b> Definition – Order and degree of difference equation – Linear difference equation – To find equation function of $f(T)$
	Linear difference equation –To find complementary function of $f(E)y_x =$
	$\varphi(x) - In$ working Problems – To find particular integral of $f(E)y_x = \varphi(x)$ .
	Numerical solution of ordinary differential equations: Introduction – Power
	series approximation – Pointwise methods – Solution by Taylor series (Type 1) –
	Taylor series method for simultaneous first order differential equations – Taylor
	series method for second order differential equation - Euler's method -Runge-
	Kutta method – Second order Runge-Kutta method.

# **TEXT BOOK:**

P. Kandasamy, K. Thilagavathy and K. Gunavathy - "Numerical Methods", S.Chand& Company Ltd., 2010, New Delhi.

Unit	Chapter & Section
Ι	Chapter 3: Sections 1 to 4 Chapter 4: Sections 2, 8 to 9
II	Chapter 1: Sections 1.4 to 1.6
III	Chapter 3: Sections 3.2, 3.7
IV	Chapter 3: Section 3.3 Chapter 4: Section 4.6
V	Chapter 4: Sections 4.1 to 4.3

# **REFERENCE BOOKS:**

- 1. M.K.Venkataraman, Numerical Methods in Science and Engineering, The National Publishing company, Madras, 2009.
- 2. R.W.Hamming, Numerical Methods for Scientists and Engineers, Dover Publications, USA. 1987.
- 3. R. L. Burden and J. DouglesFaires, Numerical Analysis, 9thedn., Brooks/Cole, Cengage Learning, USA. 2011.
- 4. Arumugam, Issac and Somasundaram, Numerical Analysis with Programming in C, New Gamma Publishing House, June 2015

CHAIRMAN – BOS

On successful completion of the course, the students will be able to

**CO1** Derive numerical methods for approximating the solution of the problems of algebraic and transcendental equations and ordinary differential equations.

- CO2 Implement a variety of numerical algorithms using appropriate technology
- **CO3** Get practical knowledge of polynomial interpolation.
- CO4 Solve the ordinary differential equations by using the methods of Euler and Runge Kutta.
- **CO5** Learn numerical solution of differential equations

Nature of Course			
Knowledge and Skill	$\checkmark$	Employability oriented	
Skill oriented	$\checkmark$	Entrepreneurship oriented	

#### MAPPING – COURSE OUTCOME WITH PROGRAMME SPECIFIC OUTCOME

CO/PSO	PSO 1	PSO 2	PSO 3	PSO 4
CO 1	3	3	2	3
CO 2	3	3	3	3
CO 3	3	3	2	
CO 4	3	3		2
CO 5	3	2	3	

Key: Strongly Correlated – 3 Moderately Correlated – 2 Weakly Correlated – 1 No Correlation – 0

#### **TEACHING METHODOLOGY:**

- 1. Lecture (Chalk and Talk OHP LCD)
- 2. Problem Solving Group Discussion
- 3. Quiz Seminar
- 4. Peer Learning

#### **QUESTION PAPER PATTERN – UG**

Knowledge level	Section	Word Limit	Marks	Total	Special Instructions if any
K 1	$A - 10 \ge 2$ marks	50	20		
K 1, K 2	$B-5 \times 5$ marks	200	25	75	Nil
	(with internal choice)				
K 2, K 3	$C - 3/5 \ge 10$ marks	500	30		

#### All question papers can be framed in the following cognitive levels Knowledge Level 1. Recall

Knowledge Level 2. Understanding

Knowledge Level 3. Application

# COURSE DESIGNER: S.MURUGAMBIGAI

#### CHAIRMAN – BOS

<ol> <li>Introduce concepts in automata theory and theory of computation</li> <li>Identify different formal language classes and their relationships</li> <li>Design grammars and recognizers for different formal languages</li> <li>Prove or disprove theorems in automata theory using its properties</li> <li>Determine the decidability and intractability of computational problems</li> <li>UNIT -I</li> <li>Finite Automata: Deterministic Finite Accepters – Non deterministic Finite Accepters - Equivalence of Deterministic and N deterministic Finite Accepters - Reduction of the Number of States Finite Automata.</li> <li>UNIT -II</li> <li>Regular Languages and Regular Grammars: Regular Expression Connection Between Regular Expressions and Regular Language: Regular Grammars.</li> <li>UNIT-III</li> <li>Context Free Languages: Context Free Grammars – Parsing a Ambiguity – Context free Grammars and Programming Languages.</li> <li>Properties of Context Free Languages: Two Pumping lemmas Closure Properties and Decision Algorithms for context free languages</li> <li>UNIT-IV</li> <li>Pushdown Automata: Non deterministic Pushdown Automata Pushdown Automata and Context Free Languages.</li> <li>UVIT- V</li> <li>Discrete numerical functions and generating functions: Introducti – Manipulation of numerical functions – Asymptotic behavior numerical functions – Generating functions – Combinatorial Problems</li> <li>TEXT BOOKS:         <ol> <li>An Introduction to Formal Languages and Automata ,Narosa publication</li> <li>Elements of Discrete mathematics C.L. Liu 2nd edition McGraw-Hill.</li> </ol> </li> <li>Vinit Chapter 3: Sections 3.1 to 3.3         <ol> <li>Chapter 3: Sections 9.1 to 9.5</li> </ol> </li></ol>		4	SUBJECT CODE: U21MM	6E2B		
<ul> <li>(For the candidates admitted from the year 2021-2022 onwards)</li> <li>FORMAL LANGUAGES AND AUTOMATA THEORY</li> <li>COURSE OBJECTIVES:         <ol> <li>Introduce concepts in automata theory and theory of computation</li> <li>Identify different formal language classes and their relationships</li> <li>Design grammars and recognizers for different formal languages</li> <li>Prove or disprove theorems in automata theory using its properties</li> <li>Determine the decidability and intractability of computational problems</li> </ol> </li> <li>UNIT -I Finite Actomata: Deterministic Finite Accepters – Non deterministic Finite Accepters - Reduction of the Number of States Finite Automata.</li> <li>UNIT -II Regular Languages and Regular Grammars: Regular Expression Connection Between Regular Expressions and Regular Languages. Properties of Context Free Languages: Two Pumping lemmas Connection Between Regular Expressions and Regular Languages.</li> <li>Properties of Context Free Languages: Two Pumping lemmas Closure Properties and Decision Algorithms for context free languages.</li> <li>UNIT -II Pushdown Automata: Non deterministic Pushdown Automata Pushdown Automata and Context Free Languages.</li> <li>UNIT - V Discrete numerical functions and generating functions: Introducti – Manipulation of numerical functions – Asymptotic behavior numerical functions – Generating functions: Combinatorial Problems</li> <li>TEXT BOOKS:         <ul> <li>Non Introduction to Formal Languages and Automata ,Narosa publication</li> <li>Elements of Discrete mathematics C.L. Liu 2nd edition McGraw-Hill.</li> </ul> </li> <li>Reference BOOKS:         <ul> <li>Reference BOOKS:</li> <li>Rami Strom money, Formal Languages, CLS publications.</li> <li>V Chapter 9(2): Sections 9.1 to 9.5</li> <li>V Chapter 9(2): Sections 9.1 to 9.5</li></ul></li></ul>	GOV	ERNMENT ARTS	COLLEGE (AUTONOMOUS), KARUR - 639 005	•		
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<ul> <li>Manipulation of numerical functions - Asymptotic behavior numerical functions – Generating functions – Combinatorial Problems</li> <li>TEXT BOOKS:         <ol> <li>An Introduction to Formal Languages and Automata ,Narosa publication</li> <li>Elements of Discrete mathematics C.L. Liu 2nd edition McGraw-Hill.</li> </ol> </li> <li><u>Unit Chapter &amp; Section</u> <ol> <li>Chapter 2: Sections 2.1 to 2.4</li> <li>Chapter 3: Sections 3.1 to 3.3</li> <li>Chapter 5: Sections 5.1 to 5.3</li> <li>Chapter 7: Sections 8.1 to 8.2</li> <li>V Chapter 9[2]: Sections 9.1 to 9.5</li> </ol> </li> <li>Reference Books:         <ol> <li>Rani Siron money, Formal Languages, CLS publications. Venkatraman M.K., Sridharan.N.&amp;N.Chandrasekaran,-Discrete Mathematics, National Publishing &amp; Co.,2000.</li> </ol></li></ul>	LINIT- V	Discrete numeric:	al functions and generating functions. Introdu	letion		
numerical functions – Generating functions – Combinatorial Problems <b>TEXT BOOKS:</b> 1. An Introduction to Formal Languages and Automata ,Narosa publication         2. Elements of Discrete mathematics C.L. Liu 2 nd edition McGraw-Hill. <u>Unit Chapter&amp; Section</u> I       Chapter & Sections 2.1 to 2.4         II       Chapter 3: Sections 2.1 to 2.4         II       Chapter 7: Sections 3.1 to 3.3         III       Chapter 7: Sections 5.1 to 5.3         Chapter 8: Sections 9.1 to 9.5 <b>REFERENCE BOOKS:</b> 1. Rani Siron money, Formal Languages, CLS publications.         Venkatraman M.K., Sridharan.N.&N.Chandrasekaran,-Discrete Mathematics, National Publishing & Co.,2000.						
<ol> <li>An Introduction to Formal Languages and Automata ,Narosa publication</li> <li>Elements of Discrete mathematics C.L. Liu 2nd edition McGraw-Hill.</li> <li><u>Unit</u> <u>Chapter &amp; Section</u> <u>I</u> Chapter 2: Sections 2.1 to 2.4 <u>II</u> Chapter 3: Sections 3.1 to 3.3 <u>III</u> Chapter 5: Sections 5.1 to 5.3 Chapter 8: Sections 8.1 to 8.2 <u>IV</u> Chapter 7: Sections 9.1 to 9.5</li> <li>REFERENCE BOOKS:</li> <li>Rani Siron money, Formal Languages, CLS publications. Venkatraman M.K., Sridharan.N.&amp;N.Chandrasekaran,-Discrete Mathematics, National Publishing &amp; Co.,2000.</li> </ol>		=				
<ol> <li>An Introduction to Formal Languages and Automata ,Narosa publication</li> <li>Elements of Discrete mathematics C.L. Liu 2nd edition McGraw-Hill.</li> <li><u>Unit</u> <u>Chapter &amp; Section</u> <u>I</u> Chapter 2: Sections 2.1 to 2.4 <u>II</u> Chapter 3: Sections 3.1 to 3.3 <u>III</u> Chapter 5: Sections 5.1 to 5.3 Chapter 8: Sections 8.1 to 8.2 <u>IV</u> Chapter 7: Sections 9.1 to 9.5</li> <li>REFERENCE BOOKS:</li> <li>Rani Siron money, Formal Languages, CLS publications. Venkatraman M.K., Sridharan.N.&amp;N.Chandrasekaran,-Discrete Mathematics, National Publishing &amp; Co.,2000.</li> </ol>						
publication         2. Elements of Discrete mathematics C.L. Liu 2 nd edition McGraw-Hill. <ul> <li></li></ul>	-		Formal Languages and Automata Naro	<b>60</b>		
2. Elements of Discrete mathematics C.L. Liu 2 nd edition McGraw-Hill. <ul> <li></li></ul>			, Pormai Languages and Automata , Nato	sa		
I       Chapter 2: Sections 2.1 to 2.4         II       Chapter 3: Sections 3.1 to 3.3         III       Chapter 5: Sections 5.1 to 5.3         Chapter 8: Sections 8.1 to 8.2         IV       Chapter 7: Sections 7.1 to 7.4         V       Chapter 9[2]: Sections 9.1 to 9.5 <b>REFERENCE BOOKS:</b> 1.       Rani Siron money, Formal Languages, CLS publications.         Venkatraman M.K., Sridharan.N.&N.Chandrasekaran,-Discrete Mathematics, National Publishing & Co.,2000.	20		te mathematics C.L. Liu 2 nd edition McGrav	<i>N</i> -		
I       Chapter 2: Sections 2.1 to 2.4         II       Chapter 3: Sections 3.1 to 3.3         III       Chapter 5: Sections 5.1 to 5.3         Chapter 8: Sections 8.1 to 8.2         IV       Chapter 7: Sections 7.1 to 7.4         V       Chapter 9[2]: Sections 9.1 to 9.5 <b>REFERENCE BOOKS:</b> 1.       Rani Siron money, Formal Languages, CLS publications.         Venkatraman M.K., Sridharan.N.&N.Chandrasekaran,-Discrete Mathematics, National Publishing & Co.,2000.	2. E	ill.				
II       Chapter 3: Sections 3.1 to 3.3         III       Chapter 5: Sections 5.1 to 5.3         Chapter 8: Sections 8.1 to 8.2         IV       Chapter 7: Sections 7.1 to 7.4         V       Chapter 9[2]: Sections 9.1 to 9.5 <b>REFERENCE BOOKS:</b> 1.       Rani Siron money, Formal Languages, CLS publications.         Venkatraman M.K., Sridharan.N.&N.Chandrasekaran,-Discrete Mathematics, National Publishing & Co.,2000.	2. E	· · · · · · · · · · · · · · · · · · ·	Chanter& Section			
III       Chapter 5: Sections 5.1 to 5.3 Chapter 8: Sections 8.1 to 8.2         IV       Chapter 7: Sections 7.1 to 7.4         V       Chapter 9[2]: Sections 9.1 to 9.5 <b>REFERENCE BOOKS:</b> 1.       Rani Siron money, Formal Languages, CLS publications. Venkatraman M.K., Sridharan.N.&N.Chandrasekaran,-Discrete Mathematics, National Publishing & Co.,2000.	2. E	Unit	—			
IV       Chapter 7: Sections 7.1 to 7.4         V       Chapter 9[2]: Sections 9.1 to 9.5         REFERENCE BOOKS:       1.         1.       Rani Siron money, Formal Languages, CLS publications.         Venkatraman M.K., Sridharan.N.&N.Chandrasekaran,-Discrete Mathematics, National Publishing & Co.,2000.	2. E	Unit I	Chapter 2: Sections 2.1 to 2.4			
V       Chapter 9[2]: Sections 9.1 to 9.5         REFERENCE BOOKS:       1.       Rani Siron money, Formal Languages, CLS publications.         Venkatraman M.K., Sridharan.N.&N.Chandrasekaran,-Discrete Mathematics, National Publishing & Co.,2000.	2. E	Unit I II	Chapter 2: Sections 2.1 to 2.4Chapter 3: Sections 3.1 to 3.3Chapter 5: Sections 5.1 to 5.3			
<ul> <li>REFERENCE BOOKS:</li> <li>1. Rani Siron money, Formal Languages, CLS publications. Venkatraman M.K., Sridharan.N.&amp;N.Chandrasekaran,-Discrete Mathematics, National Publishing &amp; Co.,2000.</li> </ul>	2. E	Unit I II III	Chapter 2: Sections 2.1 to 2.4Chapter 3: Sections 3.1 to 3.3Chapter 5: Sections 5.1 to 5.3Chapter 8: Sections 8.1 to 8.2			
<ol> <li>Rani Siron money, Formal Languages, CLS publications. Venkatraman M.K., Sridharan.N.&amp;N.Chandrasekaran,-Discrete Mathematics, National Publishing &amp; Co.,2000.</li> </ol>	2. E	Unit I II III IV	Chapter 2: Sections 2.1 to 2.4Chapter 3: Sections 3.1 to 3.3Chapter 5: Sections 5.1 to 5.3Chapter 8: Sections 8.1 to 8.2Chapter 7: Sections 7.1 to 7.4			
Venkatraman M.K., Sridharan.N.&N.Chandrasekaran,-Discrete Mathematics, National Publishing & Co.,2000.	2. E H	Unit I II III IV V	Chapter 2: Sections 2.1 to 2.4Chapter 3: Sections 3.1 to 3.3Chapter 5: Sections 5.1 to 5.3Chapter 8: Sections 8.1 to 8.2Chapter 7: Sections 7.1 to 7.4			
	2. E H REFEREN	Unit           I           II           III           IV           V	Chapter 2: Sections 2.1 to 2.4Chapter 3: Sections 3.1 to 3.3Chapter 5: Sections 5.1 to 5.3Chapter 8: Sections 8.1 to 8.2Chapter 7: Sections 7.1 to 7.4Chapter 9[2]: Sections 9.1 to 9.5			
CHAIRMAN – BOS CONTROLLER OF EXAMINATIONS	2. E H REFEREN 1. F	Unit I II III IV V CE BOOKS: Rani Siron money, Fo	Chapter 2: Sections 2.1 to 2.4Chapter 3: Sections 3.1 to 3.3Chapter 5: Sections 5.1 to 5.3Chapter 8: Sections 8.1 to 8.2Chapter 7: Sections 7.1 to 7.4Chapter 9[2]: Sections 9.1 to 9.5			
CHAIRMAN – BOS CONTROLLER OF EXAMINATIONS	2. E H REFEREN 1. F	Unit         I         II         III         IV         V         CE BOOKS:         Rani Siron money, Fo         Venkatraman M.K., S	Chapter 2: Sections 2.1 to 2.4Chapter 3: Sections 3.1 to 3.3Chapter 3: Sections 5.1 to 5.3Chapter 8: Sections 8.1 to 8.2Chapter 7: Sections 7.1 to 7.4Chapter 9[2]: Sections 9.1 to 9.5ormal Languages, CLS publications.Sridharan.N.&N.Chandrasekaran,-Discrete			
	2. E H REFEREN 1. F V N	Unit         I         II         IV         V         CE BOOKS:         Rani Siron money, Fo         Venkatraman M.K., S         Mathematics, Nation	Chapter 2: Sections 2.1 to 2.4         Chapter 3: Sections 3.1 to 3.3         Chapter 5: Sections 5.1 to 5.3         Chapter 8: Sections 8.1 to 8.2         Chapter 7: Sections 7.1 to 7.4         Chapter 9[2]: Sections 9.1 to 9.5         Dormal Languages, CLS publications.         Sridharan.N.&N.Chandrasekaran,-Discrete         Description         Complexity         Complexity         Chapter 9[2]: Sections 9.1 to 9.5			
	2. E H REFEREN 1. F V N	Unit         I         II         IV         V         CE BOOKS:         Rani Siron money, Fo         Venkatraman M.K., S         Mathematics, Nation	Chapter 2: Sections 2.1 to 2.4         Chapter 3: Sections 3.1 to 3.3         Chapter 5: Sections 5.1 to 5.3         Chapter 8: Sections 8.1 to 8.2         Chapter 7: Sections 7.1 to 7.4         Chapter 9[2]: Sections 9.1 to 9.5         Dormal Languages, CLS publications.         Sridharan.N.&N.Chandrasekaran,-Discrete         Description         Complexity         Complexity         Chapter 9[2]: Sections 9.1 to 9.5			

On successful completion of the course, the students will be able to

- **CO 1** Acquire a fundamental understanding of the core concepts in automata theory and formal languages.
- **CO 2** Ability to design grammars and automata (recognizers) for different language classes.
- **CO 3** Ability to identify formal language classes and prove language membership properties.
- **CO 4** Ability to prove and disprove theorems establishing key properties of formal languages and automata.
- **CO 5** Acquire a fundamental understanding of core concepts relating to the theory of computation and computational models including (but not limited to) decidability and intractability.

Nature of Course			
Knowledge and Skill	$\checkmark$	Employability oriented	
Skill oriented	$\checkmark$	Entrepreneurship oriented	

CO/PSO	PSO 1	PSO 2	AMME SPECIFIC ( PSO 3	PSO 4
CO 1	3		3	
CO 2	3		3	
CO 3	3		3	
CO 4	3	3	3	3
CO 5	3	2	3	3

Key: Strongly Correlated – 3 Moderately Correlated – 2 Weakly Correlated – 1 No Correlation – 0

#### **TEACHING METHODOLOGY:**

1.Lecture (Chalk and Talk – OHP – LCD)

2. Problem Solving - Group Discussion

3.Quiz-Seminar

4.Peer Learning

#### **QUESTION PAPER PATTERN – UG**

Knowledge level	Section	Word Limit	Marks	Total	Special Instructions if any
K 1	$A - 10 \ge 2$ marks	50	20		
K 1, K 2	$B-5 \ge 5$ marks	200	25	75	Nil
	(with internal choice)				
K 2, K 3	$C - 3/5 \ge 10 \text{ marks}$	500	30		

All question papers can be framed in the following cognitive levels

Knowledge Level 1. Recall

Knowledge Level 2. Understanding Knowledge Level 3. Application

# COURSE DESIGNER: S.MURUGAMBIGAI

# CHAIRMAN – BOS

#### **CREDIT:4**

# COURSE CODE: U21MM6E3A

# GOVERNMENT ARTS COLLEGE (AUTONOMOUS), KARUR - 639 005.

**B.Sc. MATHEMATICS – VI SEMESTER - ELECTIVE COURSE – III** 

(For the candidates admitted from the year 2021-2022 onwards)

# DISCRETE MATHEMATICAL STRUCTURE

**COURSE OBJECTIVES:** 

To enable students to

1. Develop construction and verification of mathematical Statements.

2. Gain fundamental knowledge about lattices and Boolean Algebra.

UNIT -I	Mathematical logic:	Statement	and	Notation	- Connectives	– Normal
	forms.					

UNIT -II	Mathematical logic: The Theory of inference for the statement
	calculus – The Predicate calculus – Inference theory of the predicate
	calculus.

UNIT- III	Algebraic S	Structures: Se	emigroups an	nd Mo	noids - Grou	рC	Codes.	
UNIT- IV	Algebraic	Structures:	Grammars	and	Languages	-	Finite	State

- Machines.
- **UNIT- V** Lattices and Boolean Algebra: Introduction Boolean algebra Boolean functions.

#### **TEXT BOOKS:**

J. P. Trembley and R. Manohar, Discrete Mathematical Structures With applications to Computer Science, Tata Mc Graw Hill, New Delhi, 1997.

Unit	Chapter & Section
Ι	Chapter 1: Sections 1.1 to 1.3
II	Chapter 1: Sections 1.4 to 1.6
III	Chapter 3: Sections 3.2, 3.7
IV	Chapter 3: Section 3.3
	Chapter 4: Section 4.6
V	Chapter 4: Sections 4.1 to 4.3

#### **REFERENCE BOOKS:**

- 1. Ralph P.Grumaldi Pearson Edelen-Discrete and Combinational Mathematics-an Applied Introduction (IV Edn.).
- 2. Maluino A and Leech- Digital Principles and Application Mcgraw Hill.
- 3. Venkataraman, M.K.and others–Discrete Mathematics–2000, The National Publishing Company

CHAIRMAN – BOS

On successful completion of the course, the students will be able to

- **CO1** Acquire knowledge about the basic concepts of Discrete Mathematics and its applications.
- **CO 2** Apply logically valid forms of arguments to avoid logical errors by studying mathematical logic.
- **CO 3** Construct truth table for the given proposition. Interpret tautology and contradictions. Demonstrate logical operator.
- **CO 4** Define and describe grammars and languages.
- **CO 5** Understand abstract algebra, posets, lattices, Boolean algebra and their applications in the field of engineering and computer science.

Nature of Course			
Knowledge and Skill	✓	Employability oriented	
Skill oriented	√	Entrepreneurship oriented	

# MAPPING – COURSE OUTCOME WITH PROGRAMME SPECIFIC OUTCOME

CO/PSO	PSO 1	PSO 2	PSO 3	PSO 4
CO 1	3		3	
CO 2	3		3	
CO 3	3		3	2
CO 4	3		3	
CO 5	3		3	2

Key: Strongly Correlated – 3 Moderately Correlated – 2 Weakly Correlated – 1 No Correlation – 0

# **TEACHING METHODOLOGY:**

- 1. Lecture (Chalk and Talk OHP LCD)
- 2. Problem Solving Group Discussion
- 3. Quiz Seminar
- 4. Peer Learning

# **QUESTION PAPER PATTERN – UG**

Knowledge	Section	Word Limit	Marks	Total	Special
level					Instructions if any
K 1	$A - 10 \ge 2$ marks	50	20		
K 1, K 2	$B-5 \ge 5$ marks	200	25	75	Nil
	(with internal choice)				
K 2, K 3	C – 3/5 x 10 marks	500	30		

# All question papers can be framed in the following cognitive levels

Knowledge Level 1. Recall Knowledge Level 2. Understanding Knowledge Level 3. Application

**COURSE DESIGNER: S. MURUGAMBIGAI** 

# CHAIRMAN – BOS

<b>CREDIT:</b>	4		COURSE C	ODE: U21MM6E3B
			GE (AUTONOMOUS), F MESTER - ELECTIVE	
<b>D</b> .0			d from the year 2021-2022 of	
	× ·		IATHEMATICS	,
COURSE	OBJECTIVES	5:		
1. Thi	s course introdu	aces students to	the basic concepts of mod	deling in systems using
	zy sets.	zzy sats are intr	oduced and their role in a	nnlightions of somentia
			easoning systems.	pprications of semantic
UNIT- I	Overview - 1 Characteristics <b>Fuzzy Sets</b>	Fuzzy Sets: B and Significan Versus Crisp	s To Fuzzy Sets: Introd Basic Types - Fuzzy S ce of the Paradigm Shift. Sets: Additional Prop s -Extension Principle for	ets: Basic Concepts - erties of alpha-Cuts -
UNIT- II	Fuzzy Intersec		ts: Types of Operations - Fuzzy Unions: t-Concerations.	
UNIT- III	Operations on		Numbers - Linguistic hmetic Operations on Fuz tions.	
UNIT- IV	Extensions - B Equivalence I Relations - Fu:	inary Fuzzy Re Relations - Fu	us Fuzzy Relations - Prelations - Binary Relations zzy Compatibility Relations - Sup-i Compositions of sons.	s on a Single Set - Fuzzy ions - Fuzzy Ordering
UNIT- V		Industrial Eng	Introduction - Civil Engineering - Computer E	
TEXT BOO	)KS:			
•		an,-Fuzzy Sets 002,New Delhi	s and Fuzzy Logic Th	neory and Applications
		Unit	Chapter	
		Ι	Chapter 1 & 2	
		II	Chapter3	
		III	Chapter4	
		IV	Chapter5	
		V	Chapter16	
REFEREN	CEBOOKS:			
	Klir, Tina.A.	Folger – Fuzz	zySets, Uncertain tyand	Informations –Prentice
CHAIRM	AN – BOS		CONTROLLER C	<b>DF EXAMINATIONS</b>

On successful completion of the course, the students will be able to

- CO 1 Learn crips and fuzzy set theory
- CO 2 Recognize fuzzy logic membership function.
- **CO 3** Make applications on Fuzzy logic membership function and fuzzy inference systems.
- CO 4 Decide the difference between crips set and fuzzy set theory.
- CO 5 Recognize fuzzy logic fuzzy inference systems

Nature of Course			
Knowledge and Skill	√	Employability oriented	
Skill oriented	~	Entrepreneurship oriented	

#### MAPPING - COURSE OUTCOME WITH PROGRAMME SPECIFIC OUTCOME

CO/PSO	PSO 1	PSO 2	PSO 3	PSO 4
CO 1	3		3	
CO 2	3		3	
CO 3	3		3	
CO 4	3		2	
CO 5	3		3	
Average				

Key: Strongly Correlated -3 Moderately Correlated -2 Weakly Correlated -1 No Correlation -0

# **TEACHING METHODOLOGY:**

- 1. Lecture (Chalk and Talk OHP LCD)
- 2. Problem Solving Group Discussion
- 3. Quiz Seminar
- 4. Peer Learning

# **QUESTION PAPER PATTERN – UG**

Knowledge level	Section	Word Limit	Marks	Total	Special Instructions if any
K 1	$A - 10 \ge 2$ marks	50	20		
K 1, K 2	$B - 5 \times 5$ marks (with internal choice)	200	25	75	Nil
K 2, K 3	$C - 3/5 \times 10 \text{ marks}$	500	30		

#### All question papers can be framed in the following cognitive levels

Knowledge Level 1. Recall Knowledge Level 2. Understanding Knowledge Level 3. Application

COURSE DESIGNER: S.MURUGAMBIGAI

# CHAIRMAN – BOS

GO	3		COURSE CODE: U	
			NOMOUS), KARUR - 639	005.
		MESTER - FIRST AL		
	,	FOR COMPUTER SCIENC		
		dates admitted from the ye		
	I	APPLIED MATHEMA	TICS - I	
		(ALGEBRA AND CALC	CULUS)	
COURSE O	BJECTIVES:			
		-	ms in theory of equations.	
	2. To learn the ba	sic concepts in the differ	entiation and integration.	
UNIT -I	Theory of Equation	n: Relation between roo	ts and coefficients - Trans	formation o
	• •		plying the roots by a consta	
	Equations with the	given roots - Rolle's the	eorem, Descartes rule of sig	ns (statemen
	only) - Simple prob	olems.		
	0:1	<b>T C :</b>	1 , • • A 1• • ,	(1 1 D )
UNIT -II			lar matrix using Adjoint me	
			equation – Eigen values, E ed) - Simple applications on	
			eu) - Simple applications on	iy.
UNIT -III	Differentiation : Ma	axima & Minima - Conc	avity – Convexity – Points	of inflexion
			Total Differential coefficie	
	needed) - Simple pr			` <b>L</b>
UNIT-IV			roperties of definite integra	
	_		& Even functions - Fourier	r Half Rang
	Sine and Cosine ser	ries.		
UNIT-V	Differential Equation	ons: Variables Separabl	e - Linear equations - Sec	ond order o
			c are constants and $F(X)$	
			x (iii) x ⁿ , n being an integer	
				. , . ,
TEXT BOOK				
	e e	0	S.V. Publications,2010, Revis	
	•	0	S.V. Publications,2010, Revis	ed Edition.
•		0	<b>I.</b> I", S.V. Publications, 2003.	
-		-	ol. II", S.V. Publications, 2003 ol. III", S.V. Publications, 200	
5. S. Maraya	nan, 1. K. Manickavas	sagani Pinai, "Calculus vo	<b>M. III</b> ⁻ , <b>S. V.</b> Publications, 200	5.
REFERENCI	E BOOKS:			
		lculus", Jaiprakashnath an		
2. P. Kanda	samy, K. Thilagavathy	v, "Allied mathematics", S CHAPTERS	S. Chand & Co. Ltd.,2010. SECTIONS	]
	UNITS	CHAFTERS	SECTIONS	
	Unit I	Chap 6 (Text Book 1)	Sec 11,15,17,20,24,25	
	Unit II	Chap 2 (Text Book 2)	Sec 8,8.1,11,14,16,16.3	
	Unit III	Chap 5 (Text Book 3)	Sec 1.5,2	1
		Chap 8 (Text Book 3)	Sec 1.1,1.2,1.3-1.6,4.1	
	Unit IV	Chap 1 (Text Book 4)	Sec 11,12	
	Init V	Chap 6 (Text Book 5)	Sec 1,2,3,4,5.1,5.2	
	Unit V	Chap 1 (Text Book 5) Chap 2 (Text Book 5)	Sec 2.1,2.4 Sec 1,2,3,4 (a),(b),(c),(d)	
		Chap 2 (Text DOOK 3)	500 1,2,3,4 (a),(0),(0),(0)	
		<u> </u>		

On successful completion of the course, the students will be able to

- CO 1 Train the students to solve the problems in Theory of Equations
- **CO 2** Apply Cayley Hamilton theorem for finding the inverse of square matrices
- CO 3 Get exposed to the basic concepts of differentiation and integration
- **CO 4** Expand given function in Fourier series.
- CO 5 Acquire the knowledge about differential equations

Nature of Course				
Knowledge and Skill	$\checkmark$	Employability oriented	✓	
Skill oriented		Entrepreneurship oriented		

# MAPPING - COURSE OUTCOME WITH PROGRAMME SPECIFIC OUTCOME

CO/PSO	PSO 1	PSO 2	PSO 3	PSO 4
CO 1	3		2	2
CO 2	3	3		3
CO 3	3	3	3	3
CO 4	3	3		2
CO 5	3			

Key: Strongly Correlated -3 Moderately Correlated -2 Weakly Correlated -1 No Correlation -0

# **TEACHING METHODOLOGY:**

1.Lecture (Chalk and Talk – OHP – LCD)

 $2. Problem \ Solving-Group \ Discussion$ 

3.Quiz – Seminar

4.Peer Learning

# **QUESTION PAPER PATTERN – UG**

Knowledge level	Section	Word Limit	Marks	Total	Special Instructions if any
K 1	A – 10 x 2 marks	50	20		
K 1, K 2	$B-5 \ge 5$ marks	200	25	75	Nil
	(with internal choice)				
K 2, K 3	C – 3/5 x 10 marks	500	30		

#### All question papers can be framed in the following cognitive levels

Knowledge Level 1. Recall

Knowledge Level 2. Understanding

Knowledge Level 3. Application

# **COURSE DESIGNER:**

CHAIRMAN – BOS

## GOVERNMENT ARTS COLLEGE (AUTONOMOUS), KARUR-639 005. B.Sc. - II SEMESTER - FIRST ALLIED COURSE – II (FOR COMPUTER SCIENCE MAJOR)

## (For the candidates admitted from the year 2021-2022 onwards)

## APPLIED MATHEMATICS – II (PRACTICALS)

## (NUMERICAL METHODS)

## **COURSE OBJECTIVES:**

- 1. To learn the knowledge about an algebraic and transcendental equations.
- 2. Develop the students for solving the problems by using various methods.

UNIT- I	Solution of Algebraic and Transcendental Equations: Bisection method -
	Iteration Method - Regula falsi method – Newton Raphson Method –Simple
	Problems.
UNIT- II	Solution of Simultaneous Linear Algebraic Equations: Gauss-Elimination
	Method –Gauss-Jordan Method – Gauss-Jacobi method – Gauss-Seidal Method.
UNIT- III	Interpolations: Linear interpolation – Gregory – Newton forward and backward interpolation formula – Lagrange interpolation formula (for unequal intervals).
UNIT- IV	Numerical Differentiation and Integration: Newton's formula to compute derivative –Numerical Integration – A General Quadrature formula – Trapezoidal Rule - Simpson's 1/3rd Rule – Simpson's 3/8th rule.
UNIT- V	Numerical Solutions of ODE – Taylor's series Method – Euler Method – Second order and Fourth order Runge-Kutta Methods – Predictor and Corrector methods –Milne's predictor – Corrector formula.
TEVT BO	

## **TEXT BOOK:**

1. P.K. Kandasamy, K. Thilagavathi& K. Gunavathi, **"Numerical Methods"**, S.Chand & Co Ltd. Second Revised Edition 2003.

## **REFERENCE BOOKS:**

1. S. S. Sastry, **"Introductory Methods of Numerical Analysis"**, Prentice Hall of India Pvt. Ltd., New Delhi, Third Edition, 2002.

2. M. K. Venkataraman, "Numerical Methods in Science and Engineering", Nationalising Company, 2007.

UNITS	CHAPTERS	SECTIONS
Unit I	Chap 3	Sec 3.1 to 3.4
Unit II	Chap 4	Sec 4.1, 4.2, 4.8, 4.9
Unit III	Chap6 Chap 8	Sec 6.1to 6.3 Sec 8.1 to 8.7
Unit IV	Chap 9	Sec 9.1to 9.3, 9.7 to 9.9, 9.13, 9.14
Unit V	Chap 11	Sec 11.6, 11.7, 11.9, 11.12, 11.13, 11.16, 11.17

CHAIRMAN – BOS

On successful completion of the course, the students will be able to

- **CO 1** Get exposed to the basic concepts of algebraic and transcendental equations.
- CO 2 Apply various methods for solving the above equations.
- CO 3 Apply various methods for solving simultaneous linear algebraic equations
- **CO 4** Train the students to calculate numerical differentiation and integration.
- **CO 5** Apply various methods for finding the numerical solution of ordinary differential equation.

Nature of Course					
Knowledge and Skill		Employability oriented	✓		
Skill oriented	√	Entrepreneurship oriented			

## MAPPING – COURSE OUTCOME WITH PROGRAMME SPECIFIC OUTCOME

CO/PSO	PSO 1	PSO 2	PSO 3	PSO 4
CO 1	3	3	2	2
CO 2	3	3		3
CO 3	3	3	3	3
CO 4	3	3		2
CO 5	3	3		3

Key: Strongly Correlated – 3 Moderately Correlated – 2 Weakly Correlated – 1 No Correlation – 0

## **TEACHING METHODOLOGY:**

1.Lecture (Chalk and Talk – OHP – LCD)

- 2.Problem Solving Group Discussion
- 3.Quiz Seminar
- 4. Peer Learning

## **QUESTION PAPER PATTERN – UG**

Knowledge level	Section	Word Limit	Marks	Total	Special Instructions if any
K 1, K 2, K 3	3 /5 x1 5 marks (with internal choice)	500	45	60	
	Record		15		

### All question papers can be framed in the following cognitive levels

Knowledge Level 1. Recall

Knowledge Level 2. Understanding

Knowledge Level 3. Application

### **COURSE DESIGNER:**

CHAIRMAN – BOS

#### **COURSE CODE: U21MM2A3**

### GOVERNMENT ARTS COLLEGE (AUTONOMOUS), KARUR-639 005. **B.Sc. - II SEMESTER - FIRST ALLIED COURSE - III**

## (FOR COMPUTER SCIENCE MAJOR)

(For the candidates admitted from the year 2021-2022 onwards)

## **APPLIED MATHEMATICS – III**

#### (OPERATIONS RESEARCH)

#### **COURSE OBJECTIVES:**

- 1. To learn the basic concepts about Linear Programming Problem, Transportation Problem, Assignment Problem, Sequencing Problem and Network.
- 2. Develop the problem solving skill on the above problems.

UNIT - I	Operations Research: Introduction – Role of computers in O.R – Linear
	Programming formulation - Graphical solution of two variables - Canonical and
	standard forms of Linear Programming Problems.

- **UNIT II** Simplex Methods Algorithms Simplex Method for <=, >= Constrains Big M Method – Two Phase Method.
- UNIT III Transportation Problems: Algorithms Degeneracy in Transportation Problem -Unbalanced Transportation Problem – Assignment Problem– Algorithms Unbalanced Assignment Problem.
- **UNIT- IV** Sequencing Problems: Problem with n jobs and two machines Problems with n jobs and three machines.

**UNIT - V** Network – Fulkerson's rule – CPM-PERT Calculations.

### **TEXT BOOK:**

1. Kantiswarup, P.K. Gupta & Manmohan, "Operations Research", Sultan & Chand Publishers, New Delhi, 2014.

## **REFERENCE BOOK:**

1. Hira and Gupta, "Operations Research", S.Chand& Co. Ltd., 1999.

UNITS	CHAPTERS	SECTIONS
Unit I	Chap1	Sec 1.1,1.2,1.6,1.8
	Chap2	Sec 2.1- 2.6
Unit II	Chap3	Sec 3.1 to 3.5
Unit III	Chap 6	Sec 6 - 6.1, 6.2, 6.4, 6.5, 6.7, 6.9
	Chap7	Sec 7.1 to 7.3
Unit IV	Chap10	Sec 10.1 to10.4
Unit V	Chap 21	Sec 21.1 to 21.7

**CHAIRMAN – BOS** 

On successful completion of the course, the students will be able to

CO 1 Acquire the basic concepts of Linear Programming Problem.

- CO 2 Apply various methods for finding an optimum solution of LPP.
- **CO 3** Apply various algorithms for finding an optimum solution for the transportation and an assignment problems.
- CO 4 Understand the basic concepts of sequencing problem.
- CO 5 To learn the basic concepts of network and develop the problem solving skill.

Nature of Course				
Knowledge and Skill	$\checkmark$	Employability oriented	$\checkmark$	
Skill oriented		Entrepreneurship oriented	$\checkmark$	

## MAPPING - COURSE OUTCOME WITH PROGRAMME SPECIFIC OUTCOME

CO/PSO	PSO 1	PSO 2	PSO 3	PSO 4
CO 1	3		2	2
CO 2	3	3		3
CO 3	3	3	3	3
CO 4	3			2
CO 5	3	3		3
Average				

Key: Strongly Correlated – 3 Moderately Correlated – 2 Weakly Correlated – 1 No Correlation – 0

## **TEACHING METHODOLOGY:**

- 1. Lecture (Chalk and Talk OHP LCD)
- 2. Problem Solving Group Discussion
- 3. Quiz Seminar
- 4 .Peer Learning

### **QUESTION PAPER PATTERN – UG**

Knowledge level	Section	Word Limit	Marks	Total	Special Instructions if any
K 1	A – 10 x 2 marks	50	20		
K 1, K 2	$B-5 \ge 5$ marks (with internal choice)	200	25	75	Nil
K 2, K 3	C – 3/5 x 10 marks	500	30		

### All question papers can be framed in the following cognitive levels

Knowledge Level 1. Recall

Knowledge Level 2. Understanding

Knowledge Level 3. Application

## **COURSE DESIGNER:**

### CHAIRMAN – BOS

CREDIT: 4 COURSE CODE: U21MM1A4/ U21MM								
GOV	GOVERNMENT ARTS COLLEGE (AUTONOMOUS), KARUR-639 005. B.Sc. – I/III SEMESTER - FIRST ALLIED COURSE – I (FOR PHYSICS, CHEMISTRY & GEOLOGY MAJOR) (For the candidates admitted from the year 2021-2022 onwards)							
		ALLIED MATH (ALGEBRA, 3D AND 1						
COURSE O	BJECTIVES	:						
		the basic concepts of Alg the basic needs of Trigon						
UNIT I		Exponential and Logarith ion related problems	mic series (Formulae o	only) - Summation and				
UNIT II	Unitary ma	Skew symmetric, Ortho trices - Characteristic equ theorem (proof not need	uation, Eigen values, E	Eigen vectors - Cayley				
UNIT III	1	Ta Sphere -Tangent plane radius of the circle of inter-						
UNIT IV	sin ⁿ θ, cos	of sin $n\theta$ , cos $n\theta$ , tan $n\theta$ $s^n\theta$ in a series of sines expansion of sin $\theta$ , cos $\theta$ hove)	and cosines of multi	ples of $\theta$ ( $\theta$ - gives in				
UTTT V	<b>IT V</b> Euler's formula for $e^{i\theta}$ - Definition of Hyperbolic functions – Formulae involvin Hyperbolic functions - Relation between Hyperbolic and circular functions Expansion of sinhx, coshx, tanhx in powers of x – Seperation of real an imaginary part of $sin(x + iy)$ , $cos(x + iy)$ , $tan(x + iy)$ , $sinh(x + iy)$ , $cosh(x + iy)$ $tanh(x + iy)$ , $sinh^{-1}(x + iy)$ , $cosh^{-1}(x + iy)$ , $tanh^{-1}(x + iy)$ .							
Visw 2. T. K Visw 3. T. K New 4. S. N Priva <b>REFEREN</b> 1. A	. Manickava vanathan Pri . Manickava vanathan Pri . Manickava Gamma Pul arayanan, T. ate Limited a CE BOOKS Arumugam &	Isaac, "Analytical geomet	010. n, K. S. Ganapathy, "A 010. <b>Il Geometry of 3D an</b> lai, <b>"Trigonometry"</b> s Pvt. Ltd.2010.	Algebra Vol. II" S. d Vector Calculus", S. Viswanathan				
	Publications, 2 Arumugam &	2011. Isaac, <b>"Trigonometry an</b>	d Fourier series", New	Gamma Publications.				
	UNITS	CHAPTERS	SECTIONS					
1	Unit I	Chap 3 (Text book 1) Chap 4 (Text book 1)	Sec 1,2,4-10,14Sec 1,2,3,5,6					
	Unit II	Chap 2 (Text Book 2)	Sec 6.1-6.3,16,16.3					
	Unit III	Chap 4 (Text Book 3)	Sec 1-8					
	Unit IV	Chap 3(Text Book 4)	Sec 1,2,3,4,4.1,5					
1	Unit V	Chap 4 (Text Book 4)	Sec 1,2,2.1-2.3					
τ	Unit IV Unit V		Sec 1,2,3,4,4.1,5 Sec 1,2,2.1-2.3	F EXAMINATION				

On successful completion of the course, the students will be able to

- **CO 1** Find the summation and approximation of Binomial, Exponential and Logarithmic series
- **CO 2** Classify the different types of matrices and also find the eigen values and eigen vectors of the given matrix
- CO 3 Develop the problem solving skill on sphere
- CO 4 Find the expansions of trigonometrical functions

**CO 5** Find the expansion of hyperbolic functions

Nature of Course				
Knowledge and Skill	~	Employability oriented		
Skill oriented	~	Entrepreneurship oriented		

### MAPPING – COURSE OUTCOME WITH PROGRAMME SPECIFIC OUTCOME

CO/PSO	PSO 1	PSO 2	PSO 3	PSO 4
CO 1	3	3	2	2
CO 2	3	3		3
CO 3	3	3	3	3
CO 4	3	3		2
CO 5	3	3		2

Key: Strongly Correlated – 3 Moderately Correlated – 2 Weakly Correlated – 1 No Correlation – 0

## **TEACHING METHODOLOGY:**

1.Lecture (Chalk and Talk – OHP – LCD)

2.Problem Solving – Group Discussion

3.Quiz – Seminar

4.Peer Learning

## **QUESTION PAPER PATTERN – UG**

Knowledge level	Section	Word Limit	Marks	Total	Special Instructions if any
K 1	A – 10 x 2 marks	50	20		
K 1, K 2	$B - 5 \times 5$ marks (with internal choice)	200	25	75	Nil
K 2, K 3	C – 3/5 x 10 marks	500	30		

All question papers can be framed in the following cognitive levels

Knowledge Level 1. Recall Knowledge Level 2. Understanding Knowledge Level 3. Application

## **COURSE DESIGNER:**

CHAIRMAN – BOS

<b>CREDIT:</b> 3	SUBJECT CODE: U21MM2A5P /U21MM4A2P						
GOV	VERNMEN	T ARTS COLLEGE (A	UTONOMOUS), KARUR-639 005.				
			RST ALLIED COURSE – II				
			Y & GEOLOGY MAJOR)				
(For the candidates admitted from the year 2021-2022 onwards)							
	Al	LLIED MATHEMATIC					
COURSE O		(CALCULUS AND FO	OURIER SERIES)				
1. To le	earn the basic	need for their major concepts nts in the basic Integrations	pts				
UNIT- I	needed) Si application	mple problems only - L	vative of standard functions (Derivation not eibnitz theorem (proof not needed) and its of curvature in Cartesian Coordinates only nonly				
UNIT -II	Integrating	by parts – Bernoulli's fo	rmula - Evaluation of integrals of types				
	$\int \frac{dx}{a+b\cos x}$	$2. \int \frac{dx}{a+b\sin x} \qquad 3. \int \frac{dx}{dx}$	$\frac{a\cos x + b\sin x + c)}{p\cos x + q\sin x + r)}dx$				
UNIT -III	General Pro types	operties of Definite integ	rals - Evaluation of Definite integrals of				
	$1. \int_a^b \sqrt{(x - x)^2} dx = 1$	$(b-a)(b-x) dx  2. \int_a^b \frac{1}{\sqrt{a}}$	$\frac{dx}{(x-a)(b-x)} \qquad 3. \int_{a}^{b} \sqrt{\frac{(x-a)}{(b-x)}} dx$				
		Reduction formula when n is a positive integer for					
		$\int_{a}^{b} e^{ax} x^{n} dx = 2. \int_{a}^{b} \sin^{n} x  dx = 3. \int_{a}^{b} \cos^{n} x  dx = 4. \int_{0}^{\frac{\pi}{2}} \cos^{n} x  dx$					
	5. $\int_0^{\frac{\pi}{2}} \sin^n x  dx$ 6. $\int_0^{\frac{\pi}{2}} \sin^m x \cos^n x  dx$ (Proof not needed for 6 only)						
UNIT - IV	Evaluation of Double and Triple integral in simple cases – Changing the order and Evaluating the Double integration. (Cartesian Coordinates only)						
UNIT -V	function w	Definition of Fourier series - Finding Fourier Co-efficients for a given periodic function with period $2\pi$ - Use of Odd and Even functions in evaluation of Fourier Co-efficients - Half range sine and cosine series.					
TEXT BOO	OKS:						
1. T. K. Manickavasagam Pillai, S. Narayanan, "Calculus Vol. I" S. Viswanathan Private							
<ol> <li>Limited, 2011.</li> <li>T. K. Manickavasagam Pillai, S. Narayanan, "Calculus Vol. II" S. Viswanathan Private</li> </ol>							
	ted, $2011$ .	again i mai, 5. Narayanan,	Carculus Vol. II S. Viswaliaulan I livate				
3. T.K	<ol> <li>T. K. Manickavasagam Pillai, S. Narayanan, "Calculus Vol. III" S. Viswanathan Private Limited, 2011.</li> </ol>						
REFEREN	CE BOOK	S:					
1. Allied	Mathematics	A.Singaravelu					
2. Allied	Mathematics,	Paper II P.Kandasamy, K.	Thilagavathy, S.Chand& Company Ltd.				
ſ	UNITS	CHAPTERS	SECTIONS				
	Unit I	Chap 3 (Text Book 1) Chap 10 (Text Book 1)	Sec 1.1-1.5,2.1,2.2 Sec 2.1-2.3				
-	Unit II	Chap 1 (Text Book 2)	Sec 12,15.1,9				
	Unit III	Chap 1 (Text Book 2)	Sec 11,8 (ix),13.1,13.3-13.5				
F	Unit IV	Chap 5 (Text Book 2)	Sec 1,2.1,2.2,4				
	Unit V	Chap 6 (Text Book 3)	Sec 1-4,5.1,5.2				
CHAIRM	AN – BOS		CONTROLLER OF EXAMINATIONS				

On successful completion of the course, the students will be able to

**CO 1** Find the higher derivatives of given functions

**CO 2** Evaluate the different types of integrals

CO 3 Demonstrate the integrals by using Reduction formula

CO 4 Evaluate line, surface and volume integrals

CO 5 Expand the Fourier expansion for given function

## Nature of Course

Knowledge and Skill	$\checkmark$	Employability oriented	
Skill oriented		Entrepreneurship oriented	

## MAPPING – COURSE OUTCOME WITH PROGRAMME SPECIFIC OUTCOME

CO/PSO	PSO 1	PSO 2	PSO 3	PSO 4
CO 1	3	3	2	2
CO 2	3	3		3
CO 3	3	3	3	3
CO 4	3	3		2
CO 5	3	3		3

**Key:** Strongly Correlated -3 Moderately Correlated -2 Weakly Correlated -1 No Correlation -0

## **TEACHING METHODOLOGY:**

1. Lecture (Chalk and Talk – OHP – LCD)

2. Problem Solving – Group Discussion

3. Quiz – Seminar

4. Peer Learning

## **QUESTION PAPER PATTERN – UG**

Knowledge level	Section	Word Limit	Marks	Total	Special Instructions if any
K 1, K 2, K 3	3 /5 x1 5 marks (with internal choice)	500	45	60	
	Record		15		

All question papers can be framed in the following cognitive levels

Knowledge Level 1. Recall

Knowledge Level 2. Understanding

Knowledge Level 3. Application

## **COURSE DESIGNER:**

CHAIRMAN – BOS

## COURSE CODE: U21MM2A6/U21MM4A3

#### **GOVERNMENT ARTS COLLEGE (AUTONOMOUS), KARUR-639 005.** B.Sc. - II/IV SEMESTER - FIRST ALLIED COURSE - III (FOR PHYSICS, CHEMISTRY & GEOLOGY MAJOR) (For the candidates admitted from the year 2021-2022 onwards) **ALLIED MATHEMATICS - III** (ODE, PDE, LAPLACE TRANSFORMS AND VECTOR ANALYSIS) **COURSE OBJECTIVES:** 1. To learn the basic needs for their major concepts 2. To train the students in PDE and Laplace Transforms UNIT -I Ordinary Differential Equation of first order but of higher degree –Equations solvable for x, solvable for dx/dy, Clairaut's form (simple cases only) – Linear equations with constant coefficients – Finding Particular integrals in the cases of e kx, sin (kx), cos(kx) (where k is a constant), xk where k is a positive integer, and e f(x) kxwhere f(x) is any function of x-(only problems in all the above –No proof needed for any formula). UNIT -II Formation of Partial differential equations by eliminating constants and by elimination of arbitrary functions – definition of general, particular & complete solutions – Singular integral (geometrical meaning not required) – Solutions of first order equations in the standard forms- f(p,q) = 0, f(x, p, q) = 0, f(x, q) = 0, y, p, q) = 0, f ( z, p, q) = 0, f1 ( x, p) = f2 ( y, q), z = xp+yq+f(p,q). Lagrange's method of solving Pp+Qq = R, where P,Q,R are functions of x,y,z -(Geometrical Meaning is not needed)-(only problems in all the above – No proof needed for any formula). **UNIT- III** Laplace Transform – Definition – $L(e^{at})$ , $L(\cos(at))$ , $L(\sin(at)) L(t^{n})$ , where n is a positive integer. Basic theorems in Laplace Transforms (formula only)- L $[e^{-at}\cos bt], L[e^{-at}\sin bt], L[e^{-at}f(t)] - L[f(t)], L[f'(t)], L[f''(t)].$ **UNIT- IV** Inverse Laplace Transforms related to the above standard forms – Solving Second Order ODE with constant coefficients using Laplace Transforms. UNIT-V Gradient of a vector – directional derivative – unit normal vector - tangent plane – Divergence-Curl – solenoidal & irrotational vectors – Double operators – Properties connecting grad., div., and curl of a vector. **TEXT BOOKS:** 1.S. Narayanan, T.K. Manicavachagam Pillai, Calculus, Vol. III, S. Viswanathan Pvt Limited, 2003 M.L. Khanna, Differential Calculus, Jaiprakashnath and Co., Meerut-2004. 2. Calculus Volume III Gilbert Strang, Massachusetts Institute of Technology Edwin "Jed" Herman, University of Wisconsin-Stevens Point **REFERENCE BOOKS:** 1. Arumugam &Issac, "Analytical geometry of 3D and Integral calculus", New Gamma Publications, 2011 2. Arumugam & Issac, "Trigonometry and Fourier series", New Gamma Publications. UNITS CHAPTERS SECTIONS Sec 5,5.1-5.4,6.1 Unit I Chap 1(Text Book 1) Chap 2 (Text Book 1) Sec 1-4 (a),(b),(c),(d) Chap 4 (Text Book 1) Sec 1,2,2.1,2.2,3,5,5.1-5.4 Unit II Unit III Chap 5 (Text Book 1) Sec 1-5 Unit IV Chap 5 (Text Book 1) Sec 6-8 Unit V Chap 2 (Text Book 2) Sec 2.1 to 2.4 **CHAIRMAN – BOS**

On successful completion of the course, the students will be able to

- **CO 1** Gain the knowledge about solving an ordinary differential equation of first order but of higher degree
- **CO 2** Expand the formation of partial differential equations by eliminating arbitrary constant and by eliminating arbitrary function
- CO 3 Demonstrate the Laplace transform on various functions
- CO 4 Solving the second order ODE with constant coefficients using Laplace transforms.

## **CO 5** Find the derivatives of vector functions

Nature of Course			
Knowledge and Skill	$\checkmark$	Employability oriented	$\checkmark$
Skill oriented		Entrepreneurship oriented	

### MAPPING – COURSE OUTCOME WITH PROGRAMME SPECIFIC OUTCOME

CO/PSO	PSO 1	PSO 2	PSO 3	PSO 4
CO 1	3	3	2	2
CO 2	3	3		3
CO 3	3	3	3	3
CO 4	3	3		2
CO 5	3	3		3

Key: Strongly Correlated – 3 Moderately Correlated – 2 Weakly Correlated – 1 No Correlation – 0

## **TEACHING METHODOLOGY:**

- 1. Lecture (Chalk and Talk OHP LCD)
- 2. Problem Solving Group Discussion
- 3. Quiz Seminar

4. Peer Learning

### **QUESTION PAPER PATTERN – UG**

Knowledge level	Section	Word Limit	Marks	Total	Special Instructions if any
K 1	A – 10 x 2 marks	50	20		
K 1, K 2	$B-5 \ge 5$ marks (with internal choice)	200	25	75	Nil
K 2, K 3	C – 3/5 x 10 marks	500	30		

All question papers can be framed in the following cognitive levels

Knowledge Level 1. Recall Knowledge Level 2. Understanding Knowledge Level 3. Application

## **COURSE DESIGNER:**

CHAIRMAN – BOS

## COURSE CODE: U21MM3N1 / U21MM3N3

## GOVERNMENT ARTS COLLEGE (AUTONOMOUS), KARUR-639 005. B.Sc. - III SEMESTER – NON CORE ELECTIVE – I/III

(For the candidates admitted from the year 2021-2022 onwards)

## (FOR COMPUTER SCIENCE / STATISTICS MAJOR)

### **QUANTITATIVE APTITUDE – I**

## **COURSE OBJECTIVES:**

To enhance the problem solving skills and to improve the basic mathematical skills.
 To help students who are preparing for any type of competitive examinations

UNIT -I	Numbers – HCF – LCM – Problems on numbers.

UNIT -II	Decimal Fractions and Simplification.
UNIT -II	Surds and Indices – Percentage – Profit and Loss.
UNIT -IV	Ratio and Proportion – Partnership – Allegation or Mixture.
UNIT-V	Average – Problems on Age.

## **TEXT BOOK:**

1. R. S. Aggarwal, **"Quantitative Aptitude"**, S. Chand & Company Ltd., Ram Nagar, New Delhi, 2007.

### **REFERENCE BOOK:**

1. Abhijit Guha, **"Quantitative Aptitude for Competitive Examinations"**, Tata McGraw Hill Publishing Company Ltd., New Delhi, 2008.

UNITS	CHAPTERS
Unit I	Chap 1, 2 & 7
Unit II	Chap 3& 4
Unit III	Chap 9, 10 & 11
Unit IV	Chap 12, 13 & 20
Unit V	Chap 6& 8

**CHAIRMAN – BOS** 

On successful completion of the course, the students will be able to

**CO 1** Remembering the numbers.

CO 2 Recalling the decimal fractions.

CO 3 Define surds and indices. Compute the various problems in the above two.

**CO 4** Classify allegation or mixture.

**CO 5** Recalling the average. To solve the problems on ages.

Nature of Course			
Knowledge and Skill	$\checkmark$	Employability oriented	✓
Skill oriented	√	Entrepreneurship oriented	

## MAPPING – COURSE OUTCOME WITH PROGRAMME SPECIFIC OUTCOME

CO/PSO	PSO 1	PSO 2	PSO 3	PSO 4
CO 1	3			
CO 2	3		2	3
CO 3	3	3	3	3
CO 4	3	2	2	2
CO 5	3	3	2	3

**Key:** Strongly Correlated – 3 Moderately Correlated – 2 Weakly Correlated – 1 No Correlation – 0

## **TEACHING METHODOLOGY:**

- 1. Lecture (Chalk and Talk OHP LCD)
- 2. Problem Solving Group Discussion
- 3. Quiz Seminar
- 4. Peer Learning

## **QUESTION PAPER PATTERN – UG**

Knowledge level	Section	Word Limit	Marks	Total	Special Instructions if any
K 1	A – 10 x 2 marks	50	20		
K 1, K 2	B – 5 x 5 marks (with internal choice)	200	25	75	Nil
K 2, K 3	C – 3/5 x 10 marks	500	30		

All question papers can be framed in the following cognitive levels

Knowledge Level 1. Recall

Knowledge Level 2. Understanding

Knowledge Level 3. Application

### **COURSE DESIGNER:**

CHAIRMAN – BOS

COURSE CODE: U21MM4N2/U21MM4N4

## GOVERNMENT ARTS COLLEGE (AUTONOMOUS), KARUR-639 005. B.Sc. - IV SEMESTER – NON CORE ELECTIVE – II

(FOR COMPUTER SCIENCE / STATISTICS MAJOR)

(For the candidates admitted from the year 2021-2022 onwards)

## **QUANTITATIVE APTITUDE – II**

## **COURSE OBJECTIVES:**

- 1. To enhance the problem solving skills and to improve the basic mathematical skills.
- 2. To help students who are preparing for any type of competitive examinations

UNIT -I	Chain Rule – Time – Work and Wages – Pipes and Cisterns.
UNIT- II	Simple Interest – Compound Interest – Logarithm.
UNIT- III	Time and Distance – Trains – Boats and Streams
UNIT- IV	Area – Volume and Surface Area of Solid Figures – Clocks.
UNIT- V	Data Interpretation : Tabulation – Bar Graphs – Pie Charts – Line Graph.

## **TEXT BOOK:**

1. R. S. Aggarwal, "Quantitative Aptitude", S. Chand & Company Ltd., Ram Nagar, New Delhi, 2007.

## **REFERENCE BOOK:**

1. Abhijit Guha, **"Quantitative Aptitude for Competitive Examinations"**, Tata McGraw Hill Publishing Company Ltd., New Delhi, 2008.

UNITS	CHAPTERS
Unit I	Chap 14, 15 & 16
Unit II	Chap 21, 22 & 23
Unit III	Chap 17, 18 & 19
Unit IV	Chap 24, 25 & 28
Unit V	Chap 36, 37, 38 & 39

CHAIRMAN – BOS

- On successful completion of the course, the students will be able to
- CO 1 Classify pipes and cisterns.
- CO 2 Recalling the interest and logarithm.
- CO 3 Solving many problems in boat and stream.
- CO 4 Remembering area and volume of solid figures.

## CO 5 Classify the data interpretation

Nature of Course			
Knowledge and Skill		Employability oriented	$\checkmark$
Skill oriented	~	Entrepreneurship oriented	$\checkmark$

### MAPPING - COURSE OUTCOME WITH PROGRAMME SPECIFIC OUTCOME

CO/PSO	PSO 1	PSO 2	PSO 3	PSO 4
CO 1	3		2	2
CO 2	3		2	3
CO 3	3	3	3	3
CO 4	3	3		2
CO 5	3	3		3

**Key:** Strongly Correlated – 3 Moderately Correlated – 2 Weakly Correlated – 1 No Correlation – 0

## **TEACHING METHODOLOGY:**

- 1. Lecture (Chalk and Talk OHP LCD)
- 2. Problem Solving Group Discussion
- 3. Quiz Seminar
- 4. Peer Learning

## **QUESTION PAPER PATTERN – UG**

Knowledge	Section	Word Limit	Marks	Total	Special
level					Instructions if any
K 1	A – 10 x 2 marks	50	20		
K 1, K 2	$B - 5 \times 5$ marks (with internal choice)	200	25	75	Nil
K 2, K 3	C – 3/5 x 10 marks	500	30		

All question papers can be framed in the following cognitive levels

Knowledge Level 1. Recall

Knowledge Level 2. Understanding

Knowledge Level 3. Application

## **COURSE DESIGNER:**

## CHAIRMAN – BOS

## muR fiyf;fy;Y}up (jd;dhl;rp)> f&H - 639 005.

## fiyapay; - mwptpay; kw;Wk; tzpftpay; gl;ltFg;G

(2021 - 2022 Mk; fy;tpahz;L Kjy; gapYk; khztHfSf;FupaJ)

## gFjp 4 - Kjy; gUtk;

## kjpg;Gf;fy;tp (VALUE EDUCATION)

## ghlj;jpl;lNehf;fq;fs;

1. tho;f;iff;Fj; Njitahd tpOkpaq;fis (Values) khzth;fSf;Ff; fw;gpj;jy;.

2. rka ey;ypzf;fj;jpd; Njitia khzth;fSf;F vLj;Jiuj;jy;.

myF - 1	tho;tpay; fy;tp Xu; mwpKfk; - jdpkdpj newpKiwfs; - rKjha newpKiwfs; - Md;kPf newpKiwfs; - tho;tpay; newpfspd; %yq;fs; - tho;tpay; newpfspd; mtrpak; - ed;dlj;ijAk; ew;nray;fSk; - ew;gz;Gfs; cUthf;fk;.
myF - 2	r%f ew;gzp - r%f eyg;gzpj;jpl;lq;fs; - rKjhaj; jPikfs; Fwpj;j
	tpopg;Gzu;T - Nghij kUe;JfSf;F mbikahjy; - kJg;gof;fk; - Gifg;gpbj;jy; - jw;nfhiy.
myF - 3	,e;J rkaj;jpd; Nghjidfs; - ,];yhk; Nghjpf;Fk; newpfs; - fpwpj;Jtk;
	Nghjpf;Fk; newpfs; - rkar; rhh;gpd;ik - rka ey;ypzf;fk;.
myF - 4	fhe;jpabfspd; mfpk;ir nfhs;if - md;id njurhtpd; njhz;Lfs; -
	jd;dykpd;ikapd; tbtk; ngUe;jiyth; fhkuhrh;.
myF - 5	r%fePjp - kdpj cupikfSk; mtw;wpd; ghJfhg;Gk; - kfspu;f;F vjpuhd td;Kiwfs; - ehl;bd; xUikg;ghL.

## CHAIRMAN - BOS

## **Course outcome**

By the end of this course, Students will be able to

To enhance the understanding of human physical and mental health and ability to maintain it well to the life and beyond.

Nature of Course	
Knowledge oriented	Employability oriented
Skill oriented	Entrepreneurship oriented

## MAPPING

# Relationship Matrix for Course Outcomes, Programme Outcomes and Programme Specific Outcomes

Course	Program (	me Outc POs)	omes	Programme Specific Outcomes (PSOs)				Mean	
Outcome	PO1	PO2	PO3	PSO1	PSO2	PSO3	PSO4	PSO5	Score
CO1	4	3	4	4	3	4	3	4	3.63
CO2	3	2	3	3	4	3	2	3	2.87
CO3	3	4	2	3	2	3	3	3	2.75
CO4	3	4	3	4	4	3	4	3	3.5
	Mean Overall Score							3.18	

Result: Total Score for this course is = 3.18 [High Relationship] Mapping Scale

Mapping	1 - 20	21 - 40	41 - 60	61 - 80	81 - 100
Scale	1	2	3	4	5
Relation	0.01 - 1.0	1.1 - 2.0	2.1 - 3.0	3.1 - 4.0	4.1 - 5.0
Quality	Very Poor	Poor	Moderate	High	Very High

## **Mapping Score**

<b>Mean Score of COs = 29/8 = 3.63</b>	Mean Overall Score for COs = 12.75/4 = 3.18
----------------------------------------	---------------------------------------------

jug; Gs;spfs; : 1

## muR fiyf;fy;Y}up (jd;dhl;rp)> f&H - 639 005.

## fiyapay; - mwptpay; kw;Wk; tzpftpay; gl;ItFg;G

(2021 - 2022 Mk; fy;tpahz;L Kjy; gapYk; khztHfSf;FupaJ)

## gFjp 5 - Mwhk; gUtk;

## ghypd rkj;Jtk; (GENDER STUDIES)

## ghlj;jpl;l Nehf;fq;fs;

1. Mz;fSk; ngz;fSk; xUtUf;nfhUtu; gyk; kw;Wk; gytPdk; gw;wp mwpe;J nfhs;sr; nra;jy;.

2. ,U ghypdj;jtu;fsplKk; nrwpt+l;lg;gl;l tho;f;iff;fhd czu;jpwid tsu;j;jy;.

3. ghypd rkr;rPu; #oy; kw;Wk; ngz;fSf;F mjpfhukspj;jy; Nehf;fpa mZFKiw khw:wi;ji Cf:Ftpi:jv:.

myF - 1	ghypdk; njhlh;ghd Nfhl;ghLfs;:
	ghypay; - ghypdk; - clw;\$W hPjpapy; epUzapj;jy; - Mzhjpf;fk;
	ngz;zpak; - ghypd ghFghL - ghypd Ntiyg; ghFghL - ghypd
	xUgbj;jhdth;fs; - ghypd czh;t+l;ly; - ghypd rktha;g;G - ghypd rkj;Jtk;
	ghypd ikaePNuhl;lkhf;fy; - mjpfhug;gLj;Jjy;.
myF - 2	kfsphpay; - ghypd rkj;Jtf;fy;tp - gy;fiyf;fof khdpaf;FOtpo
	topfhl;Ljy;fs; - VohtJ le;jhz;Ljpl;lk; Kjy; gjpNdhuhtJ le;jhz;Ljpl;lk; tiu
	ghypd rkj;Jtf;fy;tp : nga;[pq; khehL kw;Wk; ngz;fSf;F vjpuhd midj;
	td;KiwfisAk; xopg;gjw;fhd rh;tNjr cld;gbf;if - ePf;Fk; xg;ge;jk; - 197
	(CEDAW) rl;lj;jpy; ngz;fSf;F Mjuthdtw;iw ,izj;jy; my;yJ cl;gLj;Jjy;
	ngz;fSf;F vjpuhdtw;iw xJf;Fjy;.
myF - 3	ghypay; ghFghl;bw;fhd jsq;fs;:
	FLk;gk; - ghypd tpfpjhr;rhuk; - fy;tp - MNuhf;fpak; - MSik - kjk;
	Ntiytha;g;G - re;ij - Clfq;fs; - murpay; - rl;lk; - FLk;g td;Kiw - ghypay
	Jd;GWj;jy; - muR nfhs;iffs; kw;Wk; jpl;lq;fs;.

myF - 4	ngz;fs; Nkk;ghL kw;Wk; ghypd rkj;Jt Nkk;ghL:							
	ngz;fSf;fhd rkj;Jt Kaw;rpfs; - rh;tNjr ngz;fSf;fhd rfhg;jk; - rh;tNjr ngz;fSf;fhd Mz;L - ngz;fspd; Nkk;ghl;bw;fhd Njrpaf; nfhs;iffs; - ngz;fs; mjpfhu Mz;L 2001 - rh;tNjrf; nfhs;iffis ika ePNuhl;lkhf;fy;.							
myF - 5	ngz;fs; ,af;fq;fs; kw;Wk; ghJfhg;G epWtd Vw;ghLfs;:							
	Njrpa kw;Wk; khepy kfsph; Mizak; - midj;J kfsph; fhty; epiyaq;fs; - FLk;g ePjpkd;wq;fs; - FLk;g td;KiwapypUe;J ngz;fisg; ghJfhf;Fk; rl;lk; 2005 - gzpaplq;fspy; ngz;fs; kPjhd ghypay; Jd;GWj;jy;fisj; jLg;gjw;fhd cr;rePjpkd;w topfhl;Ljy;fs; - tprhfh jPh;g;G - jha;Nra; eyr;rl;lk; - ngz;rpRit fUtpy; fz;lwptijj; jil nra;Ak; rl;lk; 1994 - <t;brpq; -="" ngz;fisj;<br="">njhy;iy nra;jy; jLg;Gr; rl;lk; - kfsph; Ra cjtpf;FOf;fs; - gQ;rhaj;J mikg;GfSf;fhd 73 kw;Wk; 74tJ rl;lj;jpUj;jk;.</t;brpq;>							

NO. OF CR	EDITS: 1	COURSE CODE: U21EA4					
GOVERNMENT ARTS COLLEGE (AUTONOUMOUS), KARUR - 639005							
ALL UG CO	OURSES - VI SEMESTER - PART - (For the candidates admitted from the GENDER STUDIES (ghy	year 2021 - 22 onwards)					
COURSE O	BJECTIVES:						
✤ To develo	boys and girls aware of each others streng p sensitivity towards both genders in orde te attitudinal change towards a gender bal t.	er to lead an ethically enriched life.					
UNIT - I	<ul> <li>I Concepts of Gender: Sex - Gender - Biological Determinism - Patriarchy - Feminism - Gender Discrimination - Gender Division of labour - Gender Stereotyping - Gender Sensitivity - Gender Equity - Equality - Gender Mainstreaming - Empowerment.</li> </ul>						
UNIT - II	Women's Studies vs Gender Studies: Gender Studies: Beijing Conference Inclusiveness.						
UNIT - III	JNIT - III Areas of Gender Discrimination : Family - Sex Ratio - Literacy - Health Governance - Religion Work Vs Employment - Market - Media - Politics - La - Domestic Violence - Sexual Harassment - State Policies and Planning .						
UNIT - IV	Women Development and Gender Em Women's Decade - International Wo Empowerment of Women - Wo Mainstreaming Global Policies .	omen's Year - National Policy for					

UNIT - V	Women's Movements and Safeguarding Mechanism : In India National /
	State Commission for Women(NCW) - All Women Police Station - Family
	Court - Domestic Violence Act - Prevention of Sexual Harassment at Work
	Place Supreme Court Guidelines - Maternity Benefit Act - PNDT Act - Hindu
	Succession Act 2005 - Eve Teasing Prevention Act - Self Help Groups - 73rd
	and 74 th Amendment for PRIS.

## Books for Reference:

- 1. Bhasin Kamala, Understanding Gender : Gender Basics , New Delhi : Women Unlimited, 2004
- 2. Krishna Sumi, (ed.,),Livelihood and Gender : Equity in Community Resource Management, New Delhi : Sage Publication ,2004
- 3. Mohanty Manoranjan(ed.,) Class ,Caste ,Gender : Readings in Indian Government and Politics 5,New Delhi : Sage Publications ,2004.
- 4. F.rhkpJiu kw;Wk; ,uhjhfpUl;bzd;> ngz;fs; eyd; fhf;Fk; rl;lq;fs;> kJiu : Account Test Center: 2007.
- 5. td[h kw;Wk; rpahkh Re;jup> ngz;fSf;fhd rl;lq;fs;> nrfe;jpuhghj;: cyfj;Njhoik ikak;.
- 6. FLk;g td;KiwapypUe;J ngz;fis ghJfhf;Fk; rl;lk; 2005 ifNaL> jpUr;rp.

## CHAIRMAN - BOS

To know the difference understanding Gender to treat other genders with goodness.

Nature of Course	
Knowledge oriented	Employability oriented
Skill oriented	Entrepreneurship oriented

## MAPPING

## Relationship Matrix for Course Outcomes, Programme Outcomes and Programme Specific Outcomes

Course Outcome	Programme Outcomes (POs)			Programme Specific Outcomes (PSOs)					Mean
	PO1	PO2	PO3	PSO1	PSO2	PSO3	PSO4	PSO5	Score
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CO4	3	4	3	4	4	3	4	3	3.5
Mean Overall Score						3.18			

**Result:** Total Score for this course is = 3.18 [High Relationship]

## **Mapping Scale**

Mapping	1 - 20	21 - 40	41 - 60	61 - 80	81 - 100
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Relation	0.01 - 1.0	1.1 - 2.0	2.1 - 3.0	3.1 - 4.0	4.1 - 5.0
Quality	Very Poor	Poor	Moderate	High	Very High

## **Mapping Score**

CHAIRMAN - BOS EXAMINATIONS

### **CONTROLLER OF**